## Supplementary Materials for

# Early Childhood Investments Substantially Boost Adult Health 

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## Supplementary Materials

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## A The Carolina Abecedarian Project (ABC): Overview of Program Design and Main Features

The Carolina Abecedarian Project (ABC) is a prospective longitudinal randomized controlled trial of an early educational intervention implemented to prevent the development of mild mental retardation for children at high risk for poor cognitive and academic outcomes. The ABC project consists of four consecutive cohorts of children from low-income families (96\% African American, 4\% White) from the same community in a semi-rural county in North Carolina who were enrolled in a randomized trial of early childhood education in the 1970s. The intervention included both a preschool and a school-age component. There are two stages of randomization. Some children in the first-stage control group were randomized into the second stage treatment group and some children in the first-stage treatment group are randomized out of treatment in the second stage. The main paper only analyzes the outcomes for those who participated in the preschool (0-5) phase irrespective of whether they participated in the school-age component. We test and do not reject the null hypothesis that those who received the second-stage treatment have the same outcomes as those who were randomized out of the treatment in the second stage. (See the Supplementary Material, Section F.)

Eligibility was based on a High-Risk Index that included maternal and paternal educational levels, family income, father's presence, and 9 other indicators of family status and functioning: "Absence of maternal relatives in the area"; "Siblings of school age one or more grades behind age-appropriate level or with equivalently low scores on school-administered achievement tests"; "Payments received from welfare agencies within past 3 years"; "Record of father’s work indicates unstable or unskilled and semiskilled labor"; "Record of mother’s or father’s IQ indicate scores of 90 or below"; "Record of sibling's IQ indicates scores of 90 or below"; "Relevant social
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agencies in the community indicate the family is in need of assistance"; "One or more members of the family has sought counseling or professional help in the past 3 years"; and "Special circumstances not included in any of the above are likely contributors to cultural or social disadvantage" (52).

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## A. 1 Recruitment and Randomization

Eligibility Children were recruited in four separate waves by eliciting referrals from local community organizations such as prenatal clinics, hospitals, and social services (53). Families whose children appeared healthy and free from biological conditions that could be associated with mental, sensory, or motor disabilities were contacted (54). Once a potential candidate was identified, a High-Risk Index (HRI) was computed on the basis of 13 socio-economic factors as described in (55) to determine preliminary eligibility: a family was included if the index was greater than 11 . Final eligibility was then determined after an interview with the mothers of the potential participants. On this occasion, demographic background data were collected, and maternal intelligence was assessed using the Wechsler Adult Intelligence Scale (WAIS). The selection process took place either before or shortly after the birth of the subject child. A total of 122 eligible families (combining all waves) were invited to enroll in the program. However, one family declined to participate and one mother miscarried her baby, so that the final randomized set consists of 120 families associated with 122 children $(17,56)$.

Randomization The randomization was performed immediately after each cohort was formed (57). For each cohort, the initial 120 families were matched in pairs on the basis of the sex of the child, the IQ of the mother, the number of siblings, and the High-Risk Index score (17, 53, 54). Unfortunately, the precise matched pairs are unknown. The matched children were randomly assigned either to treatment or to control status within each pair. Out of 122 children, 65 were assigned to the treatment, and 57 to the control group.

Compliance and non-random re-assignment Among the 120 families (or 122 children) who were randomized, only 112 families accepted their actual assignments: 8 families (7 in the treatment and 1 in the control group) refused to participate after learning it (58). Among the 112 families (or 114 children) who complied, one infant assigned to the treatment group proved to have

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biological retardation, so he was excluded from the study (although he attended the day care center as a regular member and underwent the regular series of assessments). In addition, two infants in the control group were non-randomly re-assigned to the treatment group at the request of protective service officials. The final base sample included 109 families (111 children). Of these 111 children, 57 were assigned to the treatment status, and 54 to the control. Among them there were one pair of twins and one pair of siblings. Both were assigned to the treatment group (17). Average age at entry for the treated was 8.7 weeks, and it ranged between 3 and 21 weeks.

## A. 2 Preschool Treatment

The preschool treatment consisted of three components: an educational component, a health care component, and a nutritional component.

Educational Component The educational component consisted of full-day child care for five days per week, 50 weeks per year, for the first 5 years of life, starting at two months. Child care was characterized by a low teacher-child ratio (1:3 for infants). It used a curriculum developed by Sparling and Lewis, consisting of a series of "educational games," which emphasized language, emotional development, and cognitive skills $(14,15)$.

The ABC program shares many important features with the HighScope Perry Preschool program in the curriculum for 3- to 4-year-olds. At that age, both programs have intensive teacher-child interactions with children in small group settings that engage children in a similar set of activities. ABC starts earlier (first two months of life) and continues later (to age eight). Unlike Perry, the $A B C$ intervention provided free primary pediatric care and nutrition to the treated children. This included routine screenings (yearly for vision, monthly for hearing), immunizations, visits by the member of the pediatric care staff, and laboratory tests and appropriate cultures. Medicines were prescribed when the children were sick, but they had to be paid for by the families (although the pediatric staff made sure children took them while at the center). In case specialist
visits were needed, the children were referred to UNC doctors, and the parents were responsible for paying the bills. The control group had access to community clinics (crowded and with rotating doctors/nurses), the local office of the health department (for well-baby checkups and immunizations), and the hospital ER. Conditional on satisfying the eligibility criteria, Medicaid was also available in North Carolina in those years. Additionally, in the ABC preschool intervention, there was no form of parental tutoring in the form of home visits, apart from the health counseling parents received during the well-child care assessments (59).

Families in both treatment and control groups received social service support as needed (53, 60 ). Families in the control group also received diapers until the child was toilet-trained as an incentive for their participation (61). The average annual cost of the intervention was about \$13,900 per child in the year 2002 dollars (62).

Health Care Component The Abecedarian intervention also included a health care component, which provided complete medical care for the children who attended the FPG center (63)(64). The medical staff consisted of three pediatricians, a family nurse practitioner, and a licensed practical nurse. Active research on respiratory tract infections in children was also ongoing (65, 66). The well-child care component included assessments at ages $2,4,6,9,12,18$, and 24 months, and yearly thereafter, in which a complete physical exam was performed and parents were counseled about child health care, nutrition, growth, and development. The ill-child care component included daily surveillance of all children in the treatment group for illness (67). When ill, the children were examined by a member of the health care staff, laboratory tests were performed, the appropriate treatment was given, and the child was followed until recovery (64). Only the treated children had daily surveillance while at the child care center. The licensed practical nurse visited the classroom daily to review the health status of the children and receive reports from the parents.

Nutritional Component In addition to receiving their primary pediatric care, children in the treatment group also received two meals and a snack at childcare the center. The food was catered by kitchens approved by the local health department. A nutritionist who planned the local public school menus consulted with the kitchen service to plan menus for breakfast, lunch, and daily snacks. Infants were given iron-fortified formula until the doctors advised adding solids, which was commercial baby food chosen by the staff. These nutritional supplements were not offered to the control group. However, control families were offered free iron-fortified formula for the first 15 months of life in order to ensure the quality of nutrition during a period of rapid brain growth.

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## B Definition of Variables

This section provides details on the main outcome variables.
Health The main health outcomes analyzed come from the information collected in the biomedical sweep, both from the physical exam in the MD office and from the lab tests. Those residing out of the state were brought in for the visit. Three measurements for blood pressure were taken at 60 -second intervals, after the subject was seated for 5 minutes, and were averaged.

- The blood pressure categories as defined by (26) are as follows: normal is $<120$ for systolic and < 80 for diastolic; pre-hypertension is $120-139$ for systolic or $80-89$ for diastolic; high blood pressure (hypertension) stage 1 is 140-159 for systolic or 90-99 for diastolic; high blood pressure (hypertension) stage 2 is 160 or higher for systolic or 100 or higher for diastolic. We use two alternative definitions for pre-hypertension: systolic bp $\geq 120$ \& diastolic bp $\geq 80$ and systolic bp $\geq 120$ or diastolic bp $\geq 80$; and two alternative definitions for hypertension: systolic bp $\geq 140$ \& diastolic bp $\geq 90$ and systolic bp $\geq 140$ or diastolic bp $\geq 90$. While the second definition is the one adopted in (26), the first one is also widely used; see, e.g., (27).
- Dyslipidemia is defined as HDL-C $<40 \mathrm{mg} / \mathrm{dL}$ for males, and as HDL-C $<50 \mathrm{mg} / \mathrm{dL}$ for females (29), (68).
- Pre-Diabetes is defined as Glycosylated Hemoglobin $\geq 5.7 \%$ (30).
- Vitamin D Deficiency is defined as Total Vitamin D < $20 \mathrm{ng} / \mathrm{mL}$ (31).
- Overweight, Obese, and Severely Obese are defined as having a Body Mass Index (BMI) $\geq 25$, $\geq 30$, and $\geq 35$, respectively.
- Abdominal Obesity is defined as WHR $>0.9$ for males, WHR $>0.85$ for females (32), (69).
- Multiple Risk Factors: here the outcome "Hypertension" used refers to the second definition (systolic $\mathrm{bp} \geq 140 \mathrm{mmHg}$ or diastolic $\mathrm{bp} \geq 90 \mathrm{mmHg}$ ).
- The Metabolic Syndrome (29) is defined as the presence of the following three conditions: (1) Central obesity, defined as waist circumference $>102 \mathrm{~cm}$ or 40 inches (male), $>88 \mathrm{~cm}$ or 35 inches (female) (33); (2) Dyslipidemia, defined as HDL-C < $40 \mathrm{mg} / \mathrm{dL}$ (male), HDL-C < 50 $\mathrm{mg} / \mathrm{dL}$ (female); (3) High blood pressure $\geq 130 / 85 \mathrm{mmHg}$. We do not have the information required to construct the WHO index (32).
- The Framingham Risk Score is calculated according to the equation derived in (34). The equation is derived from a Cox proportional hazard model estimated on the Framingham Study population. The equation uses age, sex, total cholesterol, HDL cholesterol, systolic blood pressure, diastolic blood pressure, diabetes status, and smoking status at the time of the biomedical sweep (70) to estimate the subject's risk of experiencing "total CHD," defined as stable angina, unstable angina, myocardial infarction, or CHD death, within 10 years.


## Health Care

- The variable "Covered by health insurance at age 30" is constructed on the basis of information collected at the age 30 interview. It is based on the subject's response to the question: "Which of the following best describes your current health insurance situation?" The responses A="No health insurance" and $\mathrm{I}=$ "You don't know what your health insurance situation is" were coded as 0 and the responses $\mathrm{B}=$ "Covered by husband or wife's insurance policy", $\mathrm{C}=$ " $G$ et own insurance through work", $\mathrm{D}=$ "Get insurance through a union", $\mathrm{E}=$ "Get insurance because of attending school", $\mathrm{F}=$ "Covered because of being on active duty in the military", $\mathrm{G}=$ "Buy private insurance on your own", H="Covered by Medicaid", and J="Other" were coded as 1 .
- The variable "Buys insurance through work or purchases it at age 30" is constructed on the basis of information collected at the age 30 interview. It is based on the subject's response to the question: "Which of the following best describes your current health insurance situation?" The responses $\mathrm{C}=$ "Get own insurance through work" and $\mathrm{G}=$ "Buy private insurance on your own"

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were coded as 1 and responses $\mathrm{A}=$ "No health insurance", $\mathrm{B}=$ "Covered by husband's or wife's insurance policy", $\mathrm{D}=$ "Get insurance through a union", $\mathrm{E}=$ " Get insurance because of attending school", F="Covered because of being on active duty in the military", H="Covered by Medicaid", I="You don’t know what your health insurance situation is" and $\mathrm{J}=$ "Other" were coded as 0 .

- The variable "Has hospital or doctor for care when sick at age 30" is constructed on the basis of information collected at the age 30 interview. It is based on the subject's response to the question: "Where do you usually go when you are sick and need health care?" Responses of C="Hospital-based clinic", D="Emergency room", and F="Private doctor’s office" were coded as 1 and responses of $\mathrm{A}=$ "Never get sick or need care", $\mathrm{B}=$ "Get sick but don't go anywhere for health care", E="Community health department or clinic", G="Infirmary at school", H="Military hospital or clinic", I="Employee health clinic at my work", and J="Other" were coded as 0 .


## Behavioral Risk Factors: Smoking

- The variable "Never a Regular Smoker" takes the value 1 if the subject has never reported being a regular smoker by age 30. It is constructed by combining information from the age 21 and 30 sweeps as follows. The variable is coded as 1 if the subject reported having never smoked regularly both at the age 21 and at the age 30 sweeps, in case both have nonmissing observations, or at either of those, in case the other is missing. Specifically, the same question was asked at the age 21 sweep in the Risk Taking Survey, and at the age 30 sweep in the Tobacco, Alcohol and Drugs (TAD) survey: "How old were you when you first started smoking cigarettes regularly (at least one cigarette every day for 30 days)?". Response A="I have never smoked cigarettes regularly" was coded as 1 , all the others as 0 .
- The variable "Age of Onset of Regular Smoking" takes a value corresponding to the age at which the subject started smoking regularly. It has been constructed on the basis of the following question asked in the Risk Taking Survey administered to the subject at the age 21 and in the

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Tobacco, Alcohol and Drugs (TAD) survey administered to the subject at the age 30 data collection sweeps, respectively: "How old were you when you first started smoking cigarettes regularly (at least one cigarette every day for 30 days)?". The responses given at age 21 were used, unless the subject did not respond at age 21 or had not started smoking regularly yet, in which cases the responses given at age 30 were used. The responses were given in age ranges and were converted into ages by taking the midpoints of the intervals as follows. At age 21 , responses of $\mathrm{D}=$ " 11 or 12 years old" were coded as 11.5 , responses of $\mathrm{E}=$ " 13 or 14 years old" as 13.5 , responses of $\mathrm{F}=$ " 15 or 16 years old" as 15.5 , and responses of $\mathrm{G}=$ " 17 or more years old" were coded as the average of age 17 and the age of the subject at the administration of the age 21 interview. At age 30, responses of $C=" 9-12$ years old" were coded as 10.5 , responses of $D=" 13-16$ years old" were coded as 14.5 , responses of $\mathrm{E}=$ "17-20 years old" were coded as 18.5 , responses of $\mathrm{F}=$ " $21-24$ years old" were coded as 22.5 , and responses of $\mathrm{G}=$ " 25 years or older" were coded as the average of 25 and the age of the subject at the administration of the age 30 interview (71).

- The variable "Cigarettes Smoked per Day Past 30 Days at ages 21\&30 (Smokers Only)" is constructed by summing the responses at ages 21 and 30 . The number of cigarettes the subject smoked per day at age 21(30) was measured by his/her response to the question "During the past 30 days, on the days you smoked, how many cigarettes did you smoke per day?" Responses of $A=" I$ did not smoke during the past 30 days" were coded as missing, responses of $B=$ "Fewer than one per day" were coded as 0.5 , responses of $C=" 1$ cigarette per day" were coded as 1 , responses of $D=" 2-5$ cigarettes per day" were coded as 3.5 , responses of $E=" 6-10$ cigarettes per day" were coded as 8 , responses of $\mathrm{F}=$ " $11-20$ cigarettes per day" were coded as 15.5 , and responses of G="More than 20 cigarettes per day" were coded as 20 .


## Behavioral Risk Factors: Alcohol Use

- The variable "Early Onset Drinker" takes the value 1 if the subject reported at the age 21
interview having started drinking before age 17, and the value 0 if the subject either did not start, or if he/she started after 17. It is constructed on the basis of the following question asked in the Risk Taking Survey administered to the subject at the age 21 data collection sweep: "How old were you when you had your first drink of alcohol other than a few sips?" (72) Responses of A="I have never had a drink of alcohol other than a few sips" and $G=$ " 17 or more years old" were coded as 0 , and all the other responses (C=" 9 or 10 years old", $\mathrm{D=}=11$ or 12 years old", $\mathrm{E}=" 13$ or 14 years old", and $\mathrm{F}=$ " 15 or 16 years old") (73) were coded as 1 .
-The variable "Drunk Driving at age 21" takes the value 1 if the subject reported at the age 21 that he/she has drank and driven at least once in the past 30 days, according to the answer to the following question: "During the past 30 days, how many times did you drive a car or other vehicle when you had been drinking alcohol?" Responses of A=" 0 times" were coded as 0 and responses of $\mathrm{B}=" 1$ time", $\mathrm{C}=" 2$ or 3 times", $\mathrm{D}=" 4$ or 5 times", and $\mathrm{E}=" 6$ or more times" were coded as 1 .
-The variable "Age of Onset of Alcohol Use" takes a value corresponding to the age at which the subject started drinking alcohol. It has been constructed on the basis of the following question asked in the Risk Taking Survey administered to the subject at the age 21 (74) and in the Tobacco, Alcohol and Drugs (TAD) survey administered to the subject at the age 30 (75) data collection sweeps, respectively: "How old were you when you had your first drink of alcohol other than a few sips?" (76). The responses given at age 21 were used, unless the subject did not respond at age 21 or had not had a drink yet, in which cases the responses given at age 30 were used. The responses were given in age ranges and were converted into ages by taking the midpoints of the intervals as follows. At age 21 , responses of $C=" 9$ or 10 years old" were coded as 9.5 , responses of $D=" 11$ or 12 years old" as 11.5 , responses of $\mathrm{E}=$ " 13 or 14 years old" as 13.5 , responses of $\mathrm{F}=$ " 15 or 16 years old" as 15.5 , and responses of $G=" 17$ or more years old" were coded as the average of age 17 and the age of the subject at the administration of the age 21 interview. At age 30, responses of
$C=" 9-12$ years old" were coded as 10.5 , responses of $D=" 13-16$ years old" were coded as 14.5 , responses of $\mathrm{E}=$ "17-20 years old" were coded as 18.5 , responses of $\mathrm{F}=$ " $21-24$ years old" were coded as 22.5 , and responses of $\mathrm{G}=$ " 25 years or older" were coded as the average of 25 and the age of the subject at the administration of the age 30 interview (77).
-The variable "Days At Least 1 Drink Past 30 Days at ages $21 \& 30$ " is constructed by summing the responses at ages 21 and 30. Frequency of alcohol use in the past 30 days at age 21(30) was measured by the subject's response to the following question: "During the past 30 days, on how many days did you have at least one drink of alcohol"? Responses of $\mathrm{A}=$ " 0 days" were coded as 0 , responses of $B=" 1-2$ days" were coded as 1.5 , responses of $C=" 3-5$ days" were coded as 4 , responses of $D=" 6-9$ days" were coded as 7.5 , responses of $E=" 10-19$ days" were coded as 14.5 , responses of $\mathrm{F}=$ "20-29 days" were coded as 24.5 , and responses of $\mathrm{G}=$ "All 30 days" were coded as 30 .
-The variable "Days 5+ Drinks Past 30 Days at ages 21\&30" is constructed by summing the responses at ages 21 and 30. Frequency of binge drinking in the past 30 days at age 21(30) was measured by the subject's response to the following question: "During the past 30 days, on how many days did you have 5 or more drinks of alcohol in a row, that is, within a couple of hours?" Responses of $A=" 0$ days" were coded as 0 , responses of $B=" 1$ day" were coded as 1 , responses of $\mathrm{C}=$ " 2 days" were coded as 2 , responses of $\mathrm{D}=$ " $3-5$ days" were coded as 4 , responses of $\mathrm{E}=$ " $6-9$ days" were coded as 7.5 , responses of $\mathrm{F}=$ " $10-19$ days" were coded as 14.5 , and responses of $G=" 20$ or more days" were coded as 20 .


## Behavioral Risk Factors: Drug Use

- The variable "Never Used Marijuana" takes the value 1 if the subject has never reported using marijuana by age 30. It is constructed by combining information from the age 21 and 30 sweeps as follows. First, the variable is coded as 1 if the subject reported having never tried marijuana both at

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the age 21 and at the age 30 sweeps, in case both have nonmissing observations, or at either of those, in case the other is missing. Specifically, the same question was asked at the age 21 sweep in the Risk Taking Survey, and at the age 30 sweep in the Tobacco, Alcohol and Drugs (TAD) survey: "How old were you when you tried marijuana for the first time?". Responses of A="I have never tried marijuana" were coded as 1 , all the others as 0 .
-The variable "Age of Onset of Marijuana Use" takes a value corresponding to the age at which the subject started using marijuana. It has been constructed on the basis of the following question asked in the Risk Taking Survey administered to the subject at the age 21 and in the Tobacco, Alcohol and Drugs (TAD) survey administered to the subject at the age 30 data collection sweeps, respectively: "How old were you when you tried marijuana for the first time?". The responses given at age 21 were used, unless the subject did not respond at age 21 or had not tried marijuana yet, in which cases the responses given at age 30 were used. The responses were given in age ranges and were converted into ages by taking the midpoints of the intervals as follows. At age 21, responses of $C=" 9$ or 10 years old" were coded as 9.5 , responses of $D=" 11$ or 12 years old" as 11.5 , responses of $E=" 13$ or 14 years old" as 13.5 , responses of $F=" 15$ or 16 years old" as 15.5 , and responses of $G=$ " 17 or more years old" were coded as the average of age 17 and the age of the subject at the administration of the age 21 interview. At age 30 , responses of $C=$ " $9-12$ years old" were coded as 10.5 , responses of $D=" 13-16$ years old" were coded as 14.5 , responses of $E=" 17-20$ years old" were coded as 18.5 , responses of $\mathrm{F}=$ " $21-24$ years old" were coded as 22.5 , and responses of G="25 years or older" were coded as the average of 25 and the age of the subject at the administration of the age 30 interview (78).

- The variable "Times Used Marijuana Past 30 Days at ages 21\&30" is constructed by summing the responses at ages 21 and 30 . The frequency of marijuana use in the past 30 days was measured by the subject's response to the following question at age 21(30): "During the past 30

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days, how many times did you use marijuana?" Responses of $A=" 0$ times" were coded as 0 , responses of $B=" 1$ or 2 times" were coded as 1.5 , responses of $C=" 3$ to 9 times" were coded as 6 , responses of $D=" 10$ to 19 times" were coded as 14.5 , responses of 20 to 39 times were coded as 29.5 times, and responses of 40 or more times were coded as 40 .

## Behavioral Risk Factors: Diet and Physical Exercise

- The variable "Physical Activity" takes the value 1 if the subject reported at the age 21 interview engaging in physical activity 4 or more days per week, and 0 if the subject engaged 3 or fewer days per week. It has been constructed on the basis of the following question asked in the Risk Taking Survey administered to the subject at the age 21 data collection sweep: "On how many of the past 7 days did you exercise or participate in sports activities for at least 20 minutes that made you sweat and breathe hard, such as basketball, jogging, fast dancing, swimming laps, tennis, fast bicycling, or similar aerobic activities?" Responses of $\mathrm{A}=$ " 0 days", $\mathrm{B}=" 1$ day", $\mathrm{C}=" 2$ days", and $\mathrm{D}=$ " 3 days" were coded as 0 ; responses of $\mathrm{E}=$ " 4 days", $\mathrm{F}=$ " 5 days", $\mathrm{G}=$ " 6 days", and $\mathrm{H}=" 7$ days" were coded as 1 .
- The variable "Number of Fruit Servings per Day" takes a value equal to the number of times the subject reported having eaten fruit the day before the age 21 interview. It has been constructed on the basis of the following question asked in the Risk Taking Survey administered to the subject at the age 21 data collection sweep: "Yesterday, did you eat fruit?" The question was preceded by the prompt: "The next seven questions ask about food you ate yesterday. Think about all meals and snacks you ate yesterday from the time you got up until you went to bed. Be sure to include food you ate at home, at school or work, at restaurants, or anywhere else." Responses of A="No" were coded as 0 , responses of $B=$ "Yes, once only" were coded as 1 , and responses of $C=$ "Yes, twice or more" were coded as 2.


## Physical Development

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- We define "at-risk overweight" under 24 months as weight-for-length $\geq 85^{\text {th }}$ percentile, and overweight for 24 months and older as BMI-for-age $\geq 85^{\text {th }}$ percentile (45).
- Weight-for-Length $Z$-score change between 0 and 24 months is defined as the change in weight-for-length standardized using the Center for Disease Control (CDC) or the World Health Organization (WHO) growth charts, respectively.


## C Methodology

The standard model of program evaluation describes the observed outcome $Y_{i}$ of participant $i$ by

$$
\begin{equation*}
Y_{i}=D_{i} Y_{i}(1)+\left(1-D_{i}\right) Y_{i}(0), \tag{1}
\end{equation*}
$$

where $D_{i}$ denotes the assignment indicator ( $D_{i}=1$ if treatment occurs, $D_{i}=0$ otherwise) and $\left(Y_{i}(0), Y_{i}(1)\right)$ are potential outcomes for agent $i$ when treatment is fixed at control and treatment status, respectively. The major benefit of a randomized experiment is that it induces independence between counterfactual outcomes $\left(Y_{i}(0), Y_{i}(1)\right)$ and treatment status $D_{i}$ conditional on pre-program variables $X$ used in the randomization protocol. Notationally we write $(Y(0), Y(1)) \Perp$ $D \mid X)$ where $Y(0), Y(1), D$ and $X$ respectively denote the vectors of counterfactual outcomes, treatment status, and pre-program variables used in the randomization protocol. Where " $A \Perp B \mid C$ " denotes statistical independence, given $C$. Our goal is to estimate average treatment effects and test the null hypothesis of no treatment.

Our inference procedure accounts for three features of the Abecedarian data: (1) its small sample size; (2) the large number of outcomes that would allow for an arbitrary selection of statistically significant treatment effects; i.e., "cherry picking"; and (3) attrition.

We account for the small sample size by implementing a block permutation test which is based on exchangeability properties of the data arising from the randomization protocol. Blocks of permutations are based on the strata of the variables $X$ used in the randomization protocol of the Abecedarian intervention. We refer to Appendix H for a detailed explanation of the method. The benefits of our inferential method are: (1) it is a fully non-parametric approach; (2) it only relies on the choice of the test statistics; and (3) it is valid for small samples, and allow us to test the equality

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of the parameters of interest between treatment and control groups.
We correct for "cherry picking" by implementing a multiple hypothesis testing based on the step-down algorithm described in (23). We refer to Appendix H for a detailed explanation on how to implement the step-down algorithm for block permutation tests in randomized trials.

Supplementary Material, Section D, demonstrates that attrition is a potentially serious problem in this sample. We correct for attrition using statistical models that account for missing data by reweighting observations according to the inverse of their conditional probability of compliance. This is usually termed Inverse Probability Weighting (IPW) and traces back to (25).

The key assumption of IPW methods is that by conditioning on a set of observed covariates we are able to retrieve the full distribution of an outcome of interest. IPW methods rely on a matching assumption that can be stated as $Y \Perp A \mid(D, X, Z)$, where $Z$ are pre-program variables (other than the ones used in the randomization protocol; i.e., $X$ ) and $A$ is a vector of attrition indicators $A=\left(A_{i}: i \in J\right), J=\{1, \ldots, N\}$ which takes the value $A_{i}=1$ if participant $i$ has non-missing data on outcome $Y$, and $A_{i}=0$ otherwise.

Under the matching asumption, $E(Y \mid D, X, A)=E(Y \mid D, X)$. Moreover, $D \Perp(Y(0), Y(1)) \mid X, Z$ holds due to randomization. Suppressing $i$ subscripts, we can use these two conditional statistical relationships to express the Average Treatment Effect (ATE) as

$$
\begin{align*}
E(Y(1) & -Y(0))=\int E(Y \mid D=1, X=x, Z=z)-E(Y \mid D=0, X=x, Z=z) d F_{X, Z}(x, z), \\
& =\int E(Y \mid D=1, A=1, X=x, Z=z)-E(Y \mid D=0, A=1, X=x, Z=z) d F_{X, Z}(x, z) . \tag{8}
\end{align*}
$$

The standard IPW formula for ATE can be obtained by applying Bayes’ theorem to Equation 8:

$$
\begin{equation*}
E\left(\frac{Y_{i} 1\left[A_{i}=1, D_{i}=1\right]}{\operatorname{Pr}\left(A_{i}=1 \mid D_{i}=1, X_{i}, Z_{i}\right) \operatorname{Pr}\left(D_{i}=1 \mid X_{i}, Z_{i}\right)}-\frac{Y_{i} 1\left[A_{i}=1, D_{i}=0\right]}{\operatorname{Pr}\left(A_{i}=1 \mid D_{i}=0, X_{i}, Z_{i}\right) \operatorname{Pr}\left(D_{i}=0 \mid X_{i}, Z_{i}\right)}\right), \tag{9}
\end{equation*}
$$

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where " $\operatorname{Pr}(\cdot)$ " means probability. Making the $i$ subscripts explicit, the implementation of expression (9) suggested in (24) is given by:

$$
\begin{array}{ll}
\text { ATE }=\sum_{i=1}^{N} \frac{Y_{i} \cdot 1\left[D_{i}=1\right] \cdot 1\left[A_{i}=1\right] \cdot \omega_{i, 1}}{N_{1}}-\sum_{i=1}^{N} \frac{Y_{i} \cdot 1\left[D_{i}=0\right] \cdot 1\left[A_{i}=1\right] \cdot \omega_{i, 0}}{N_{0}}  \tag{10}\\
\text { where } \omega_{i, d}=\frac{1}{\hat{p}_{i, d}} /\left(\frac{1}{N_{d}} \sum_{j=1}^{N} \frac{1\left[D_{i}=d\right] \cdot 1\left[A_{i}=1\right]}{\hat{p}_{j, d}}\right) & d \in\{0,1\} \\
\text { and } p_{i, d}=\operatorname{Pr}\left(A=1 \mid D=d, X_{i}, Z_{i}\right) \operatorname{Pr}\left(D=d \mid X_{i}, Z_{i}\right) & d \in\{0,1\} \\
\text { where } N_{d}=\sum_{i=1}^{N} 1\left[D_{i}=d\right] \cdot 1\left[A_{i}=1\right] & d \in\{0,1\}
\end{array}
$$

where $N$ is the total sample size and $\hat{p}_{i, d}$ is an estimate of $p_{i, d}$ described below. Weights $\omega_{i, d}$ are set such that their sum adds to the available sample size of the respective treatment; that is, $\sum_{i=1}^{N} \omega_{i, d} \cdot 1\left[D_{i}=d\right] \cdot 1\left[A_{i}=1\right]=N_{d}$.

Probabilities $\hat{p}_{i, d}$ are estimated by gender using a logit model. The dependent variable is an age-specific attrition indicator. Regressors are: (1) a constant term, (2) the treatment status, and (3) a set of pre-program variables termed IPW covariates.

As shown in Tables S4-S9 in Supplement D, we find statistically significant differences between attrited and non-attrited (by treatment status and gender) for a range of covariates at baseline and at age 30. All of these variables are potential candidates as covariates for the estimation of the attrition probability. Our small sample size, however, prohibits the use of a large number of conditioning covariates. An excessive number of covariates, indeed, will invalidate the assumptions required to estimate the model by generating an exact forecast of the attrition indicator.

The problem of selection of eligible covariates is an aspect of model uncertainty. An extensive literature in statistics examines model uncertainty through information criteria, which
are used as measures of model fitness. A standard approach in this literature is to use the lowest value of the information criteria among competing models for the basis of model selection. See (79) (and the references therein) for a review. As an example, (80) compares logistic models for non-response that differ in the number and types of conditioning covariates. Its statistic of choice for comparing the predictive power of the various models is a deviance statistic, which is an information criterion often used to examine nested models. (81) estimates different nested attrition probits. Its statistic of choice is the R-squared goodness-of-fit measure for binary choice models. In this paper we adopt the Akaike Information Criterion (AIC) (82) as a more general criterion for model comparison among non-nested models. The AIC penalizes models for the number of predictor variables used. Specifically, we choose the set of covariates that minimize AIC among all combinations of pre-program variables where the difference in means between attrited and non-attrited groups is statistically significant as determined from block permutation tests. As in (80), the probability of participation in the biomedical sweep in our case depends both on baseline characteristics and past history.

IPW covariate selection is made using the following steps:

1. For each gender and for a fixed number of covariates $k$, we run logit models on all possible combinations of $k$ pre-program variables in addition to the treatment status and a constant term.
2. We then select the set of covariates associated with the lowest value of the Akaike Information Criteria among all these combinations.
3. We reiterate on steps 1 and 2 for different numbers of covariates $k$.
4. We select the maximum number $k$ that does not generate perfect forecasts of the attrition indicator among the logit regressions that generate the lowest value of AIC.

We apply a special method for selecting the IPW covariates for the equation predicting

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attrition at age 35. In this case, we search for IPW covariates not only among the pre-program variables, but also among the age 30 variables. Table S1 presents the selection of IPW covariates for females. Table S2 presents the selection of IPW covariates for males. It turns out that the maximum number $k$ that does not generate perfect forecasts of the attrition indicator for the logit regressions is 4.

Table S1: Selection of IPW Covariates, Males

| Age | 3 Covariates | 4 Covariates | 5 Covariates |
| :---: | :---: | :---: | :---: |
| 3 Months | Low Birthweight | High-Risk Index component 4 | High-Risk Index component 5 |
|  | High-Risk Index component 10 | Mother WAIS Comprehension Scale | High-Risk Index component 10 |
|  | High-Risk Index | Mother WAIS Digit Symbol | Father's Age at Entry |
|  | - | High-Risk Index component 10 | Mother WAIS IQ |
|  | - | - | Low Birthweight |
| 6 months | Low Birthweight | High-Risk Index component 4 | High-Risk Index component 5 |
|  | High-Risk Index component 10 | Mother WAIS Comprehension Scale | High-Risk Index component 10 |
|  | High-Risk Index | Mother WAIS Digit Symbol | Father's Age at Entry |
|  | - | High-Risk Index component 10 | Mother WAIS IQ |
|  | - | - | Low Birthweight |
| 9 months | Mother WAIS Block Design | Mother WAIS Performance IQ Score | High-Risk Index component 10 |
|  | Prematurity | Mother WAIS Digit Symbol | Mother WAIS IQ |
|  | High-Risk Index component 10 | Mother WAIS Block Design | Mother WAIS Performance IQ |
|  | - | High-Risk Index component 10 | Mother WAIS Comprehension Scale |
|  | - | - | Mother WAIS Digit Symbol |
| 12 months | Mother WAIS Block Design | Mother WAIS Performance IQ Score | High-Risk Index component 10 |
|  | Prematurity | Mother WAIS Digit Symbol | Mother WAIS IQ |
|  | High-Risk Index component 10 | Mother WAIS Block Design | Mother WAIS Performance IQ |
|  | - | High-Risk Index component 10 | Mother WAIS Comprehension Scale |
|  | - | - | Mother WAIS Digit Symbol |
| 18 months | Mother WAIS Digit Symbol | High-Risk Index component 10 | Mother WAIS Digit Symbol |
|  | High-Risk Index component 10 | Mother WAIS Digit Symbol | High-Risk Index component 10 |
|  | Firstborn | High-Risk Index | Prematurity |
|  | - | Firstborn | Birthweight |
|  | - | - | Low Birthweight |
| 24 months | Mother WAIS Digit Symbol | High-Risk Index component 10 | Mother WAIS Digit Symbol |
|  | High-Risk Index component 10 | Mother WAIS Digit Symbol | High-Risk Index component 10 |
|  | Firstborn | High-Risk Index | Prematurity |
|  | - | Firstborn | Birthweight |
|  | - | - | Low Birthweight |
| 36 months | Mother WAIS Digit Symbol | High-Risk Index component 10 | High-Risk Index component 4 |
|  | High-Risk Index component 10 | Mother WAIS Digit Symbol | Mother WAIS Comprehension Scale |
|  | Firstborn | High-Risk Index | Mother WAIS Digit Symbol |
|  | - | Firstborn | High-Risk Index component 10 |
|  | - | - | Firstborn |

This table reports the selection of IPW covariates for males at different ages. Our selection of IPW covariates is based on a method that minimizes the Akaike Information Criteria among the various estimated logit models. Our selection is based on the following four basic steps. First we fix the number of covariates at $k$. Second, for each fixed number of covariates, we run logit regressions of the attrition indicator on the treatment status, a constant term and all possible combinations of $k$ covariates that are statistically imbalanced between the attrited and non-attrited groups for each age. We then select the set of variables that generates the lowest information criteria.

| Age | 3 Covariates | 4 Covariates | 5 Covariates |
| :---: | :---: | :---: | :---: |
| 48 months | Mother WAIS Digit Symbol | High-Risk Index component 10 | High-Risk Index component 4 |
|  | High-Risk Index component 10 | Mother WAIS Digit Symbol | Mother WAIS Comprehension Scale |
|  | Firstborn | High-Risk Index | Mother WAIS Digit Symbol |
|  | - | Firstborn | High-Risk Index component 10 |
|  | - | - | Firstborn |
| 60 months | Mother WAIS Digit Symbol | High-Risk Index component 10 | High-Risk Index component 4 |
|  | High-Risk Index component 10 | Mother WAIS Digit Symbol | Mother WAIS Comprehension Scale |
|  | Firstborn | High-Risk Index | Mother WAIS Digit Symbol |
|  | - | Firstborn | High-Risk Index component 10 |
|  | - | - | Firstborn |
| 96 months | High-Risk Index component 5 | High-Risk Index component 5 | High-Risk Index component 5 |
|  | Mother WAIS Block Design | High-Risk Index component 10 | Mother WAIS Comprehension Scale |
|  | Firstborn | Mother WAIS Block Design | Firstborn |
|  | - | Firstborn | Birthlength |
|  | - | - | High-Risk Index component 10 |
| 21 years | High-Risk Index | High-Risk Index component 10 | High-Risk Index component 5 |
|  | High-Risk Index component 10 | High-Risk Index component 4 | Mother WAIS IQ |
|  | Low Birthweight | Mother WAIS Comprehension Scale | Father's Age at Entry |
|  | - | Mother WAIS Digit Symbol | Low Birthweight |
|  | - | - | High-Risk Index component 10 |
| 30 years | Low Birthweight | High-Risk Index component 10 | High-Risk Index component 4 |
|  | High-Risk Index component 10 | High-Risk Index component 13 | Mother WAIS Digit Symbol |
|  | Firstborn | Birthlength | Number of siblings |
|  | - | Firstborn | High-Risk Index component 10 |
|  | - | - | Firstborn |
| 35 years | Prematurity | Prematurity | High-Risk Index component 5 |
|  | Substance abuse score at age 30 | Substance abuse score at age 30 | Mother WAIS Comprehension |
|  | Exam for illness at age 30 | Exam for illness at age 30 | Prematurity |
|  | - | ADH Problems Score at age 30 | Marijuana Usage at age 30 |
|  | - | - | Substance abuse score at age 30 |

This table is a continuation of Table S1 and reports the selection of IPW covariates for males at different ages. Our selection of IPW covariates is based on a method that minimizes the Akaike Information Criteria among the various estimated logit models. Our selection is based on the following four basic steps. First we fix the number of covariates at $k$. Second, for each fixed number of covariates, we run logit regressions of the attrition indicator on the treatment status, a constant term and all possible combinations of $k$ covariates that are statistically imbalanced between the attrited and non-attrited groups for each age. We then select the set of variables that generates the lowest information criteria.

Table S2: Selection of IPW Covariates, Females

| Age | 3 Covariates | 4 Covariates | 5 Covariates |
| :---: | :---: | :---: | :---: |
| 3 Months | High-Risk Index component 10 | High-Risk Index component 4 | High-Risk Index component 4 |
|  | High-Risk Index component 13 | High-Risk Index component 13 | Mother WAIS Digit Symbol |
|  | Firstborn | High-Risk Index component 10 | Mother married |
|  | - | Prematurity | Prematurity |
|  | - | - | High-Risk Index component 10 |
| 6 months | High-Risk Index component 10 | High-Risk Index component 4 | High-Risk Index component 4 |
|  | High-Risk Index component 13 | High-Risk Index component 13 | Mother WAIS Digit Symbol |
|  | Firstborn | High-Risk Index component 10 | Mother married |
|  | - | Prematurity | Prematurity |
|  | - | - | High-Risk Index component 10 |
| 9 months | High-Risk Index component 4 | High-Risk Index component 4 | Mother WAIS Performance IQ |
|  | Mother married | Mother married | Mother WAIS Block Design |
|  | Prematurity | Prematurity | Mother working |
|  | - | High-Risk Index component 10 | High-Risk Index component 10 |
|  | - | - | Prematurity |
| 12 months | High-Risk Index component 10 | High-Risk Index component 4 | Mother WAIS Digit Symbol |
|  | High-Risk Index component 13 | High-Risk Index component 13 | High-Risk Index component 4 |
|  | Firstborn | High-Risk Index component 10 | Mother married |
|  | - | Prematurity | Prematurity |
|  | - | - | High-Risk Index component 10 |
| 18 months | High-Risk Index component 10 | High-Risk Index component 4 | High-Risk Index component 4 |
|  | High-Risk Index component 13 | High-Risk Index component 13 | Mother WAIS Digit Symbol |
|  | Firstborn | High-Risk Index component 10 | Mother married |
|  | - | Prematurity | Prematurity |
|  | - | - | High-Risk Index component 10 |
| 24 months | High-Risk Index component 10 | High-Risk Index component 4 | High-Risk Index component 4 |
|  | High-Risk Index component 13 | High-Risk Index component 13 | Mother WAIS Digit Symbol |
|  | Firstborn | High-Risk Index component 10 | Mother married |
|  | - | Prematurity | Prematurity |
|  | - | - | High-Risk Index component 10 |
| 36 months | High-Risk Index component 10 | High-Risk Index component 4 | High-Risk Index component 4 |
|  | High-Risk Index component 13 | High-Risk Index component 13 | Mother WAIS Digit Symbol |
|  | Firstborn | High-Risk Index component 10 | Mother married |
|  | - | Prematurity | Prematurity |
|  | - | - | High-Risk Index component 10 |

This table reports the selection of IPW covariates for females at different ages. Our selection of IPW covariates is based on a method that minimizes the Akaike Information Criteria among the various estimated logit models. It is also age and gender specific. Our selection is based on the following four basic steps. First we fix the number of covariates at $k$. Second, for each fixed number of covariates, we run logit regressions of the attrition indicator on the treatment status, a constant term and all possible combinations of $k$ covariates that are statistically imbalanced between the attrited and non-attrited groups for each age. We then select the set of variables that generates the lowest information criteria.

| Science |  |  |  |
| :---: | :---: | :---: | :---: |
| MIAAAS |  |  |  |
| 48 months | High-Risk Index component 10 | High-Risk Index component 4 | High-Risk Index component 4 |
|  | High-Risk Index component 13 | High-Risk Index component 13 | Mother WAIS Digit Symbol |
|  | Firstborn | High-Risk Index component 10 | Mother married |
|  | - | Prematurity | Prematurity |
|  | - | - | High-Risk Index component 10 |
| 60 months | High-Risk Index component 5 | Mother WAIS Digit Symbol | Mother WAIS Block Design |
|  | Birthlength | Birthlength | Father working |
|  | Firstborn | Prematurity | Birthlength |
|  | - | Birthweight | Birthweight |
|  | - | - | Firstborn |
| 96 months | Birthweight | Mother's Age at Entry | Mother WAIS Block Design |
|  | Birthlength | Father's Age at Entry | Father working |
|  | Firstborn | Low Birthweight | Mother working |
|  | - | Firstborn | Birthlength |
|  | - | - | Firstborn |
| 21 years | High-Risk Index component 5 | High-Risk Index component 10 | Mother WAIS Performance IQ |
|  | Prematurity | Mother WAIS full scale IQ | Prematurity |
|  | High-Risk Index component 10 | Firstborn | High-Risk Index component 10 |
|  | - | High-Risk Index component 2 | Mother WAIS full scale IQ |
|  | - | - | High-Risk Index component 2 |
| 30 years | High-Risk Index component 5 | High-Risk Index component 10 | Mother WAIS Performance IQ |
|  | Prematurity | Mother WAIS full scale IQ | Prematurity |
|  | High-Risk Index component 10 | Firstborn | High-Risk Index component 10 |
|  | - | High-Risk Index component 2 | Mother WAIS full scale IQ |
|  | - | - | High-Risk Index component 2 |
| 35 years | Prematurity | Mother WAIS Digit Symbol | Father working |
|  | Substance abuse score at age 30 | Prematurity | Birthlength |
|  | Rule Breaking Score at age 30 | Substance abuse score at age 30 | Low Birthweight |
|  | - | Rule Breaking Score at age 30 | Prematurity |
|  | - | - | Substance abuse score at age 30 |

This table is a continuation of Table S2 and reports the selection of IPW covariates for females at different ages. Our selection of IPW covariates is based on a method that minimizes the Akaike Information Criteria among the various estimated logit models. Our selection is based on the following four basic steps. First we fix the number of covariates at $k$. Second, for each fixed number of covariates, we run logit regressions of the attrition indicator on the treatment status, a constant term and all possible combinations of $k$ covariates that are statistically imbalanced between the attrited and non-attrited groups for each age. We then select the set of variables that generates the lowest information criteria.

## D Attrition

Attrition Among the 111 children who enrolled in the intervention, 16 attrited from the study sample for various reasons before the end of the preschool treatment (83). The remaining set of 95 participants consists of 49 treated and 46 controls, resulting in overall retention rates of $86 \%$ since the start of enrollment or $78 \%$ for the randomized sample. After age 5, a new randomization reassigned treatment and control status among participants for the second phase of the ABC project. After the second randomization, three children who were assigned to be controls in the first phase and treated in the second did not receive the assigned intervention, so that the sample size was further reduced. Attrition patterns across treatment assignment and gender at all waves included in our analysis are shown in Table S3.

A severe loss in the sample was experienced in the biomedical sweep. In addition to the general reasons which lead to a lower response rate in biomedical surveys, there was one specific to this data collection: the fact that the medical visits had to be scheduled in the physician's office at very specific times, with little ability to reschedule and many missed appointments.

Among the 101 individuals who participated in the age 30 sweep, only 72 took part in the biomedical sweep. Table S3 shows that the worst loss was experienced for males belonging to the control group, where only 12 out of the 21 who were surveyed at age 30 took part in the biomedical sweep; on the other hand, the highest retention rate of $78 \%$ was obtained for the females in the control group. Additionally, out of these 72 individuals, only 68 of them underwent the physical exam: 4 of them only participated in the blood data collection (all males, 3 belonging to the control group).

Given the extent of the attrition in the biomedical sweep, and the relevance of the information collected there for our analysis, here we provide a detailed description of the
characteristics of the attriters. We compare the attriters vs. the non-attriters, by gender and treatment status (84), with respect to four sets of baseline variables: components of the High-Risk Index, maternal IQ, socioeconomic characteristics at intake and birth-related information; and with respect to different sets of covariates observed in the previous sweep: lifestyles (smoking, drinking, marijuana use), health care availability, physical and mental health. Tables S4-S9 report all the variables that are statistically significantly different between attrited and non-attrited at a $10 \%$ level (or lower) after having performed permutation.

We find a consistent pattern of selection into the biomedical sweep, which does not vary significantly by treatment status and gender. First, those who participated in the biomedical sweep were in general positively selected with respect to baseline characteristics: treated females who participated were less likely to have an absent father or no maternal relatives in the area (see Table S4) (85); control males who participated in either the physical exam or the lab tests were born to younger mothers with higher IQ (Tables S7 and S9); non-attrited males of both treatment groups had on average fewer siblings at the baseline (Tables S6-S9); and treated males who took part in the physical exam were significantly longer at birth, less likely to be low birthweight and less likely to be premature than those who attrited (Table S6). This pattern is typical. Individuals with more favorable traits and circumstances are more likely to be retained in the sample. Second, those who participated in the biomedical sweep were negatively selected with respect to age 30 characteristics: the females were more likely to be smokers and to use substances, and to have high blood pressure (Tables S4-S5) (86); non-attrited males were also more likely to engage in unhealthy behaviors, were less likely to have availability of health care at age 30, and were significantly more likely than the non-attrited to have poorer mental health, as reflected in the Achenbach DSM and problem scales (Tables S6-S9) (87). This suggests that some individuals might have participated in the biomedical sweep to obtain free health care services.

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Hence, on the basis of this analysis, the full set of variables which has been selected to perform our procedure for IPW variable selection for the biomedical sweep (see Section C and Tables S1-S2) is: HRI component 1 (father absent), HRI component 2 (no maternal relatives in the area), HRI component 10 (other special circumstances), mother's WAIS performance IQ, mother's WAIS comprehension scale score, mother's WAIS digit symbol, mother's WAIS block design, mother's and father's age at entry in the program, father working at intake, mother married at intake, number of siblings, birth length, low birth weight, prematurity, ever smoker by age 30, number of cigarettes smoked in the past 30 days at age 30, Achenbach substance use scale tobacco ( $t$-score) at age 30, number of times used marijuana during life at age 30, Achenbach substance use scale mean substance abuse ( $t$-score) at age 30, Achenbach Adult Self-Report "Drink too much" at age 30, Achenbach Adult Self-Report indicator for having any illness at age 30, Adult Self-Report indicator for having a headache at age 30, high blood pressure (self-reported) at age 30, availability of health insurance at age 30, indicator for not having an exam for illness or injury in the past 2 years at age 30 , indicator for not having a routine physical exam in the past 2 years at age 30, Achenbach DSM scale Attention Deficit/Hyperactivity problem ( $t$-score) at age 30, Achenbach DSM scale Antisocial Personality problems ( $t$-score) at age 30, Achenbach ASR problem scale Attention Problems ( $t$-score) at age 30, and Achenbach ASR problem scale Rule Breaking ( $t$-score) at age 30 (88).

Table S3: Attrition in the Abecedarian Intervention

| Sweep | $\begin{array}{\|c} \hline \text { Control } \\ \hline \text { Males } \\ \hline \end{array}$ |  | $\begin{aligned} & \hline \text { Treated } \\ & \text { Males } \end{aligned}$ |  | Control Females |  | Treated Females |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Followed | Attrited | Followed | Attrited | Followed | Attrited | Followed | Attrited |
| Start | 23 | 0 | 29 | 0 | 31 | 0 | 28 | 0 |
| 3 months | 22 | 1 | 28 | 1 | 26 | 5 | 23 | 5 |
| 6 months | 22 | 1 | 25 | 4 | 27 | 4 | 24 | 4 |
| 9 months | 20 | 3 | 16 | 13 | 26 | 5 | 15 | 13 |
| 12 months | 21 | 2 | 27 | 2 | 25 | 6 | 24 | 4 |
| 18 months | 20 | 3 | 26 | 3 | 27 | 4 | 22 | 6 |
| 24 months | 15 | 8 | 27 | 2 | 17 | 14 | 23 | 5 |
| 36 months | 19 | 4 | 25 | 4 | 23 | 8 | 21 | 7 |
| 48 months | 20 | 3 | 24 | 5 | 26 | 5 | 22 | 6 |
| 60 months | 20 | 3 | 24 | 5 | 23 | 8 | 22 | 6 |
| 96 months | 19 | 4 | 26 | 3 | 23 | 8 | 21 | 7 |
| Age 21 | 23 | 0 | 26 | 3 | 28 | 3 | 25 | 3 |
| Age 30 | 21 | 3 | 27 | 2 | 28 | 3 | 25 | 3 |
| Age 35 Lab | 12 | 11 | 20 | 9 | 22 | 9 | 18 | 10 |
| Age 35 PE | 9 | 14 | 19 | 10 | 22 | 9 | 18 | 10 |

Notes: This table presents the sample sizes available in all the waves used in the analysis for the Abecedarian intervention. The first column shows the sweep of interest. The following eight columns present, by gender and treatment status, the number of individuals who have been followed-up in the respective sweep, and the number of the attriters. The sample sizes for the sweeps since 3 months up to 96 months refer to those who participated in the growth measurements. The sample size for the age 21 sweep refers to the Risk Taking Survey. The sample size for the age 30 sweep refers to the Tobacco, Alcohol and Drugs (TAD) Survey. Age 35 Lab refers to the sample of those who took part in the lab blood tests in the biomedical sweep. Age 35 PE refers to the sample of those who took part in the physical exam.

Table S4: Differences between Attrited and Non-Attrited: (Treated, Females)

| Variable | Age | Sample Sizes |  | Attrited <br> Mean | Difference in Means | Asy. $p$-value | $\begin{gathered} \text { Permutation } \\ p \text {-value } \\ \hline \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | \# Attrited | $\#$ Non-Attrited |  |  |  |  |
| Baseline |  |  |  |  |  |  |  |
| HRI component 1: Father absent | 0 | 10 | 17 | 1.000 | -0.235 | 0.096 | 0.070 |
| HRI component 2: No maternal relatives in the area | 0 | 10 | 17 | 0.200 | -0.200 | 0.052 | 0.036 |
| HRI component 10: Other special circumstances | 0 | 10 | 17 | 0.100 | 0.312 | 0.086 | 0.072 |
| Mother WAIS performance IQ score | 0 | 10 | 18 | 87.00 | -0.833 | 0.880 | 0.894 |
| Mother's WAIS comprehension scale score | 0 | 10 | 17 | 8.30 | -0.535 | 0.618 | 0.619 |
| Mother's WAIS digit symbol score | 0 | 10 | 17 | 9.10 | -0.806 | 0.457 | 0.497 |
| Mother's WAIS block design score | 0 | 10 | 17 | 7.30 | -0.771 | 0.411 | 0.435 |
| Mother's age at intake | 0 | 10 | 18 | 19.60 | -0.267 | 0.843 | 0.854 |
| Father's age at intake | 0 | 8 | 18 | 22.62 | -0.681 | 0.749 | 0.747 |
| Father working at intake | 0 | 8 | 18 | 0.875 | -0.264 | 0.185 | 0.142 |
| Mother married at intake | 0 | 10 | 18 | 0.000 | 0.222 | 0.108 | 0.075 |
| Number of siblings | 0 | 10 | 18 | 0.500 | -0.056 | 0.853 | 0.871 |
| Length at birth | 0 | 10 | 18 | 49.80 | -1.022 | 0.359 | 0.361 |
| Low birth weight | 0 | 10 | 18 | 0.100 | 0.011 | 0.930 | 0.905 |
| Prematurity (born before < 37 weeks of gestation) | 0 | 6 | 18 | 0.167 | -0.111 | 0.410 | 0.540 |
| Age 30 |  |  |  |  |  |  |  |
| Ever tried smoking | 30 | 7 | 18 | 0.714 | -0.048 | 0.827 | 0.788 |
| Number of cigarettes smoked per day in the past 30 days | 30 | 7 | 18 | 0.000 | 2.583 | 0.112 | 0.007 |
| Achenbach substance use scale tobacco score | 30 | 7 | 18 | 50.00 | 2.556 | 0.089 | 0.035 |
| Number of times used marijuana during life | 30 | 7 | 18 | 2.286 | 26.80 | 0.129 | 0.066 |
| Achenbach substance use scale substance abuse score | 30 | 7 | 17 | 50.71 | 2.756 | 0.392 | 0.190 |
| Achenbach adult self-report "Drink too much" | 30 | 7 | 18 | 0.000 | 0.167 | 0.261 | 0.236 |
| Achenbach adult self-report indicator "Do you have any illness" | 30 | 7 | 17 | 0.143 | -0.025 | 0.871 | 0.814 |
| Achenbach adult self-report indicator for having a headache | 30 | 7 | 18 | 0.429 | 0.016 | 0.952 | 0.937 |
| High blood pressure (self-reported) | 30 | 7 | 18 | 0.000 | 0.278 | 0.121 | 0.064 |
| No health insurance | 30 | 7 | 18 | 0.143 | 0.135 | 0.494 | 0.448 |
| No routine physical exam in the last 2 years | 30 | 7 | 18 | 0.000 | 0.056 | 0.540 | 0.923 |
| No exam for injury or illness in the last 2 years | 30 | 7 | 18 | 0.571 | -0.183 | 0.425 | 0.429 |
| Achenbach DSM scale Attention Deficit/Hyperactivity problems score | 30 | 7 | 18 | 53.71 | -1.825 | 0.401 | 0.585 |
| Achenbach DSM scale Antisocial Personality problems score | 30 | 7 | 18 | 52.86 | 0.087 | 0.962 | 0.967 |
| Achenbach ASR problem scale Attention Problems score | 30 | 7 | 18 | 54.57 | -1.627 | 0.500 | 0.547 |
| Achenbach ASR problem scale Rule Breaking score | 30 | 7 | 18 | 51.57 | -1.540 | 0.318 | 0.214 |

Notes: This table shows the differences in baseline and age 30 characteristics between attrited and non-attrited at the biomedical sweep for the treatment group of the Abecedarian females. For females there is no difference in the sample size between those who participated in the physical exam and in the blood test collection. We list here the information of each column. Col.1: variable of interest; Col.2: age of the participant when the data was collected; Col.3: attrited sample size; Col.4: non-attrited sample size; Col.5: attrited arithmetic mean; Col.6: unconditional difference in means across attrited and non-attrited; Col.7: the asymptotic $p$-value of the two-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means; Col.8: single hypothesis two-sided permutation $p$-value based on an unconstrained permutation scheme ( 30,000 permutation draws).

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Table S5: Differences between Attrited and Non-Attrited: (Control, Females)

| Variable | Age | Sample Sizes |  | AttritedMean | Difference in Means | Asy. $p$-value | $\left\lvert\, \begin{gathered} \text { Permutati } \\ \text { on } \\ p \text {-value } \end{gathered}\right.$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | \# Attrited | $\begin{gathered} \# \\ \text { Non-Attrited } \end{gathered}$ |  |  |  |  |
| Baseline |  |  |  |  |  |  |  |
| HRI component 1: Father absent | 0 | 9 | 22 | 0.778 | 0.086 | 0.568 | 0.615 |
| HRI component 2: No maternal relatives in the area | 0 | 9 | 22 | 0.111 | -0.111 | 0.114 | 0.025 |
| HRI component 10: Other special circumstances | 0 | 9 | 22 | 0.111 | 0.253 | 0.165 | 0.119 |
| Mother WAIS performance IQ score | 0 | 9 | 22 | 84.89 | -1.662 | 0.730 | 0.741 |
| Mother's WAIS comprehension scale score | 0 | 9 | 22 | 6.444 | 1.237 | 0.178 | 0.078 |
| Mother's WAIS digit symbol score | 0 | 9 | 22 | 9.333 | -0.515 | 0.543 | 0.497 |
| Mother's WAIS block design score | 0 | 9 | 22 | 6.889 | -0.753 | 0.379 | 0.394 |
| Mother's age at intake | 0 | 9 | 22 | 18.44 | 1.237 | 0.459 | 0.444 |
| Father's age at intake | 0 | 9 | 22 | 20.56 | 2.763 | 0.205 | 0.127 |
| Father working at intake | 0 | 9 | 21 | 0.778 | -0.159 | 0.412 | 0.380 |
| Mother married at intake | 0 | 9 | 22 | 0.111 | 0.071 | 0.639 | 0.646 |
| Number of siblings | 0 | 9 | 22 | 0.556 | 0.172 | 0.701 | 0.667 |
| Length at birth | 0 | 7 | 21 | 48.29 | 2.571 | 0.149 | 0.465 |
| Low birth weight | 0 | 8 | 22 | 0.250 | -0.205 | 0.099 | 0.288 |
| Prematurity (born before < 37 weeks of gestation) | 0 | 6 | 22 | 0.167 | -0.167 | 0.048 | 0.003 |
| Age 30 |  |  |  |  |  |  |  |
| Ever tried smoking | 30 | 6 | 22 | 1.000 | -0.227 | 0.205 | 0.084 |
| Number of cigarettes smoked per day in the past 30 days | 30 | 6 | 22 | 2.667 | -0.621 | 0.756 | 0.820 |
| Achenbach substance use scale tobacco score | 30 | 5 | 22 | 54.20 | -1.109 | 0.640 | 0.751 |
| Number of times used marijuana during life | 30 | 6 | 22 | 33.58 | -17.31 | 0.304 | 0.432 |
| Achenbach substance use scale substance abuse score | 30 | 4 | 22 | 50.25 | 1.977 | 0.331 | 0.009 |
| Achenbach adult self-report "Drink too much" | 30 | 6 | 22 | 0.167 | -0.121 | 0.319 | 0.533 |
| Achenbach adult self-report indicator "Do you have any illness" | 30 | 6 | 22 | 0.000 | 0.227 | 0.205 | 0.085 |
| Achenbach adult self-report indicator for having a headache | 30 | 6 | 22 | 0.000 | 0.591 | 0.018 | 0.002 |
| High blood pressure (self-reported) | 30 | 6 | 22 | 0.000 | 0.227 | 0.205 | 0.088 |
| No health insurance | 30 | 6 | 22 | 0.167 | -0.030 | 0.857 | 0.854 |
| No routine physical exam in the last 2 years | 30 | 6 | 22 | 0.000 | 0.136 | 0.352 | 0.280 |
| No exam for injury or illness in the last 2 years | 30 | 6 | 22 | 0.667 | -0.303 | 0.190 | 0.212 |
| Achenbach DSM scale Attention Deficit/Hyperactivity problems score | 30 | 6 | 22 | 51.83 | 3.348 | 0.367 | 0.195 |
| Achenbach DSM scale Antisocial Personality problems score | 30 | 6 | 22 | 54.33 | 2.258 | 0.442 | 0.317 |
| Achenbach ASR problem scale Attention Problems score | 30 | 6 | 22 | 51.17 | 3.697 | 0.166 | 0.051 |
| Achenbach ASR problem scale Rule Breaking score | 30 | 6 | 22 | 53.83 | 2.258 | 0.473 | 0.420 |

Notes: This table shows the differences in baseline and age 30 characteristics between attrited and non-attrited at the biomedical sweep for the control group of the Abecedarian females. For females there is no difference in the sample size between those who participated in the physical exam and in the blood test collection. We list here the information of each column. Col.1: variable of interest; Col.2: age of the participant when the data was collected; Col.3: attrited sample size; Col.4: non-attrited sample size; Col.5: attrited arithmetic mean; Col.6: unconditional difference in means across attrited and non-attrited; Col.7: the asymptotic $p$-value of the two-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means; Col.8: single hypothesis two-sided permutation $p$-value based on an unconstrained permutation scheme ( 30,000 permutation draws).

Table S6: Differences between Attrited and Non-Attrited: (Treated, PE, Males)

| Variable | Age | Sample Sizes |  | Attrited <br> Mean | Difference in Means | Asy. $p$-value | $\left\lvert\, \begin{gathered} \text { Permutati } \\ \text { on } \\ p \text {-value } \end{gathered}\right.$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | \# Attrited | $\#$ Non-Attrited |  |  |  |  |
| Baseline |  |  |  |  |  |  |  |
| HRI component 1: Father absent | 0 | 9 | 19 | 0.667 | 0.175 | 0.303 | 0.348 |
| HRI component 2: No maternal relatives in the area | 0 | 9 | 19 | 0.000 | 0.000 | - | - |
| HRI component 10: Other special circumstances | 0 | 9 | 19 | 0.333 | 0.035 | 0.862 | 0.877 |
| Mother WAIS performance IQ score | 0 | 10 | 19 | 88.50 | -1.079 | 0.807 | 0.810 |
| Mother's WAIS comprehension scale score | 0 | 10 | 19 | 8.800 | -1.379 | 0.228 | 0.305 |
| Mother's WAIS digit symbol score | 0 | 10 | 19 | 9.800 | 0.095 | 0.939 | 0.943 |
| Mother's WAIS block design score | 0 | 10 | 19 | 7.600 | -1.179 | 0.213 | 0.200 |
| Mother's age at intake | 0 | 10 | 19 | 21.20 | -2.305 | 0.166 | 0.276 |
| Father's age at intake | 0 | 9 | 19 | 23.33 | -0.333 | 0.850 | 0.871 |
| Father working at intake | 0 | 9 | 19 | 0.444 | 0.398 | 0.025 | 0.057 |
| Mother married at intake | 0 | 10 | 19 | 0.300 | -0.195 | 0.195 | 0.245 |
| Number of siblings | 0 | 10 | 19 | 1.100 | -0.837 | 0.042 | 0.130 |
| Length at birth | 0 | 9 | 18 | 46.78 | 3.500 | 0.015 | 0.054 |
| Low birth weight | 0 | 9 | 19 | 0.222 | -0.222 | 0.029 | 0.009 |
| Prematurity (born before <37 weeks of gestation) | 0 | 8 | 19 | 0.375 | -0.322 | 0.027 | 0.141 |
| Age 30 |  |  |  |  |  |  |  |
| Ever tried smoking | 30 | 8 | 19 | 0.750 | 0.197 | 0.140 | 0.269 |
| Number of cigarettes smoked per day in the past 30 days | 30 | 8 | 19 | 1.500 | 3.000 | 0.164 | 0.092 |
| Achenbach substance use scale tobacco score | 30 | 7 | 18 | 52.57 | 1.095 | 0.499 | 0.433 |
| Number of times used marijuana during life | 30 | 8 | 19 | 26.81 | 32.66 | 0.068 | 0.056 |
| Achenbach substance use scale substance abuse score | 30 | 7 | 18 | 51.57 | 2.706 | 0.132 | 0.065 |
| Achenbach adult self-report "Drink too much" | 30 | 8 | 19 | 0.125 | 0.243 | 0.348 | 0.247 |
| Achenbach adult self-report indicator "Do you have any illness" | 30 | 8 | 18 | 0.125 | 0.125 | 0.129 | 0.026 |
| Achenbach adult self-report indicator for having a headache | 30 | 8 | 19 | 0.000 | 0.263 | 0.110 | 0.059 |
| High blood pressure (self-reported) | 30 | 8 | 19 | 0.000 | 0.105 | 0.355 | 0.464 |
| No health insurance | 30 | 8 | 19 | 0.250 | 0.066 | 0.743 | 0.754 |
| No routine physical exam in the last 2 years | 30 | 8 | 19 | 0.000 | 0.263 | 0.110 | 0.054 |
| No exam for injury or illness in the last 2 years | 30 | 8 | 19 | 0.875 | -0.401 | 0.049 | 0.031 |
| Achenbach DSM scale Attention Deficit/Hyperactivity problems score | 30 | 8 | 19 | 51.75 | 3.776 | 0.085 | 0.021 |
| Achenbach DSM scale Antisocial Personality problems score | 30 | 8 | 19 | 53.00 | 4.474 | 0.136 | 0.064 |
| Achenbach ASR problem scale Attention Problems score | 30 | 8 | 19 | 51.00 | 5.105 | 0.059 | 0.004 |
| Achenbach ASR problem scale Rule Breaking score | 30 | 8 | 19 | 52.62 | 4.796 | 0.108 | 0.045 |

Notes: This table shows the differences in baseline and age 30 characteristics between attrited and non-attrited at the biomedical sweep for the treatment group of the Abecedarian males who participated in the physical exam (PE). For males there is a difference in the sample size between those who participated in the physical exam and in the blood test collection. We list here the information of each column. Col.1: variable of interest; Col.2: age of the participant when the data was collected; Col.3: attrited sample size; Col.4: non-attrited sample size; Col.5: attrited arithmetic mean; Col.6: unconditional difference in means across attrited and non-attrited; Col.7: the asymptotic $p$-value of the two-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means; Col.8: single hypothesis two-sided permutation $p$-value based on an unconstrained permutation scheme (30,000 permutation draws).

Table S7: Differences between Attrited and Non-Attrited: (Control, PE, Males)

| Variable | Age | Sample Sizes |  | Attrited <br> Mean | Difference in Means | Asy. p-value | $\left\lvert\, \begin{gathered} \text { Permutati } \\ \text { on } \\ p \text {-value } \end{gathered}\right.$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | \# Attrited | $\#$ Non-Attrited |  |  |  |  |
| Baseline |  |  |  |  |  |  |  |
| HRI component 1: Father absent | 0 | 14 | 9 | 0.643 | 0.024 | 0.911 | 0.950 |
| HRI component 2: No maternal relatives in the area | 0 | 14 | 9 | 0.000 | 0.222 | 0.061 | 0.042 |
| HRI component 10: Other special circumstances | 0 | 14 | 9 | 0.143 | 0.302 | 0.109 | 0.153 |
| Mother WAIS performance IQ score | 0 | 14 | 9 | 84.86 | 8.143 | 0.025 | 0.025 |
| Mother's WAIS comprehension scale score | 0 | 14 | 8 | 9.214 | -1.839 | 0.096 | 0.101 |
| Mother's WAIS digit symbol score | 0 | 14 | 9 | 8.571 | 1.984 | 0.021 | 0.027 |
| Mother's WAIS block design score | 0 | 14 | 9 | 6.643 | 1.468 | 0.110 | 0.081 |
| Mother's age at intake | 0 | 14 | 9 | 23.43 | -4.762 | 0.121 | 0.089 |
| Father's age at intake | 0 | 14 | 9 | 26.57 | -1.794 | 0.623 | 0.619 |
| Father working at intake | 0 | 14 | 9 | 0.929 | -0.151 | 0.309 | 0.354 |
| Mother married at intake | 0 | 14 | 9 | 0.357 | -0.024 | 0.911 | 0.949 |
| Number of siblings | 0 | 14 | 9 | 1.071 | -0.738 | 0.186 | 0.141 |
| Length at birth | 0 | 14 | 9 | 49.36 | 0.310 | 0.818 | 0.812 |
| Low birth weight | 0 | 14 | 9 | 0.071 | 0.151 | 0.309 | 0.350 |
| Prematurity (born before <37 weeks of gestation) | 0 | 14 | 9 | 0.143 | -0.032 | 0.834 | 0.845 |
| Age 30 |  |  |  |  |  |  |  |
| Ever tried smoking | 30 | 12 | 8 | 0.667 | 0.208 | 0.308 | 0.282 |
| Number of cigarettes smoked per day in the past 30 days | 30 | 12 | 8 | 1.000 | 5.312 | 0.013 | 0.054 |
| Achenbach substance use scale tobacco score | 30 | 9 | 6 | 50.78 | 3.889 | 0.016 | 0.088 |
| Number of times used marijuana during life | 30 | 12 | 8 | 32.29 | 36.02 | 0.061 | 0.079 |
| Achenbach substance use scale substance abuse score | 30 | 9 | 5 | 51.67 | 4.533 | 0.007 | 0.050 |
| Achenbach adult self-report "Drink too much" | 30 | 12 | 9 | 0.000 | 0.222 | 0.084 | 0.070 |
| Achenbach adult self-report indicator "Do you have any illness" | 30 | 11 | 9 | 0.182 | 0.040 | 0.832 | 0.863 |
| Achenbach adult self-report indicator for having a headache | 30 | 12 | 9 | 0.083 | 0.139 | 0.386 | 0.414 |
| High blood pressure (self-reported) | 30 | 12 | 9 | 0.167 | 0.056 | 0.761 | 0.781 |
| No health insurance | 30 | 12 | 9 | 0.333 | 0.444 | 0.037 | 0.044 |
| No routine physical exam in the last 2 years | 30 | 11 | 9 | 0.273 | 0.283 | 0.209 | 0.216 |
| No exam for injury or illness in the last 2 years | 30 | 12 | 9 | 0.417 | -0.083 | 0.712 | 0.703 |
| Achenbach DSM scale Attention Deficit/Hyperactivity problems score | 30 | 12 | 9 | 51.42 | 2.250 | 0.028 | 0.068 |
| Achenbach DSM scale Antisocial Personality problems score | 30 | 12 | 9 | 52.33 | 4.556 | 0.078 | 0.129 |
| Achenbach ASR problem scale Attention Problems score | 30 | 12 | 9 | 51.58 | 1.861 | 0.098 | 0.131 |
| Achenbach ASR problem scale Rule Breaking score | 30 | 12 | 9 | 52.42 | 4.583 | 0.046 | 0.069 |

Notes: This table shows the differences in baseline and age 30 characteristics between attrited and non-attrited at the biomedical sweep for the control group of the Abecedarian males who participated in the physical exam (PE). For males there is a difference in the sample size between those who participated in the physical exam and in the blood test collection. We list here the information of each column. Col.1: variable of interest; Col.2: age of the participant when the data was collected; Col.3: attrited sample size; Col.4: non-attrited sample size; Col.5: attrited arithmetic mean; Col.6: unconditional difference in means across attrited and non-attrited; Col.7: the asymptotic $p$-value of the two-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means; Col.8: single hypothesis two-sided permutation $p$-value based on an unconstrained permutation scheme (30,000 permutation draws).

Table S8: Differences between Attrited and Non-Attrited: (Treated, Lab, Males)

| Variable | Age | Sample Sizes |  | Attrited Mean | Difference in Means | $\underset{p \text {-value }}{\text { Asy. }}$ | $\begin{gathered} \text { Permutati } \\ \text { on } \\ p \text {-value } \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | \# Attrited | $\begin{gathered} \# \\ \text { Non-Attrited } \end{gathered}$ |  |  |  |  |
| Baseline |  |  |  |  |  |  |  |
| HRI component 1: Father absent | 0 | 8 | 20 | 0.625 | 0.225 | 0.198 | 0.275 |
| HRI component 2: No maternal relatives in the area | 0 | 8 | 20 | 0.000 | 0.0000 | - | - |
| HRI component 10: Other special circumstances | 0 | 8 | 20 | 0.375 | -0.025 | 0.905 | 0.913 |
| Mother WAIS performance IQ score | 0 | 9 | 20 | 87.89 | -0.139 | 0.976 | 0.976 |
| Mother's WAIS comprehension scale score | 0 | 9 | 20 | 8.778 | -1.278 | 0.279 | 0.383 |
| Mother's WAIS digit symbol score | 0 | 9 | 20 | 9.667 | 0.283 | 0.824 | 0.834 |
| Mother's WAIS block design score | 0 | 9 | 20 | 7.444 | -0.894 | 0.363 | 0.350 |
| Mother's age at intake | 0 | 9 | 20 | 21.44 | -2.544 | 0.135 | 0.276 |
| Father's age at intake | 0 | 8 | 20 | 23.62 | -0.725 | 0.689 | 0.740 |
| Father working at intake | 0 | 8 | 20 | 0.375 | 0.475 | 0.008 | 0.030 |
| Mother married at intake | 0 | 9 | 20 | 0.333 | -0.233 | 0.127 | 0.182 |
| Number of siblings | 0 | 9 | 20 | 1.111 | -0.811 | 0.057 | 0.200 |
| Length at birth | 0 | 8 | 19 | 47.75 | 1.934 | 0.220 | 0.288 |
| Low birth weight | 0 | 8 | 20 | 0.125 | -0.075 | 0.501 | 0.557 |
| Prematurity (born before <37 weeks of gestation) | 0 | 7 | 20 | 0.286 | -0.186 | 0.244 | 0.340 |
| Age 30 |  |  |  |  |  |  |  |
| Ever tried smoking | 30 | 7 | 20 | 0.714 | 0.236 | 0.087 | 0.294 |
| Number of cigarettes smoked per day in the past 30 days | 30 | 7 | 20 | 1.714 | 2.561 | 0.259 | 0.163 |
| Achenbach substance use scale tobacco score | 30 | 6 | 19 | 52.17 | 1.570 | 0.353 | 0.281 |
| Number of times used marijuana during life | 30 | 7 | 20 | 20.71 | 39.26 | 0.032 | 0.025 |
| Achenbach substance use scale substance abuse score | 30 | 6 | 19 | 51.83 | 2.219 | 0.247 | 0.133 |
| Achenbach adult self-report "Drink too much" | 30 | 7 | 20 | 0.000 | 0.400 | 0.130 | 0.040 |
| Achenbach adult self-report indicator "Do you have any illness" | 30 | 7 | 19 | 0.000 | 0.053 | 0.552 | 0.937 |
| Achenbach adult self-report indicator for having a headache | 30 | 7 | 20 | 0.000 | 0.250 | 0.147 | 0.073 |
| High blood pressure (self-reported) | 30 | 7 | 20 | 0.000 | 0.100 | 0.400 | 0.485 |
| No health insurance | 30 | 7 | 20 | 0.286 | 0.014 | 0.946 | 0.925 |
| No routine physical exam in the last 2 years | 30 | 7 | 20 | 0.000 | 0.250 | 0.147 | 0.072 |
| No exam for injury or illness in the last 2 years | 30 | 7 | 20 | 0.857 | -0.357 | 0.099 | 0.069 |
| Achenbach DSM scale Attention Deficit/Hyperactivity problems score | 30 | 7 | 20 | 51.57 | 3.829 | 0.095 | 0.022 |
| Achenbach DSM scale Antisocial Personality problems score | 30 | 7 | 20 | 52.00 | 5.600 | 0.069 | 0.014 |
| Achenbach ASR problem scale Attention Problems score | 30 | 7 | 20 | 50.86 | 5.043 | 0.075 | 0.005 |
| Achenbach ASR problem scale Rule Breaking score | 30 | 7 | 20 | 51.43 | 6.171 | 0.042 | 0.005 |

Notes: This table shows the differences in baseline and age 30 characteristics between attrited and non-attrited at the biomedical sweep for the treatment group of the Abecedarian males who participated in the lab tests. For males there is a difference in the sample size between those who participated in the physical exam and in the blood test collection. We list here the information of each column. Col.1: variable of interest; Col.2: age of the participant when the data was collected; Col.3: attrited sample size; Col.4: non-attrited sample size; Col.5: attrited arithmetic mean; Col.6: unconditional difference in means across attrited and non-attrited; Col.7: the asymptotic $p$-value of the two-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means; Col.8: single hypothesis two-sided permutation $p$-value based on an unconstrained permutation scheme ( 30,000 permutation draws).

Table S9: Differences between Attrited and Non-Attrited: (Control, Lab, Males)

| Variable | Age | Sample Sizes |  | $\begin{gathered} \text { Attrited } \\ \text { Mean } \end{gathered}$ | $\begin{gathered} \text { Difference } \\ \text { in Means } \end{gathered}$ | $\underset{p \text {-value }}{\text { Asy. }}$ | $\begin{gathered} \text { Permutati } \\ \text { on } \\ p \text {-value } \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | \# Attrited | $\#$ Non-Attrited |  |  |  |  |
| Baseline |  |  |  |  |  |  |  |
| HRI component 1: Father absent | 0 | 11 | 12 | 0.545 | 0.205 | 0.319 | 0.361 |
| HRI component 2: No maternal relatives in the area | 0 | 11 | 12 | 0.000 | 0.167 | 0.162 | 0.167 |
| HRI component 10: Other special circumstances | 0 | 11 | 12 | 0.182 | 0.152 | 0.426 | 0.449 |
| Mother WAIS performance IQ score | 0 | 11 | 12 | 84.18 | 7.402 | 0.040 | 0.063 |
| Mother's WAIS comprehension scale score | 0 | 11 | 11 | 9.182 | -1.273 | 0.244 | 0.261 |
| Mother's WAIS digit symbol score | 0 | 11 | 12 | 8.455 | 1.712 | 0.046 | 0.053 |
| Mother's WAIS block design score | 0 | 11 | 12 | 6.273 | 1.811 | 0.038 | 0.064 |
| Mother's age at intake | 0 | 11 | 12 | 25.18 | -6.932 | 0.014 | 0.027 |
| Father's age at intake | 0 | 11 | 12 | 28.73 | -5.477 | 0.109 | 0.138 |
| Father working at intake | 0 | 11 | 12 | 0.909 | -0.076 | 0.606 | 0.594 |
| Mother married at intake | 0 | 11 | 12 | 0.455 | -0.205 | 0.319 | 0.353 |
| Number of siblings | 0 | 11 | 12 | 1.364 | -1.114 | 0.032 | 0.045 |
| Length at birth | 0 | 11 | 12 | 49.64 | -0.303 | 0.817 | 0.838 |
| Low birth weight | 0 | 11 | 12 | 0.091 | 0.076 | 0.606 | 0.587 |
| Prematurity (born before $<37$ weeks of gestation) | 0 | 11 | 12 | 0.091 | 0.076 | 0.606 | 0.588 |
| Age 30 |  |  |  |  |  |  |  |
| Ever tried smoking | 30 | 9 | 11 | 0.667 | 0.152 | 0.456 | 0.485 |
| Number of cigarettes smoked per day in the past 30 days | 30 | 9 | 11 | 1.333 | 3.258 | 0.153 | 0.168 |
| Achenbach substance use scale tobacco score | 30 | 7 | 8 | 51.00 | 2.500 | 0.155 | 0.185 |
| Number of times used marijuana during life | 30 | 9 | 11 | 39.61 | 12.89 | 0.524 | 0.524 |
| Achenbach substance use scale substance abuse score | 30 | 7 | 7 | 52.14 | 2.286 | 0.233 | 0.280 |
| Achenbach adult self-report "Drink too much" | 30 | 9 | 12 | 0.000 | 0.167 | 0.207 | 0.224 |
| Achenbach adult self-report indicator "Do you have any illness" | 30 | 9 | 11 | 0.222 | -0.040 | 0.832 | 0.878 |
| Achenbach adult self-report indicator for having a headache | 30 | 9 | 12 | 0.111 | 0.056 | 0.733 | 0.724 |
| High blood pressure (self-reported) | 30 | 9 | 12 | 0.111 | 0.139 | 0.442 | 0.424 |
| No health insurance | 30 | 9 | 12 | 0.333 | 0.333 | 0.133 | 0.182 |
| No routine physical exam in the last 2 years | 30 | 8 | 12 | 0.250 | 0.250 | 0.278 | 0.275 |
| No exam for injury or illness in the last 2 years | 30 | 9 | 12 | 0.556 | -0.306 | 0.159 | 0.185 |
| Achenbach DSM scale Attention Deficit/Hyperactivity problems score | 30 | 9 | 12 | 51.33 | 1.833 | 0.367 | 0.380 |
| Achenbach DSM scale Antisocial Personality problems score | 30 | 9 | 12 | 52.89 | 2.444 | 0.367 | 0.380 |
| Achenbach ASR problem scale Attention Problems score | 30 | 9 | 12 | 51.67 | 1.250 | 0.281 | 0.280 |
| Achenbach ASR problem scale Rule Breaking score | 30 | 9 | 12 | 52.44 | 3.389 | 0.156 | 0.173 |

Notes: This table shows the differences in baseline and age 30 characteristics between attrited and non-attrited at the biomedical sweep for the control group of the Abecedarian males who participated in the lab tests. For males there is a difference in the sample size between those who participated in the physical exam and in the blood test collection. We list here the information of each column. Col.1: variable of interest; Col.2: age of the participant when the data was collected; Col.3: attrited sample size; Col.4: non-attrited sample size; Col.5: attrited arithmetic mean; Col.6: unconditional difference in means across attrited and non-attrited; Col.7: the asymptotic $p$-value of the two-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means; Col.8: single hypothesis two-sided permutation $p$-value based on an unconstrained permutation scheme (30,000 permutation draws).

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## E Estimation results

In this section we provide additional results on the prevalence of behavioral risk factors, and then we report all the complete estimation results presented in the paper. Results on behavioral risk factors are displayed in Table S10. While the effects of the intervention on health are pervasive across multiple domains, the effects on behavioral risk factors are less pronounced and are not always in beneficial directions. Treated females are less likely to have ever been regular smokers by age 30 (diff. $=0.243$ ), although the treatment effect is only marginally significant ( $p$ $=0.071$ ). However, if they are smokers, on average they have an earlier age of onset of smoking, although the difference is not statistically significant at conventional levels. In contrast, treated males, if smokers, have a significantly delayed onset—by almost 3 years (diff. $=2.829 ; p=0.051$ ). Gender differences are also found with respect to alcohol use. Treated males show a trend towards early and more intensive use of alcohol, although these differences never achieve statistical significance at conventional levels. Treated females, instead, are significantly less likely to have experienced early onset drinking ( 0.280 vs. $0.571 ; p=0.011$ ).

There are no statistically significant differences between treatments and controls with respect to marijuana use, apart from a higher age of onset for treated males (17.5 vs. 15.5; $p=0.052$ ). Finally, treated women are also more likely to engage in physical activity ( 0.320 vs. $0.071 ; p=0.004$ ) and to have a diet richer in fruit ( 0.800 vs. $0.286 ; p=0.004$ ) at age 21. Information is not available in the latest surveys.

Tables S11 and S12 display the full results for Tables 1 and 2 (Biomedical Sweep). Tables S13 and S14 display the full results for Tables 3, 4 and S10 (Health Care, Physical Development and Behavioral Risk Factors). In addition to the information reported in Tables 1-4, these supplementary tables provide sample sizes for control and treatment groups, asymptotic and

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permutation-based p-values which do not account for attrition, and a test for gender difference in the effect of the treatment.

The availability of a wider set of results allows us to make two observations. First, in general the asymptotic $p$-values are too small, so that the treatment effects in a few cases are no longer significant at conventional levels, when permutation-based inference is applied. This occurs, for example, in the case of pre-hypertension (Table S12) and physical development (Table S14) for females, or dyslipidemia and severe obesity for males (Table S11). Second, accounting for attrition by means of IPW often leads to lower $p$-values as compared to the cases in which only block permutation is applied. This is evident especially for males, for the outcomes of blood pressure, hypertension, and for the Framingham Risk Score (Table S11).

Then, the tests for gender differences in the treatment effects reveal that, for the biomedical sweep, such differences emerge with respect to hypertension-related outcomes and assessment of nutritional status. In these cases, treated males are significantly better off than controls, while treated females are not-although in the latter case the differences between the two treatment arms never achieve statistical significance. Another gender-related difference emerges in relation to health care coverage at age 30: different from males, treated females are significantly less likely to have health insurance coverage. Finally, treated males are less likely to exercise 4 or more days per week at age 21, although this effect does not achieve statistical significance at conventional levels.

Table S10: Inference for the Abecedarian Intervention, Behavioral Risk Factors

| Variable | Control Mean | Treatment Mean | Difference in <br> Means | $\begin{array}{\|l\|} \hline \text { Conditional } \\ \text { Treatment } \\ \text { Effect } \end{array}$ | $\begin{gathered} \text { Block } \\ p \text {-value } \end{gathered}$ | Step-Down $p$-value | Control Mean | Treatment Mean | Difference in Means | $\begin{array}{\|c\|c\|} \hline \text { Conditional } \\ \text { Treatment } \\ \text { Effect } \end{array}$ | Block $p$-value | Step-Down $p$-value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Males |  |  |  |  |  | Females |  |  |  |  |  |
| Behavioral Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |
| Smoking |  |  |  |  |  |  |  |  |  |  |  |  |
| Never a Regular Smoker by age 30 Age of Onset of Regular Smoking Cigarettes Smoked per Day Past 30 Days at ages $21 \& 30$ | $\begin{array}{r} 0.391 \\ 16.893 \\ 11.167 \end{array}$ | $\begin{array}{r} 0.357 \\ 19.722 \\ 8.685 \end{array}$ | $\begin{gathered} -0.034 \\ 2.829 \\ 2.482 \end{gathered}$ | -0.042 2.660 3.820 | $\begin{aligned} & 0.571 \\ & \mathbf{0 . 0 5 1} \\ & 0.199 \end{aligned}$ | 0.571 0.143 0.344 | $\begin{array}{r} 0.357 \\ 17.861 \\ 10.294 \end{array}$ | 0.600 17.050 10.450 | 0.243 -0.811 -0.156 | 0.221 -1.544 -0.939 | $\mathbf{0 . 0 7 1}$ 0.848 0.567 | 0.195 0.848 0.807 |
| Alcohol Use |  |  |  |  |  |  |  |  |  |  |  |  |
| Early Onset Drinker (before age 17) | 0.609 | 0.539 | 0.070 | 0.074 | 0.336 | 0.762 | 0.571 | 0.280 | 0.291 | 0.344 | 0.011 | 0.046 |
| Drank Driving | 0.391 | 0.538 | -0.147 | -0.090 | 0.663 | 0.877 | 0.222 | 0.120 | 0.102 | 0.100 | 0.172 | 0.358 |
| Age of Onset of Alcohol Use | 17.045 | 15.910 | -1.135 | -1.306 | 0.840 | 0.840 | 16.685 | 17.727 | 1.042 | 1.178 | 0.099 | 0.292 |
| Days At Least 1 Drink Past 30 Days at ages $21 \& 30$ | 9.348 | 11.982 | -2.634 | -1.880 | 0.498 | 0.860 | 8.732 | 5.960 | 2.772 | 1.105 | 0.211 | 0.292 |
| Days 5+ Drinks Past 30 Days at ages 21\&30 | 2.457 | 3.429 | -0.972 | -0.946 | 0.585 | 0.900 | 2.321 | 1.260 | 1.061 | -0.095 | 0.366 | 0.366 |
| Marijuana Use |  |  |  |  |  |  |  |  |  |  |  |  |
| Never Used Marijuana by age 30 | 0.130 | 0.107 | -0.023 | -0.019 | 0.476 | 0.476 | 0.250 | 0.400 | 0.150 | 0.089 | 0.169 | 0.402 |
| Age of Onset of Marijuana Use | 15.475 | 17.500 | 2.025 | 1.763 | 0.052 | 0.136 | 17.190 | 17.866 | 0.676 | 0.828 | 0.274 | 0.471 |
| Times Used Marijuana Past 30 Days at ages 21\&30 | 49.565 | 48.535 | 1.030 | 2.699 | 0.357 | 0.527 | 19.982 | 21.580 | -1.598 | -2.089 | 0.417 | 0.417 |
| Physical Activity and Diet |  |  |  |  |  |  |  |  |  |  |  |  |
| Exercise 4 or more Days per Week at age 21 | 0.391 | 0.307 | -0.084 | -0.094 | 0.858 | 0.858 | 0.071 | 0.320 | 0.249 | 0.287 | 0.004 | 0.008 |
| No. of Fruit Servings per Day at age 21 | 0.826 | 0.846 | 0.020 | -0.015 | 0.524 | 0.745 | 0.286 | 0.800 | 0.514 | 0.518 | 0.004 | 0.005 |

remaining twelve columns present the statistical analysis for males (first six columns) and females (remaining six columns). The columns present the following information for each gender: (1) control mean; (2) treatment mean; (3) unconditional difference in means across treatment and control groups. We multiply the difference in means by ( -1 ) when a higher value of the variable in the raw data represents a worse outcome so that all outcomes are normalized in a favorable direction (but are not restricted to be positive). (4) conditional treatment effect controlling for cohort, number of siblings, mother's IQ and high-risk index at birth, and accounting for attrition using Inverse Probability Weighting (IPW). The selection of covariates for IPW is age- and gender-specific. It is based on the lowest Akaike Information Criteria (AIC) among models examining all combinations of covariates that present statistically significant imbalance between attriters and non-attriters. See Supplementary Material Section C and Tables S1-S2 for details. (5) one-sided single hypothesis block permutation $p$-value associated with the IPW treatment effect estimate. By block permutation we mean that permutations are done within strata defined by the pre-program variables used in the randomization protocol: cohort, gender, number of siblings, mother's IQ and high-risk index. (6) Multiple Hypothesis stepdown p-values associated with (5). The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines. See Tables S13-S14 for complete estimation results.

Table S11: Inference for the Abecedarian Intervention, Main Health Results, Biomedical Sweep (Males)

| Variable | Reversed | Age | Sample Sizes |  | Control Mean | Difference in Means | $\begin{gathered} \text { IPW } \\ \text { Treatment } \\ \text { Effect } \end{gathered}$ | $\underset{\text { Asy. }}{\substack{\text { c-alue }}}$ | $\begin{gathered} \text { Naïve } \\ \boldsymbol{p} \text {-value } \end{gathered}$ | Block Permutation |  | Block IPW Permutation |  | Gender Difference $p$-value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | \# Control | \# Treat. |  |  |  |  |  | $\begin{gathered} \text { Single } \\ p \text {-value } \end{gathered}$ | Step-Down $p$-value | $\begin{gathered} \text { Single } \\ p \text {-value } \end{gathered}$ | Step-Down $p$-value |  |
| Blood Pressure |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Diastolic Blood Pressure (mmHg) | Yes | 35 | 9 | 19 | -92.000 | 13.474 | 19.220 | 0.017 | 0.042 | 0.075 | 0.075 | 0.024 | 0.024 | 0.248 |
| Systolic Blood Pressure (mmHg) | Yes | 35 | 9 | 19 | -143.333 | 17.544 | 24.828 | 0.022 | 0.056 | 0.054 | 0.080 | 0.018 | 0.029 | 0.278 |
| Pre-Hypertension (systolic bp $\geq 120$ \& diastolic bp $\geq 80$ ) | Yes | 35 | 9 | 19 | -0.667 | 0.246 | 0.321 | 0.117 | 0.099 | 0.227 | 0.316 | 0.119 | 0.172 | 0.937 |
| Pre-Hypertension (systolic bp $\geq 120$ or diastolic bp $\geq 80$ ) | Yes | 35 | 9 | 19 | -0.778 | 0.094 | 0.096 | 0.311 | 0.316 | 0.351 | 0.351 | 0.235 | 0.235 | 0.471 |
| Hypertension (systolic bp $\geq 140$ \& diastolic bp $\geq 90$ ) | Yes | 35 | 9 | 19 | -0.444 | 0.339 | 0.537 | 0.019 | 0.040 | 0.066 | 0.066 | 0.010 | 0.018 | 0.264 |
| Hypertension (systolic bp $\geq 140$ or diastolic bp $\geq 90$ ) | Yes | 35 | 9 | 19 | -0.556 | 0.345 | 0.404 | 0.033 | 0.045 | 0.061 | 0.087 | 0.038 | 0.038 | 0.074 |
| Lab Tests |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| High-Density Lipoprotein (HDL) Cholesterol (mg/dL) | No | 35 | 12 | 19 | 42.000 | 11.211 | 11.720 | 0.012 | 0.007 | 0.012 | 0.021 | 0.066 | 0.110 | 0.385 |
| Dyslipidemia (HDL < $40 \mathrm{mg} / \mathrm{dL}$ ) | Yes | 35 | 12 | 19 | -0.417 | 0.311 | 0.255 | 0.020 | 0.033 | 0.045 | 0.045 | 0.179 | 0.179 | 0.544 |
| Pre-Diabetes (HbA1C $\geq 5.7 \%$ ) | Yes | 35 | 12 | 19 | -0.583 | 0.110 | 0.043 | 0.283 | 0.247 | 0.199 | 0.199 | 0.426 | 0.426 | 0.690 |
| Vitamin D Deficiency ( $<20 \mathrm{ng} / \mathrm{mL}$ ) | Yes | 35 | 12 | 19 | -0.750 | 0.382 | 0.435 | 0.018 | 0.016 | 0.034 | 0.034 | 0.021 | 0.021 | 0.102 |
| Obesity |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Overweight (BMI $\geq 25$ ) | Yes | 35 | 8 | 18 | -0.750 | 0.028 | 0.190 | 0.444 | 0.462 | 0.396 | 0.472 | 0.239 | 0.239 | 0.837 |
| Obese ( $\mathrm{BMI} \geq 30$ ) | Yes | 35 | 8 | 18 | -0.625 | 0.069 | 0.211 | 0.376 | 0.384 | 0.454 | 0.454 | 0.233 | 0.345 | 0.972 |
| Severely Obese (BMI $\geq 35$ ) | Yes | 35 | 8 | 18 | -0.375 | 0.264 | 0.404 | 0.059 | 0.088 | 0.126 | 0.261 | 0.115 | 0.232 | 0.582 |
| Waist-Hip Ratio (WHR) | Yes | 35 | 8 | 17 | -0.962 | 0.025 | 0.045 | 0.218 | 0.231 | 0.240 | 0.240 | 0.293 | 0.293 | 0.549 |
| Abdominal Obesity (WHR > 0.9) | Yes | 35 | 8 | 17 | -0.875 | 0.228 | 0.294 | 0.124 | 0.099 | 0.147 | 0.225 | 0.137 | 0.218 | 0.908 |
| Multiple Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Obesity \& Hypertension | Yes | 35 | 8 | 18 | -0.500 | 0.389 | 0.529 | 0.012 | 0.028 | 0.041 | 0.041 | 0.016 | 0.016 | 0.184 |
| Severe Obesity \& Hypertension | Yes | 35 | 8 | 18 | -0.375 | 0.375 | 0.502 | 0.001 | 0.000 | 0.001 | 0.004 | 0.005 | 0.012 | 0.019 |
| Hypertension \& Dyslipidemia | Yes | 35 | 9 | 18 | -0.333 | 0.333 | 0.435 | 0.003 | 0.001 | 0.002 | 0.004 | 0.006 | 0.012 | 0.081 |
| Metabolic Syndrome (NCEP Definition) | Yes | 35 | 8 | 17 | -0.250 | 0.250 | 0.465 | 0.013 | 0.003 | 0.004 | 0.009 | 0.007 | 0.014 | 0.478 |
| Framingham Risk Score (34) | Yes | 35 | 9 | 18 | -7.043 | 2.154 | 3.253 | 0.050 | 0.078 | 0.112 | 0.112 | 0.038 | 0.038 | 0.245 |

Notes: This table shows the full results of the small-sample inference for Abecedarian Treatment Effects of Day-care treatment. This table examines selected outcomes for males. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable was reversed or not. By reversed we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4: control sample size; Col.5: treatment sample size; Col.6: control arithmetic mean; Col.7: unconditional difference in means across treatment and control groups; Col.8: conditional treatment effect controlling for cohort, number of siblings, mother's IQ and high-risk index at birth, and accounting for attrition using Inverse Probability Weighting (IPW). Probabilities of IPW are estimated using the following variables: prematurity (gestational age <37 weeks), a dichotomous indicator for not having an exam for illness or injury in the past two years at age 30, Achenbach DSM Attention-Deficit/Hyperactivity (AD/H) problems scale at age 30, and Achenbach substance abuse scale at age 30. Col.9: the asymptotic $p$-value of the one-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means. The remaining columns present permutation $p$-values based on 20,000 permutation draws. Col.10: single hypothesis one-sided naïve permutation $p$-value. By naïve we mean that the test is based on an unconstrained permutation scheme. Col.11: one-sided single hypothesis block permutation $p$-value. By block permutation we mean that permutations are done within strata defined by the variables used in the randomization protocol. Col.12: presents the multiple hypothesis testing (step-down) $p$-values associated with (10). Col.13: presents the one-sided single hypothesis block permutation $p$-value associated with the IPW treatment effect estimate Col.14: presents the the multiple hypothesis testing (step-down) $p$-values associated with the IPW inference. Col.15: double-sided $p$-value for the test of gender difference on treatment effect. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S12: Inference for the Abecedarian Intervention, Main Health Results, Biomedical Sweep (Females)

| Variable | Reversed | Age | Sample Sizes |  | Control <br> Mean | Difference in Means | $\begin{array}{\|c\|} \text { IPW } \\ \text { Treatment } \\ \text { Effect } \end{array}$ | $\underset{p \text {-value }}{\text { Asy. }}$ | $\begin{gathered} \text { Naïve } \\ p \text {-value } \end{gathered}$ | Block Permutation |  | Block IPW Permutation |  | Gender Difference $p$-value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | \# Control | \# Treat. |  |  |  |  |  | $\begin{gathered} \hline \text { Single } \\ p \text {-value } \end{gathered}$ | $\begin{gathered} \text { Step-Down } \\ p \text {-value } \\ \hline \end{gathered}$ | $\begin{array}{c\|} \hline \text { Single } \\ p \text {-value } \end{array}$ | $\begin{array}{\|c} \hline \text { Step-Down } \\ p \text {-value } \\ \hline \end{array}$ |  |
| Blood Pressure |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Diastolic Blood Pressure (mmHg) | Yes | 35 | 22 | 18 | -89.227 | 3.894 | 1.204 | 0.233 | 0.240 | 0.330 | 0.330 | 0.446 | 0.446 | 0.248 |
| Systolic Blood Pressure (mmHg) | Yes | 35 | 22 | 18 | -135.636 | 5.970 | 2.185 | 0.180 | 0.184 | 0.214 | 0.280 | 0.300 | 0.380 | 0.278 |
| Pre-Hypertension (systolic bp $\geq 120$ \& diastolic bp $\geq 80$ ) | Yes | 35 | 22 | 18 | -0.727 | 0.227 | 0.101 | 0.072 | 0.073 | 0.102 | 0.102 | 0.222 | 0.222 | 0.937 |
| Pre-Hypertension (systolic bp $\geq 120$ or diastolic bp $\geq 80$ ) | Yes | 35 | 22 | 18 | -0.909 | 0.242 | 0.244 | 0.028 | 0.040 | 0.029 | 0.047 | 0.042 | 0.069 | 0.471 |
| Hypertension (systolic bp $\geq 140$ \& diastolic bp $\geq 90$ ) | Yes | 35 | 22 | 18 | -0.318 | 0.096 | -0.003 | 0.255 | 0.258 | 0.260 | 0.367 | 0.375 | 0.499 | 0.264 |
| Hypertension (systolic bp $\geq 140$ or diastolic bp $\geq 90$ ) | Yes | 35 | 22 | 18 | -0.409 | -0.091 | -0.181 | 0.712 | 0.707 | 0.628 | 0.628 | 0.721 | 0.721 | 0.074 |
| Lab Tests |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| High-Density Lipoprotein (HDL) Cholesterol (mg/dL) | No | 35 | 22 | 18 | 55.318 | 5.126 | 6.002 | 0.132 | 0.138 | 0.116 | 0.170 | 0.143 | 0.143 | 0.385 |
| Dyslipidemia (HDL < $50 \mathrm{mg} / \mathrm{dL}$ ) | Yes | 35 | 22 | 18 | -0.455 | 0.177 | 0.201 | 0.130 | 0.132 | 0.121 | 0.121 | 0.099 | 0.147 | 0.544 |
| Pre-Diabetes (HbA1C $\geq 5.7 \%$ ) | Yes | 35 | 22 | 17 | -0.364 | 0.011 | 0.070 | 0.473 | 0.476 | 0.568 | 0.568 | 0.580 | 0.580 | 0.690 |
| Vitamin D Deficiency ( $<20 \mathrm{ng} / \mathrm{mL}$ ) | Yes | 35 | 22 | 18 | -0.727 | 0.005 | 0.048 | 0.486 | 0.483 | 0.458 | 0.458 | 0.303 | 0.303 | 0.102 |
| Obesity |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Overweight (BMI $\geq 25$ ) | Yes | 35 | 22 | 18 | -0.955 | 0.066 | 0.054 | 0.222 | 0.178 | 0.388 | 0.598 | 0.482 | 0.690 | 0.837 |
| Obese ( $\mathrm{BMI} \geq 30$ ) | Yes | 35 | 22 | 18 | -0.727 | 0.061 | -0.112 | 0.343 | 0.347 | 0.715 | 0.715 | 0.790 | 0.790 | 0.972 |
| Severely Obese (BMI $\geq 35$ ) | Yes | 35 | 22 | 18 | -0.364 | 0.141 | 0.143 | 0.171 | 0.166 | 0.361 | 0.653 | 0.354 | 0.653 | 0.582 |
| Waist-Hip Ratio (WHR) | Yes | 35 | 21 | 16 | -0.933 | 0.057 | 0.053 | 0.059 | 0.060 | 0.081 | 0.126 | 0.063 | 0.101 | 0.549 |
| Abdominal Obesity (WHR > 0.85) | Yes | 35 | 21 | 16 | -0.762 | 0.199 | 0.198 | 0.103 | 0.119 | 0.113 | 0.113 | 0.080 | 0.080 | 0.908 |
| Multiple Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Obesity \& Hypertension | Yes | 35 | 22 | 18 | -0.364 | 0.086 | -0.028 | 0.287 | 0.269 | 0.311 | 0.527 | 0.501 | 0.641 | 0.184 |
| Severe Obesity \& Hypertension | Yes | 35 | 22 | 18 | -0.136 | -0.030 | -0.066 | 0.602 | 0.605 | 0.654 | 0.654 | 0.696 | 0.696 | 0.019 |
| Hypertension \& Dyslipidemia | Yes | 35 | 22 | 18 | -0.182 | 0.015 | -0.043 | 0.452 | 0.455 | 0.441 | 0.608 | 0.486 | 0.725 | 0.081 |
| Metabolic Syndrome (NCEP Definition) | Yes | 35 | 21 | 16 | -0.190 | 0.128 | 0.057 | 0.134 | 0.131 | 0.148 | 0.329 | 0.184 | 0.393 | 0.478 |
| Framingham Risk Score (34) | Yes | 35 | 22 | 18 | -1.482 | 0.339 | 0.331 | 0.116 | 0.112 | 0.049 | 0.049 | 0.070 | 0.070 | 0.245 |

Notes: This table shows the full results of the small-sample inference for Abecedarian Treatment Effects of Day-care treatment. This table examines selected outcomes for females. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable was reversed or not. By reversed we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4: control sample size; Col.5: treatment sample size; Col.6: control arithmetic mean; Col.7: unconditional difference in means across treatment and control groups; Col.8: conditional treatment effect controlling for cohort, number of siblings, mother's IQ and high-risk index at birth, and accounting for attrition using Inverse Probability Weighting (IPW). Probabilities of IPW are estimated using the following variables: prematurity (gestational age <37 weeks), mother WAIS digit symbol score at recruitment, Achenbach rule breaking problem scale at age 30, and Achenbach substance abuse scale at age 30. Col.9: the asymptotic $p$-value of the one-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means. The remaining columns present permutation $p$-values based on 20,000 permutation draws. Col.10: single hypothesis one-sided naïve permutation $p$-value. By naïve we mean that the test is based on an unconstrained permutation scheme. Col.11: one-sided single hypothesis block permutation $p$-value. By block permutation we mean that permutations are done within strata defined by the variables used in the randomization protocol. Col.12: presents the multiple hypothesis testing (step-down) $p$-values associated with (10). Col.13: presents the one-sided single hypothesis block permutation $p$-value associated with the IPW treatment effect estimate Col.14: presents the the multiple hypothesis testing (step-down) $p$-values associated with the IPW inference. Col.15: double-sided $p$-value for the test of gender difference on treatment effect. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S13: Inference for the Abecedarian Intervention, Behavioral Risk Factors and Physical Development (Males)

| Variable | Reversed | Age | Sample Sizes |  | $\begin{aligned} & \text { Control } \\ & \text { Mean } \end{aligned}$ | Difference inMeans | $\begin{gathered} \text { IPW } \\ \text { Treatment } \\ \text { Effect } \end{gathered}$ | $\underset{p \text {-value }}{\text { Asy. }}$ | $\begin{gathered} \text { Naïve } \\ \boldsymbol{p} \text {-value } \end{gathered}$ | Block Permutation |  | Block IPW Permutation |  | Gender Difference $p$-value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | \# Control | \# Treat. |  |  |  |  |  | Single p-value | $\begin{gathered} \text { Step-Down } \\ p \text {-value } \end{gathered}$ | Single $p$-value | $\begin{gathered} \text { Step-Down } \\ p \text {-value } \end{gathered}$ |  |
| Health Care |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Health Insurance Coverage at age 30 | No | 30 | 21 | 27 | 0.476 | 0.228 | 0.226 | 0.057 | 0.058 | 0.077 | 0.077 | 0.039 | 0.039 | 0.077 |
| Buys Health Insurance at age 30 | No | 30 | 21 | 27 | 0.333 | 0.296 | 0.248 | 0.021 | 0.018 | 0.032 | 0.044 | 0.035 | 0.080 | 0.200 |
| Hospital or Doctor Office Care When Sick at age 30 | No | 30 | 21 | 27 | 0.524 | 0.291 | 0.265 | 0.015 | 0.018 | 0.027 | 0.060 | 0.037 | 0.068 | 0.011 |
| Behavioral Risk Factors: Smoking |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Never a Regular Smoker by age 30 | No | 21-30 | 23 | 28 | 0.391 | -0.034 | -0.042 | 0.597 | 0.594 | 0.622 | 0.622 | 0.571 | 0.571 | 0.161 |
| Age of Onset of Regular Smoking | No | 21-30 | 14 | 18 | 16.893 | 2.829 | 2.660 | 0.017 | 0.019 | 0.031 | 0.087 | 0.051 | 0.143 | 0.042 |
| Cigarettes Smoked per Day Past 30 Days at ages $21 \& 30$ | Yes | 21-30 | 12 | 19 | -11.167 | 2.482 | 3.820 | 0.214 | 0.229 | 0.278 | 0.453 | 0.199 | 0.344 | 0.534 |
| Behavioral Risk Factors: Alcohol Use |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Early Onset Drinker (before age 17) | Yes | 21 | 23 | 26 | -0.609 | 0.070 | 0.074 | 0.314 | 0.312 | 0.311 | 0.742 | 0.336 | 0.762 | 0.265 |
| Drank Driving | Yes | 21 | 23 | 26 | -0.391 | -0.147 | -0.090 | 0.844 | 0.846 | 0.804 | 0.957 | 0.663 | 0.877 | 0.188 |
| Age of Onset of Alcohol Use | No | 21-30 | 22 | 28 | 17.045 | -1.135 | -1.306 | 0.837 | 0.831 | 0.858 | 0.858 | 0.840 | 0.840 | 0.140 |
| Days At Least 1 Drink Past 30 Days at ages $21 \& 30$ | Yes | 21-30 | 23 | 28 | -9.348 | -2.634 | -1.880 | 0.778 | 0.780 | 0.664 | 0.920 | 0.498 | 0.860 | 0.233 |
| Days 5+ Drinks Past 30 Days at ages 21\&30 | Yes | 21-30 | 23 | 28 | -2.457 | -0.972 | -0.946 | 0.743 | 0.726 | 0.653 | 0.937 | 0.585 | 0.900 | 0.301 |
| Behavioral Risk Factors: Marijuana Use |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Never Used Marijuana by age 30 | No | 21-30 | 23 | 28 | 0.130 | -0.023 | -0.019 | 0.599 | 0.616 | 0.515 | 0.515 | 0.476 | 0.476 | 0.301 |
| Age of Onset of Marijuana Use | No | 21-30 | 20 | 25 | 15.475 | 2.025 | 1.763 | 0.019 | 0.022 | 0.018 | 0.047 | 0.052 | 0.136 | 0.323 |
| Times Used Marijuana Past 30 Days at ages 21\&30 | Yes | 21-30 | 23 | 28 | -49.565 | 1.030 | 2.699 | 0.467 | 0.465 | 0.529 | 0.678 | 0.357 | 0.527 | 0.879 |
| Behavioral Risk Factors: Physical Activity and Diet |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Exercise 4 or more Days per Week at age 21 | No | 21 | 23 | 26 | 0.391 | -0.084 | -0.094 | 0.726 | 0.730 | 0.806 | 0.806 | 0.858 | 0.858 | 0.062 |
| No. of Fruit Servings per Day at age 21 | No | 21 | 23 | 26 | 0.826 | 0.020 | -0.015 | 0.470 | 0.462 | 0.434 | 0.618 | 0.524 | 0.745 | 0.139 |
| Physical Development |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| At Risk Overweight (CDC) at 3 months | Yes | 0 | 22 | 27 | -0.227 | 0.190 | 0.206 | 0.022 | 0.022 | 0.042 | 0.173 | 0.026 | 0.121 | 0.212 |
| At Risk Overweight (CDC) at 6 months | Yes | 1 | 20 | 25 | -0.250 | 0.170 | 0.205 | 0.061 | 0.068 | 0.148 | 0.335 | 0.074 | 0.182 | 0.620 |
| At Risk Overweight (CDC) at 9 months | Yes | 1 | 17 | 16 | -0.412 | 0.412 | 0.446 | 0.001 | 0.001 | 0.005 | 0.025 | 0.004 | 0.023 | 0.285 |
| At Risk Overweight (CDC) at 12 months | Yes | 1 | 21 | 27 | -0.429 | 0.429 | 0.408 | 0.000 | 0.000 | 0.000 | 0.002 | 0.001 | 0.009 | 0.373 |
| At Risk Overweight (CDC) at 18 months | Yes | 2 | 18 | 26 | -0.389 | 0.389 | 0.385 | 0.000 | 0.000 | 0.000 | 0.003 | 0.000 | 0.004 | 0.149 |
| Overweight (CDC) at 24 months | Yes | 2 | 15 | 27 | -0.333 | 0.333 | 0.343 | 0.000 | 0.000 | 0.000 | 0.001 | 0.001 | 0.011 | 0.619 |
| Overweight (CDC) at 36 months | Yes | 3 | 19 | 25 | -0.158 | 0.078 | 0.094 | 0.215 | 0.212 | 0.168 | 0.255 | 0.194 | 0.194 | 0.804 |
| Overweight (CDC) at 48 months | Yes | 4 | 20 | 24 | -0.300 | 0.133 | 0.133 | 0.151 | 0.155 | 0.180 | 0.180 | 0.150 | 0.235 | 0.060 |
| Overweight (CDC) at 60 months | Yes | 5 | 20 | 24 | -0.300 | 0.175 | 0.187 | 0.079 | 0.084 | 0.066 | 0.196 | 0.058 | 0.179 | 0.311 |
| Overweight (CDC) at 96 months | Yes | 8 | 19 | 25 | -0.421 | 0.301 | 0.286 | 0.010 | 0.015 | 0.028 | 0.130 | 0.030 | 0.117 | 0.011 |
| Weight-for-Length Change 0-24 months (CDC) | Yes | 2 | 15 | 24 | -0.858 | 0.963 | 1.176 | 0.057 | 0.056 | 0.058 | 0.058 | 0.058 | 0.058 | 0.219 |
| Weight-for-Length Change 0-24 months (WHO) | Yes | 2 | 15 | 24 | -1.265 | 1.100 | 1.397 | 0.046 | 0.050 | 0.047 | 0.054 | 0.049 | 0.057 | 0.177 |

Notes: This table shows the full results of the small-sample inference for Abecedarian Treatment Effects of Day-care treatment. This table examines selected outcomes for males. We list here the information








 difference on treatment effect. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S14: Inference for the Abecedarian Intervention, Behavioral Risk Factors and Physical Development (Females)

| Variable | Reversed | Age | Sample Sizes |  | Control <br> Mean | Difference inMeans | $\begin{aligned} & \text { IPW } \\ & \text { Treatment } \\ & \text { Effect } \end{aligned}$ | $\underset{p \text {-value }}{\text { Asy. }}$ | $\begin{gathered} \text { Naïve } \\ p \text {-value } \end{gathered}$ | Block | rmutation | Block IPW Permutation |  | Gender Difference $p$-value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | \# Control | \# Treat. |  |  |  |  |  | $\underset{p \text {-value }}{\text { Single }}$ | Step-Down $p$-value | $\begin{aligned} & \text { Single } \\ & p \text {-value } \end{aligned}$ | Step-Down $p$-value |  |
| Health Care |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Health Insurance Coverage at age 30 | No | 30 | 28 | 25 | 0.857 | -0.097 | -0.159 | 0.812 | 0.812 | 0.925 | 0.925 | 0.943 | 0.943 | 0.077 |
| Buys Health Insurance at age 30 | No | 30 | 28 | 25 | 0.357 | 0.043 | -0.027 | 0.377 | 0.379 | 0.497 | 0.806 | 0.511 | 0.810 | 0.200 |
| Hospital or Doctor Office Care When Sick at age 30 | No | 30 | 28 | 25 | 0.929 | -0.129 | -0.131 | 0.914 | 0.912 | 0.903 | 0.978 | 0.875 | 0.964 | 0.011 |
| Behavioral Risk Factors: Smoking |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Never a Regular Smoker by age 30 | No | 21-30 | 28 | 25 | 0.357 | 0.243 | 0.221 | 0.039 | 0.045 | 0.083 | 0.238 | 0.071 | 0.195 | 0.161 |
| Age of Onset of Regular Smoking | No | 21-30 | 18 | 10 | 17.861 | -0.811 | -1.544 | 0.755 | 0.772 | 0.855 | 0.855 | 0.848 | 0.848 | 0.042 |
| Cigarettes Smoked per Day Past 30 Days at ages 21\&30 | Yes | 21-30 | 17 | 10 | -10.294 | -0.156 | -0.939 | 0.521 | 0.522 | 0.506 | 0.753 | 0.567 | 0.807 | 0.534 |
| Behavioral Risk Factors: Alcohol Use |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Early Onset Drinker (before age 17) | Yes | 21 | 28 | 25 | -0.571 | 0.291 | 0.344 | 0.016 | 0.016 | 0.023 | 0.102 | 0.011 | 0.046 | 0.265 |
| Drank Driving | Yes | 21 | 27 | 25 | -0.222 | 0.102 | 0.100 | 0.170 | 0.169 | 0.179 | 0.389 | 0.172 | 0.358 | 0.188 |
| Age of Onset of Alcohol Use | No | 21-30 | 27 | 22 | 16.685 | 1.042 | 1.178 | 0.129 | 0.120 | 0.135 | 0.370 | 0.099 | 0.292 | 0.140 |
| Days At Least 1 Drink Past 30 Days at ages $21 \& 30$ | Yes | 21-30 | 28 | 25 | -8.732 | 2.772 | 1.105 | 0.164 | 0.159 | 0.269 | 0.366 | 0.211 | 0.292 | 0.233 |
| Days 5+ Drinks Past 30 Days at ages 21\&30 | Yes | 21-30 | 28 | 25 | -2.321 | 1.061 | -0.095 | 0.191 | 0.195 | 0.315 | 0.315 | 0.366 | 0.366 | 0.301 |
| Behavioral Risk Factors: Marijuana Use |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Never Used Marijuana by age 30 | No | 21-30 | 28 | 25 | 0.250 | 0.150 | 0.089 | 0.125 | 0.133 | 0.123 | 0.339 | 0.169 | 0.402 | 0.301 |
| Age of Onset of Marijuana Use | No | 21-30 | 21 | 15 | 17.190 | 0.676 | 0.828 | 0.236 | 0.240 | 0.286 | 0.493 | 0.274 | 0.471 | 0.323 |
| Times Used Marijuana Past 30 Days at ages 21\&30 | Yes | 21-30 | 28 | 25 | -19.982 | -1.598 | -2.089 | 0.560 | 0.556 | 0.541 | 0.541 | 0.417 | 0.417 | 0.879 |
| Behavioral Risk Factors: Physical Activity and Diet |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Exercise 4 or more Days per Week at age 21 | No | 21 | 28 | 25 | 0.071 | 0.249 | 0.287 | 0.010 | 0.013 | 0.009 | 0.009 | 0.004 | 0.008 | 0.062 |
| No. of Fruit Servings per Day at age 21 | No | 21 | 28 | 25 | 0.286 | 0.514 | 0.518 | 0.005 | 0.007 | 0.002 | 0.005 | 0.005 | 0.005 | 0.139 |
| Physical Development |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| At Risk Overweight (CDC) at 3 months | Yes | 0 | 26 | 21 | -0.192 | 0.002 | -0.036 | 0.494 | 0.482 | 0.406 | 0.712 | 0.418 | 0.757 | 0.212 |
| At Risk Overweight (CDC) at 6 months | Yes | 1 | 26 | 24 | -0.423 | 0.256 | 0.212 | 0.024 | 0.025 | 0.031 | 0.209 | 0.040 | 0.237 | 0.620 |
| At Risk Overweight (CDC) at 9 months | Yes | 1 | 25 | 14 | -0.360 | 0.217 | 0.181 | 0.076 | 0.058 | 0.142 | 0.457 | 0.169 | 0.548 | 0.285 |
| At Risk Overweight (CDC) at 12 months | Yes | 1 | 23 | 24 | -0.478 | 0.270 | 0.141 | 0.025 | 0.028 | 0.040 | 0.203 | 0.055 | 0.276 | 0.373 |
| At Risk Overweight (CDC) at 18 months | Yes | 2 | 25 | 22 | -0.440 | 0.122 | 0.118 | 0.201 | 0.200 | 0.250 | 0.571 | 0.311 | 0.669 | 0.149 |
| Overweight (CDC) at 24 months | Yes | 2 | 17 | 23 | -0.412 | 0.238 | 0.195 | 0.049 | 0.049 | 0.091 | 0.357 | 0.143 | 0.517 | 0.619 |
| Overweight (CDC) at 36 months | Yes | 3 | 23 | 21 | -0.261 | 0.118 | -0.020 | 0.171 | 0.162 | 0.244 | 0.614 | 0.202 | 0.556 | 0.804 |
| Overweight (CDC) at 48 months | Yes | 4 | 26 | 22 | -0.192 | -0.217 | -0.247 | 0.949 | 0.945 | 0.965 | 0.965 | 0.944 | 0.944 | 0.060 |
| Overweight (CDC) at 60 months | Yes | 5 | 23 | 22 | -0.261 | -0.012 | -0.050 | 0.535 | 0.538 | 0.503 | 0.708 | 0.554 | 0.781 | 0.311 |
| Overweight (CDC) at 96 months | Yes | 8 | 23 | 20 | -0.174 | -0.176 | -0.230 | 0.904 | 0.894 | 0.900 | 0.953 | 0.943 | 0.985 | 0.011 |
| Weight-for-Length Change 0-24 months (CDC) | Yes | 2 | 15 | 21 | -0.857 | -0.062 | -0.052 | 0.544 | 0.537 | 0.580 | 0.611 | 0.658 | 0.688 | 0.219 |
| Weight-for-Length Change 0-24 months (WHO) | Yes | 2 | 15 | 21 | -1.129 | -0.085 | -0.006 | 0.559 | 0.556 | 0.611 | 0.611 | 0.660 | 0.660 | 0.177 |

Notes: This table shows the full results of the small-sample inference for Abecedarian Treatment Effects of Day-care treatment. This table examines selected outcomes for females. We list here the









 lines.

## F Inference about the Treatment Effect for the Second Stage School-Age Component

This supplement investigates whether the second stage of the program had any favorable effects on health outcomes analyzed in the main paper. As described in Supplement A, the ABC experiment had two stages of intervention for children age 0 to 5 and a second stage intervention for children from age 5 to 8 . In the second stage, treated children were provided need-based and individualized tutoring and bi-weekly home visits. The second stage treatment assignment was determined by a new randomization implemented at the end of first stage intervention. In the main paper, we define the treatment group to include all children who received first stage treatment irregardless of whether they received second stage treatment. Defining the treatment group in this fashion may bias downward the estimated treatment effect if controls received benefits from the second stage randomization. It biases the treatment effect upward if second stage treatment has a positive effect for those who received treatment in the first stage. We investigate these potential sources of bias in this paper.

In analyzing the second stage treatment effect, we redefine the treatment and the control groups. Different from the analysis in the main paper, the "treatment group" in the second stage consists of people who participated in both of first and second stages plus those who were randomized out from the first stage but were randomized into the second stage. The control group consists of those denied access to both stages by virtue of randomization plus those who had access to the first stage but were randomized out in the second stage. In this appendix, persons randomly assigned into the second stage of the ABC experiment are compared with those who did not participate in the second stage irregardless of their first stage treatment assignments. As evident in Tables S15a—S16b, our analysis shows very few statistically significant second-stage treatment

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effects (e.g. Pre-Hypertension at age 35 for females; Hypertension and Severe Obesity at age 35 for males). Even fewer survive correction for multiple hypothesis testing. This implies that in the ABC experiment, the second stage intervention was not effective in terms of its effects on adult health.

Tables S17—S18 investigate this issue more deeply. In these tables we split the entire sample into four group where each group is defined by participant's treatment assignment at the first and the second stage jointly. Those four groups are TT(treatment-treatment), TC(treatment-control), CT(control-treatment), and CC(control-control) where the first letter indicates program assignment at the first stage and the second corresponds to assignment at the second stage. We test three hypotheses:
$\mathrm{H} 1: \mu_{T T}=\mu_{T C} \quad$ (i.e. No difference in means between TT and TC),
$\mathrm{H} 2: \mu_{C T}=\mu_{C C} \quad$ (i.e. No difference in means between CT and CC), and
H3: $\mu_{T T}=\mu_{T C} \quad$ and $\mu_{C T}=\mu_{C C}$ (i.e. Joint Hypothesis).
Hypothesis 1 (H1) tests whether the second stage is statistically significant from first stage for those who were treated in the first stage. Hypothesis 2 (H2) tests whether the second stage is statistically significantly different from the first stage for those who did not receive treatment in the first stage. Hypothesis 3 (H3) tests these two hypotheses jointly. As summarized in Tables S17—S18, these alternative tests confirm the findings from the previous tables, that is, the second stage program was not effective in terms of its effects on adult health. For both males and females there is no consistent pattern favoring those who received second period treatment. On some outcomes, those receiving second period treatment are worse although the differences are not statistically significantly different from zero.

# Table S15(a): Second-Stage (School-Age) Component of the Abecedarian Intervention, Main Health Results, Biomedical Sweep (Males) 

| Variable | Reversed | Age | Sample Sizes |  |  | Difference in Means | IPW <br> Treatment <br> Effect | Asy. $p$-value | Naïve $p$-value | Block Permutation |  | Block IPW <br> Permutation |  | Gender Difference |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | \# Control | $\begin{array}{\|c\|} \hline \text { Treat. } \\ \hline \end{array}$ |  |  |  |  |  | $\begin{array}{\|c} \substack{\text { Single } \\ p \text {-value }} \\ \hline \end{array}$ | $\begin{gathered} \text { Step-Down } \\ p \text {-value } \end{gathered}$ |  | $\begin{gathered} \text { Step-Down } \\ p \text {-value } \end{gathered}$ |  |
| Blood Pressure |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Diastolic Blood Pressure (mmHg) | Yes | 35 | 13 | 13 | -129.462 | -4.308 | -1.929 | 0.682 | 0.659 | 0.659 | 0.659 | 0.586 | 0.586 | 0.544 |
| Systolic Blood Pressure (mmHg) | Yes | 35 | 13 | 13 | -84.231 | 1.077 | 2.264 | 0.435 | 0.446 | 0.417 | 0.491 | 0.403 | 0.463 | 0.907 |
| Pre-Hypertension (systolic bp $\geq$ 120 \& diastolic bp $\geq 80$ ) | Yes | 35 | 13 | 13 | -0.462 | -0.077 | -0.116 | 0.646 | 0.604 | 0.557 | 0.689 | 0.714 | 0.714 | 0.490 |
| Pre-Hypertension (systolic bp $\geq$ 120 or diastolic bp $\geq 80$ ) | Yes | 35 | 13 | 13 | -0.692 | -0.077 | 0.003 | 0.664 | 0.659 | 0.659 | 0.659 | 0.603 | 0.746 | 0.210 |
| Hypertension (systolic bp $\geq 140$ \& diastolic bp $\geq 90$ ) | Yes | 35 | 13 | 13 | -0.231 | 0.000 | 0.063 | 0.500 | 0.501 | 0.481 | 0.481 | 0.359 | 0.359 | 0.593 |
| Hypertension (systolic bp $\geq 140$ or diastolic bp $\geq 90$ ) | Yes | 35 | 13 | 13 | -0.385 | 0.154 | 0.147 | 0.206 | 0.205 | 0.203 | 0.267 | 0.242 | 0.291 | 0.875 |
| Lab Tests |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| HDL Cholesterol (mg/dL) | No | 35 | 14 | 14 | 49.214 | 0.786 | -2.158 | 0.444 | 0.440 | 0.484 | 0.625 | 0.677 | 0.677 | 0.366 |
| Dyslipidemia (HDL < $40 \mathrm{mg} / \mathrm{dL}$ ) | Yes | 35 | 14 | 14 | -0.143 | -0.071 | -0.068 | 0.682 | 0.691 | 0.677 | 0.677 | 0.671 | 0.819 | 0.733 |
| Pre-Diabetes (HbA1C $\geq 5.7 \%$ ) | Yes | 35 | 14 | 14 | -0.500 | 0.000 | -0.062 | 0.500 | 0.504 | 0.531 | 0.531 | 0.747 | 0.747 | 0.358 |
| Vit. D Deficiency ( < 20 ng/mL) | Yes | 35 | 14 | 14 | -0.500 | 0.000 | -0.113 | 0.500 | 0.500 | 0.511 | 0.511 | 0.802 | 0.802 | 0.659 |
| Obesity |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Overweight (BMI $\geq 25$ ) | Yes | 35 | 13 | 11 | -0.692 | -0.126 | -0.106 | 0.752 | 0.751 | 0.766 | 0.881 | 0.648 | 0.776 | 0.795 |
| Obese ( $\mathrm{BMI} \geq 30$ ) | Yes | 35 | 13 | 11 | -0.462 | -0.266 | -0.280 | 0.901 | 0.897 | 0.896 | 0.896 | 0.891 | 0.891 | 0.709 |
| Severely Obese (BMI $\geq 35$ ) | Yes | 35 | 13 | 11 | -0.231 | 0.049 | -0.034 | 0.390 | 0.397 | 0.376 | 0.641 | 0.524 | 0.796 | 0.909 |
| Waist-Hip Ratio (WHR) | Yes | 35 | 12 | 11 | -0.942 | -0.015 | -0.028 | 0.681 | 0.679 | 0.694 | 0.694 | 0.685 | 0.685 | 0.273 |
| Abdominal Obesity ( $\mathrm{WHR}>0.90$ ) | Yes | 35 | 12 | 11 | -0.750 | 0.023 | -0.141 | 0.453 | 0.451 | 0.458 | 0.601 | 0.583 | 0.697 | 0.300 |

Notes: This table examines the causal effects of the second-stage randomization (school-age component) of the Abecedarian intervention. We present descriptive statistics, treatment effect estimates, and inference for selected outcomes for males. We list here the information of each column. Col.1: variable of interest; Col.2: if the variable was reversed or not. By reversed we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4: control sample size; Col.5: treatment sample size; Col.6: control arithmetic mean; Col.7: unconditional difference in means across treatment and control groups; Col.8: conditional treatment effect controlling for cohort, high-risk index at birth, and gender, and accounting for attrition using Inverse Probability Weighting (IPW). For IPW covariates we use High-Risk Index at birth and Mother WAIS IQ; Col.9: asymptotic p-value of the one-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means. The remaining columns present permutation $\boldsymbol{p}$-values based on 20,000 permutation draws. Col.10: Single hypothesis one-sided naïve permutation $\boldsymbol{p}$-value. By naïve we mean that the test is based on an unconstrained permutation scheme. Col.11: One-sided single hypothesis block permutation $\boldsymbol{p}$-value. By block permutation we mean that permutations are done within strata defined by cohort and gender. Col.12: Multiple hypothesis testing (step-down) $\boldsymbol{P}$ -values associated with column (10). Col.13: One-sided single hypothesis block permutation $\boldsymbol{p}$-value associated with the IPW treatment effect estimate. Col.14: Multiple hypothesis testing (step-down) $\boldsymbol{p}$-values associated with the IPW inference. Col.15: Double-sided $\boldsymbol{p}$-value for the test of gender difference on treatment effect. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

## Table S15(b): Second-Stage (School-Age) Component of the Abecedarian Intervention, Main Health Results, Biomedical Sweep (Females)

| Variable | Reversed | Age | Sample Sizes |  | Control <br> Mean | Difference in Means | IPW <br> Treat ment Effect | Asy. $p$-value | Naïve $p$-value | BlockPermutation |  | Block IPW Permutation |  | Gender Difference |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $\left\|\begin{array}{c} \# \\ \text { Control } \end{array}\right\|$ | \# Treat. |  |  |  |  |  | Single $p$-value | $\begin{gathered} \text { Step-Do } \\ \text { wn } \\ p \text {-value } \end{gathered}$ | Single $p$-value | $\begin{gathered} \text { Step-Do } \\ \text { wn } \\ p \text {-value } \end{gathered}$ |  |
| Blood Pressure |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Diastolic Blood Pressure (mmHg) | Yes | 35 | 16 | 20 | -136.438 | 2.287 | 1.836 | 0.370 | 0.371 | 0.373 | 0.453 | 0.394 | 0.479 | 0.544 |
| Systolic Blood Pressure ( mmHg ) | Yes | 35 | 16 | 20 | -88.875 | 0.075 | -0.615 | 0.495 | 0.494 | 0.488 | 0.488 | 0.535 | 0.535 | 0.907 |
| Pre-Hypertension (systolic bp $\geq 120$ \& diastolic bp $\geq 80$ ) | Yes | 35 | 16 | 20 | -0.750 | 0.100 | 0.080 | 0.265 | 0.252 | 0.263 | 0.263 | 0.301 | 0.301 | 0.490 |
| Pre-Hypertension (systolic bp $\geq 120$ or diastolic bp $\geq 80$ ) | Yes | 35 | 16 | 20 | -0.938 | 0.188 | 0.209 | 0.070 | 0.069 | 0.081 | 0.120 | 0.086 | 0.134 | 0.210 |
| $\begin{array}{r} \text { Hypertension (systolic bp } \geq 140 \& \\ \text { diastolic bp } \geq 90 \text { ) } \end{array}$ | Yes | 35 | 16 | 20 | -0.375 | 0.125 | 0.125 | 0.216 | 0.224 | 0.222 | 0.322 | 0.244 | 0.244 | 0.593 |
| Hypertension (systolic bp $\geq 140$ or diastolic bp $\geq 90$ ) | Yes | 35 | 16 | 20 | -0.563 | 0.112 | 0.142 | 0.258 | 0.263 | 0.243 | 0.243 | 0.193 | 0.269 | 0.875 |
| Lab Tests |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| HDL Cholesterol (mg/dL) | No | 35 | 16 | 20 | 62.250 | -6.350 | -5.202 | 0.900 | 0.902 | 0.914 | 0.914 | 0.864 | 0.864 | 0.366 |
| Dyslipidemia (HDL $<50 \mathrm{mg} / \mathrm{dL}$ ) | Yes | 35 | 16 | 20 | -0.250 | -0.150 | -0.115 | 0.822 | 0.846 | 0.826 | 0.918 | 0.759 | 0.863 | 0.733 |
| Pre-Diabetes (HbA1C $\geq 5.7 \%$ ) | Yes | 35 | 16 | 19 | -0.188 | -0.234 | -0.241 | 0.928 | 0.925 | 0.931 | 0.931 | 0.924 | 0.924 | 0.358 |
| Vit. D Deficiency ( $<20 \mathrm{ng} / \mathrm{mL}$ ) | Yes | 35 | 16 | 20 | -0.813 | 0.113 | 0.119 | 0.226 | 0.210 | 0.216 | 0.216 | 0.224 | 0.224 | 0.659 |
| Obesity |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Overweight ( $\mathrm{BMI} \geq 25$ ) | Yes | 35 | 16 | 20 | -0.875 | -0.075 | -0.111 | 0.784 | 0.816 | 0.788 | 0.918 | 0.882 | 0.882 | 0.795 |
| Obese ( $\mathrm{BMI} \geq 30$ ) | Yes | 35 | 16 | 20 | -0.625 | -0.175 | -0.177 | 0.873 | 0.877 | 0.866 | 0.866 | 0.880 | 0.957 | 0.709 |
| Severely Obese (BMI $\geq 35$ ) | Yes | 35 | 16 | 20 | -0.375 | 0.075 | 0.103 | 0.323 | 0.351 | 0.356 | 0.614 | 0.321 | 0.588 | 0.909 |
| Waist-Hip Ratio (WHR) | Yes | 35 | 15 | 18 | -0.869 | -0.075 | -0.075 | 0.973 | 0.976 | 0.970 | 0.970 | 0.966 | 0.966 | 0.273 |
| Abdominal Obesity (WHR > 0.85) | Yes | 35 | 15 | 18 | -0.533 | -0.244 | -0.240 | 0.928 | 0.923 | 0.919 | 0.973 | 0.911 | 0.965 | 0.300 |

Notes: This table examines the causal effects of the second-stage randomization (school-age component) of the Abecedarian intervention. We present descriptive statistics, treatment effect estimates, and inference for selected outcomes for females. We list here the information of each column. Col.1: variable of interest; Col.2: if the variable was reversed or not. By reversed we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4: control sample size; Col.5: treatment sample size; Col.6: control arithmetic mean; Col.7: unconditional difference in means across treatment and control groups; Col.8: conditional treatment effect controlling for cohort, high-risk index at birth, and gender, and accounting for attrition using Inverse Probability Weighting (IPW). For IPW covariates we use High-Risk Index at birth and Mother WAIS IQ; Col.9: asymptotic $\boldsymbol{p}$-value of the one-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means. The remaining columns present permutation $\boldsymbol{p}$-values based on 20,000 permutation draws. Col.10: Single hypothesis one-sided naïve permutation $\boldsymbol{p}$-value. By naïve we mean that the test is based on an unconstrained permutation scheme. Col.11: One-sided single hypothesis block permutation $p$-value. By block permutation we mean that permutations are done within strata defined by cohort and gender. Col.12: Multiple hypothesis testing (step-down) $\boldsymbol{P}$ -values associated with column (10). Col.13: One-sided single hypothesis block permutation $\boldsymbol{p}$-value associated with the IPW treatment effect estimate. Col.14: Multiple hypothesis testing (step-down) $\boldsymbol{p}$-values associated with the IPW inference. Col.15: Double-sided $\boldsymbol{p}$-value for the test of gender difference on treatment effect. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S16(a): Second-Stage (School-Age) Component of the Abecedarian Intervention: (Males)

| Variable | Reversed | Age | Sample Sizes |  | Control Mean |  | IPW <br> Treat ment Effect | Asy. $p$-value | Naïve $\boldsymbol{p}$-value | Block Permutation |  | Block IPW Permutation |  | Gender Difference |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | \# Control | $\begin{gathered} \# \\ \text { Treat. } \end{gathered}$ |  |  |  |  |  | $\underset{p-\text {-value }}{\text { Single }}$ | $\left\|\begin{array}{c} \text { Step-D } \\ \text { own } \\ p \text {-value } \end{array}\right\|$ | Single $p$-value | $\begin{array}{\|c\|} \hline \text { Step-D } \\ \text { own } \\ p \text {-value } \end{array}$ |  |
| Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Metabolic Syndrome at age | Yes | 35 | 12 | 11 | -0.167 | 0.167 | 0.143 | 0.081 | 0.106 | 0.081 | 0.171 | 0.121 | 0.178 | 0.683 |
| 35 (NCEP) |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Hypertension and Obesity (age 35) | Yes | 35 | 13 | 11 | -0.308 | 0.217 | 0.209 | 0.101 | 0.094 | 0.089 | 0.149 | 0.099 | 0.215 | 0.431 |
| Hypertension and Severe | Yes | 35 | 13 | 11 | -0.231 | 0.231 | 0.188 | 0.044 | 0.053 | 0.051 | 0.132 | 0.074 | 0.190 | 0.682 |
| Obesity (age 35) Hypertension and Dyslipidemia (age 35) | Yes | 35 | 13 | 12 | -0.154 | 0.071 | 0.065 | 0.302 | 0.312 | 0.288 | 0.288 | 0.333 | 0.333 | 0.675 |
| Framingham |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Framingham Probability | Yes | 35 | 13 | 12 | -6.009 | 0.952 | 548 | 0.242 | 0.243 | 0.269 | 0.269 | 0.385 | 0.385 | 0.516 |
| Health Care Coverage at age 30 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Health Insurance Coverage at | No | 30 | 24 | 20 | 0.542 | 0.158 | 0.070 | 0.147 | 0.155 | 0.116 | 0.208 | 0.304 | 0.475 | 0.153 |
| Buys Health Insurance (age 30) | No | 30 | 24 | 20 | 0.417 | 0.183 | 0.131 | 0.117 | 0.120 | 0.110 | 0.226 | 0.185 | 0.357 | 0.218 |
| Hospital or doctor office care when sick | No | 30 | 24 | 20 | 0.750 | -0.100 | -0.064 | 0.760 | 0.757 | 0.745 | 0.745 | 0.697 | 0.697 | 0.620 |
| Smoking |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Never a regular smoker by age 35 | No | 30 | 26 | 21 | 0.385 | -0.004 | 0.051 | 0.510 | 0.514 | 0.482 | 0.482 | 0.368 | 0.368 | 0.866 |
| Age Subject Began Smoking Regularly (Never=.) | No | 30 | 16 | 12 | 18.063 | 0.854 | 0.852 | 0.293 | 0.308 | 0.263 | 0.394 | 0.269 | 0.471 | 0.872 |
| Sum of Cigarettes per Day in Past 30 Days at 21 and 30 | Yes | 30 | 13 | 15 | -12.115 | 5.049 | 3.207 | 0.051 | 0.066 | 0.069 | 0.179 | 0.159 | 0.388 | 0.741 |
| Alcohol Use |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Did you begin drinking | Yes | 21 | 24 | 21 | -0.583 | 0.012 | 0.118 | 0.469 | 0.461 | 0.437 | 0.782 | 0.219 | 0.525 | 0.927 |
| Do you drink and drive? | Yes | 21 | 24 | 21 | -0.458 | -0.018 | -0.049 | 0.546 | 0.542 | 0.547 | 0.822 | 0.592 | 0.838 | 0.931 |
| Age Subject Began Drinking (Never=.) | No | 30 | 25 | 21 | 16.100 | 0.710 | 1.325 | 0.282 | 0.279 | 0.275 | 0.625 | 0.117 | 0.353 | 0.661 |
| Sum of Days Subject Had at Least One Drink in Past 30 | Yes | 30 | 26 | 21 | $-9.423$ | -3.291 | -1.499 | 0.812 | 0.818 | 0.812 | 0.812 | 0.712 | 0.810 | 0.808 |
| Days at 21-30 Sum of Days Subject Drank 5+ Drinks in Past 30 Days at $21-30$ | Yes | 30 | 26 | 21 | -2.885 | -0.520 | -0.868 | 0.626 | 0.622 | 0.625 | 0.740 | 0.771 | 0.771 | 0.761 |
| Marijuana |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Never Used Marijuana by age | No | 30 | 26 | 21 | 0.423 | 0.148 | 0.206 | 0.161 | 0.180 | 0.176 | 0.472 | 0.103 | 0.253 | 0.807 |
| Age of Onset of Marijuana | No | 30 | 23 | 19 | 16.283 | 0.349 | 0.047 | 0.371 | 0.374 | 0.342 | 0.509 | 0.440 | 0.623 | 0.716 |
| Use Times Subject Used Marijuana Past 30 Days (21 -30 years old) | Yes | 30 | 26 | 21 | -45.846 | -6.916 | $\left\lvert\, \begin{gathered} -11.11 \\ 0 \end{gathered}\right.$ | 0.701 | 0.687 | 0.671 | 0.671 | 0.804 | 0.804 | 0.963 |
| Physical Activity and Diet |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Exercise 4 or more Days per Week (age 21) | No | 21 | 24 | 21 | 0.292 | 0.185 | 0.151 | 0.105 | 0.100 | 0.109 | 0.196 | 0.150 | 0.262 | 0.100 |
| No. of Fruit Servings per Day (age 21) | No | 21 | 24 | 21 | 0.833 | -0.024 | 0.016 | 0.533 | 0.537 | 0.500 | 0.500 | 0.473 | 0.473 | 0.815 |

Notes: This table examines the causal effects of the second-stage randomization (school-age component) of the Abecedarian intervention. We present descriptive statistics, treatment effect estimates, and inference for selected outcomes for males. We list here the information of each column. Col.1: variable of interest; Col.2: if the variable was reversed or not. By reversed we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4: control sample size; Col.5: treatment sample size; Col.6: control arithmetic mean; Col.7: unconditional difference in means across treatment and control groups; Col.8: conditional treatment effect controlling for cohort, high-risk index at birth, and gender, and accounting for attrition using Inverse Probability Weighting (IPW). For IPW covariates we use High-Risk Index at birth and Mother WAIS IQ; Col.9: asymptotic $\boldsymbol{p}$-value of the one-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means. The remaining columns present permutation $\boldsymbol{p}$-values based on 20,000 permutation draws. Col.10: Single hypothesis one-sided naïve permutation $\boldsymbol{p}$-value. By naïve we mean that the test is based on an unconstrained permutation scheme. Col.11: One-sided single hypothesis block permutation $\boldsymbol{p}$-value. By block permutation we mean that permutations are done within strata defined by cohort and gender. Col.12: Multiple hypothesis testing (step-down) $\boldsymbol{P}$ -values associated with column (10). Col.13: One-sided single hypothesis block permutation $\boldsymbol{p}$-value associated with the IPW treatment effect estimate. Col.14: Multiple hypothesis testing (step-down) $\boldsymbol{p}$-values associated with the IPW inference. Col.15: Double-sided $\boldsymbol{p}$-value for the test of gender difference on treatment effect. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

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## Table S16(b): Second-Stage (School-Age) Component of the Abecedarian Intervention: (Females)

| Variable | $\begin{gathered} \text { Reverse } \\ d \end{gathered}$ | Age | Sample Sizes |  | $\begin{aligned} & \text { Control } \\ & \text { Mean } \end{aligned}$ | $\begin{gathered} \text { Differenc } \\ \text { e in } \\ \text { Means } \end{gathered}$ | $\begin{gathered} \text { IPW } \\ \text { Treatme } \\ \text { nt Effect } \end{gathered}$ | $\underset{p \text {-value }}{\text { Asy. }}$ | $\left\lvert\, \begin{gathered} \text { Naïve } \\ p \text {-value } \end{gathered}\right.$ | Block Permutation |  | Block IPW <br> Permutation |  | Gender Differenc e |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | \# Control | \# Treat. |  |  |  |  |  | $\begin{aligned} & \text { Single } \\ & p \text {-value } \end{aligned}$ | $\left\|\begin{array}{c} \text { Step-Do } \\ \text { wn } \\ p \text {-value } \end{array}\right\|$ | $\begin{array}{\|c} \text { Single } \\ p \text {-value } \end{array}$ | $\left\lvert\, \begin{gathered} \text { Step-Do } \\ \text { wn } \\ p \text {-value } \end{gathered}\right.$ |  |
| Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Metabolic Syndrome at age 35 (NCEP) | Yes | 35 | 15 | 18 | -0.200 | 0.089 | 0.131 | 0.246 | 0.245 | 0.264 | 0.428 | 0.201 | 0.347 | 0.683 |
| Hypertension and Obesity (age 35) | Yes | 35 | 16 | 20 | -0.375 | 0.025 | 0.039 | 0.440 | 0.438 | 0.432 | 0.602 | 0.400 | 0.563 | 0.431 |
| Hypertension and Severe Obesity (age 35) | Yes | 35 | 16 | 20 | -0.250 | 0.150 | 0.172 | 0.120 | 0.131 | 0.139 | 0.319 | 0.112 | 0.261 | 0.682 |
| Hypertension and Dyslipidemia (age 35) | Yes | 35 | 16 | 20 | -0.188 | -0.013 | 0.032 | 0.536 | 0.537 | 0.524 | 0.524 | 0.428 | 0.428 | 0.675 |
| Framingham |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Framingham Probability | Yes | 35 | 16 | 20 | -1.243 | -0.123 | -0.074 | 0.654 | 0.637 | 0.595 | 0.595 | 0.516 | 0.516 | 0.516 |
| Health Care Coverage at age 30 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Health Insurance Coverage at age 30 | No | 30 | 20 | 25 | 0.850 | -0.130 | -0.129 | 0.846 | 0.850 | 0.837 | 0.837 | 0.809 | 0.809 | 0.153 |
| Buys Health Insurance (age 30) | No | 30 | 20 | 25 | 0.400 | -0.080 | -0.103 | 0.706 | 0.715 | 0.718 | 0.863 | 0.745 | 0.902 | 0.218 |
| Hospital or doctor office care when sick | No | 30 | 20 | 25 | 0.850 | -0.010 | -0.000 | 0.536 | 0.536 | 0.431 | 0.702 | 0.422 | 0.717 | 0.620 |
| Smoking |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Never a regular smoker by age 35 | No | 30 | 20 | 25 | 0.450 | 0.030 | -0.007 | 0.423 | 0.387 | 0.437 | 0.437 | 0.519 | 0.519 | 0.866 |
| Age Subject Began Smoking Regularly <br> (Never=.) | No | 30 | 10 | 13 | 17.600 | 0.515 | 0.456 | 0.342 | 0.340 | 0.333 | 0.518 | 0.402 | 0.658 | 0.872 |
| Sum of Cigarettes per Day in Past 30 Days at 21 and 30 | Yes | 30 | 12 | 10 | -11.625 | 3.575 | 2.756 | 0.124 | 0.121 | 0.133 | 0.327 | 0.142 | 0.376 | 0.741 |
| Alcohol Use |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Did you begin drinking before 17 | Yes | 21 | 20 | 25 | -0.350 | 0.030 | -0.007 | 0.418 | 0.409 | 0.390 | 0.831 | 0.507 | 0.845 | 0.927 |
| Do you drink and drive? | Yes | 21 | 19 | 25 | -0.158 | -0.002 | 0.001 | 0.507 | 0.522 | 0.437 | 0.835 | 0.452 | 0.861 | 0.931 |
| Age Subject Began Drinking (Never=.) | No | 30 | 20 | 21 | 17.825 | -0.015 | -0.183 | 0.507 | 0.514 | 0.479 | 0.767 | 0.572 | 0.862 | 0.661 |
| Sum of Days Subject Had at Least One Drink in Past 30 Days at $21-30$ | Yes | 30 | 20 | 25 | -6.350 | -2.050 | -2.916 | 0.731 | 0.728 | 0.761 | 0.761 | 0.814 | 0.814 | 0.808 |
| Sum of Days Subject Drank 5+ Drinks in Past 30 Days at $21-30$ | Yes | 30 | 20 | 25 | -2.150 | 0.170 | -0.238 | 0.453 | 0.454 | 0.501 | 0.626 | 0.610 | 0.730 | 0.761 |
| Marijuana |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Never Used Marijuana by age 30 | No | 30 | 20 | 25 | 0.700 | 0.100 | 0.081 | 0.225 | 0.240 | 0.210 | 0.522 | 0.295 | 0.607 | 0.807 |
| Age of Onset of Marijuana Use | No | 30 | 14 | 15 | 17.786 | -0.219 | -0.389 | 0.580 | 0.586 | 0.547 | 0.783 | 0.621 | 0.845 | 0.716 |
| Times Subject Used Marijuana Past 30 Days ( $21-30$ years old) | Yes | 30 | 20 | 25 | -14.300 | -7.820 | -8.728 | 0.756 | 0.760 | 0.772 | 0.772 | 0.769 | 0.769 | 0.963 |
| Physical Activity and Diet |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Exercise 4 or more Days per Week (age 21) | No | 21 | 20 | 25 | 0.250 | -0.130 | -0.144 | 0.867 | 0.853 | 0.896 | 0.896 | 0.899 | 0.899 | 0.100 |
| No. of Fruit Servings per Day (age 21) | No | 21 | 20 | 25 | 0.500 | 0.060 | 0.049 | 0.397 | 0.412 | 0.411 | 0.635 | 0.432 | 0.682 | 0.815 |

Notes: This table examines the causal effects of the second-stage randomization (school-age component) of the Abecedarian intervention. We present descriptive statistics, treatment effect estimates, and inference for selected outcomes for females. We list here the information of each column. Col.1: variable of interest; Col.2: if the variable was reversed or not. By reversed we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4: control sample size; Col.5: treatment sample size; Col.6: control arithmetic mean; Col.7: unconditional difference in means across treatment and control groups; Col.8: conditional treatment effect controlling for cohort, high-risk index at birth, and gender, and accounting for attrition using Inverse Probability Weighting (IPW). For IPW covariates we use High-Risk Index at birth and Mother WAIS IQ; Col.9: asymptotic p-value of the one-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means. The remaining columns present permutation $\boldsymbol{p}$-values based on 20,000 permutation draws. Col.10: Single hypothesis one-sided naïve permutation $\boldsymbol{p}$-value. By naïve we mean that the test is based on an unconstrained permutation scheme. Col.11: One-sided single hypothesis block permutation $\boldsymbol{p}$-value. By block permutation we mean that permutations are done within strata defined by cohort and gender. Col.12: Multiple hypothesis testing (step-down) $\boldsymbol{P}$ -values associated with column (10). Col.13: One-sided single hypothesis block permutation $\boldsymbol{p}$-value associated with the IPW treatment effect estimate. Col.14: Multiple hypothesis testing (step-down) $\boldsymbol{p}$-values associated with the IPW inference. Col.15: Double-sided $\boldsymbol{p}$-value for the test of gender difference on treatment effect. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S17: Tests of H1, H2, and H3: (Males)

| Variable | Reversed | Age | Sample Sizes |  |  |  | Means |  |  |  | Conditional Permutation $p$-values |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | TT | TC | CT | CC | TT | TC | CT | CC | $\mathrm{TT}=\mathrm{TC}$ | $\mathbf{C T}=\mathbf{C C}$ | $\text { TT-TC }=\text { CT-CC }$ |
| Blood Pressure |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Systolic Blood Pressure at age 35 | Yes | 35 | 11 | 7 | 2 | 6 | 77.000 | 80.429 | 117.000 | 88.667 | 0.422 | 0.364 | 0.433 |
| Diastolic Blood Pressure at age 35 | Yes | 35 | 11 | 7 | 2 | 6 | 125.727 | 123.000 | 178.000 | 137.000 | 0.719 | 0.365 | 0.624 |
| Pre-Hypertension |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Pre-Hypertension at age 35 (Sys. 120 and <br> Dias. 80) | Yes | 35 | 11 | 7 | 2 | 6 | 0.455 | 0.286 | 1.000 | 0.667 | 0.798 | 0.722 | 0.606 |
| Pre-Hypertension at age 35 (Sys. 120 or Dias. 80) | Yes | 35 | 11 | 7 | 2 | 6 | 0.727 | 0.571 | 1.000 | 0.833 | 0.644 | 0.666 | 0.918 |
| Hypertension |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Hypertension at age 35 (Sys. 140 and Dias. <br> 90 ) | Yes | 35 | 11 | 7 | 2 | 6 | 0.091 | 0.143 | 1.000 | 0.333 | 0.552 | 0.351 | 0.085 |
| Hypertension at age 35 (Sys. 140 or Dias. <br> 90 ) | Yes | 35 | 11 | 7 | 2 | 6 | 0.091 | 0.286 | 1.000 | 0.500 | 0.320 | 0.536 | 0.158 |
| Lab Tests (Dyslipidemia) |  |  |  |  |  |  |  |  |  |  |  |  |  |
| HDL Cholesterol at age 35 | No | 35 | 10 | 8 | 4 | 6 | 53.400 | 53.250 | 41.500 | 43.833 | 0.851 | 0.949 | 0.756 |
| Dyslipidemia at age 35 (HDL 40 or HDL 50 ) | Yes | 35 | 10 | 8 | 4 | 6 | 0.200 | 0.000 | 0.250 | 0.333 | 0.292 | 0.993 | 0.574 |
| Lab Tests (Pre-Diabetes) |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Pre-Diabetes at age 35 (HbA1C 5.7) | Yes | 35 | 10 | 8 | 4 | 6 | 0.500 | 0.375 | 0.500 | 0.667 | 0.598 | 0.770 | 0.730 |
| Nutrition at 35 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Vit. D Deficiency (age 35) | Yes | 35 | 10 | 8 | 4 | 6 | 0.500 | 0.250 | 0.500 | 0.833 | 0.282 | 0.969 | 0.452 |
| Obesity |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Overweight at age 35 (BMI>25) | Yes | 35 | 10 | 7 | 1 | 6 | 0.800 | 0.571 | 1.000 | 0.833 | 0.417 | 0.667 | 0.563 |
| Obese at age 35 ( $\mathrm{BMI}>30$ ) | Yes | 35 | 10 | 7 | 1 | 6 | 0.700 | 0.286 | 1.000 | 0.667 | 0.258 | 0.300 | 0.457 |
| Severely Obese at age 35 (BMI>35) | Yes | 35 | 10 | 7 | 1 | 6 | 0.200 | 0.000 | 0.000 | 0.500 | 0.308 | 0.569 | 0.114 |
| Waist-Hip Ratio |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Waist-Hip Ratio at age 35 | Yes | 35 | 9 | 7 | 2 | 5 | 0.956 | 0.921 | 0.963 | 0.971 | 0.475 | 0.025 | 0.545 |
| Abdominal Obesity at age 35 | Yes | 35 | 9 | 7 | 2 | 5 | 0.667 | 0.714 | 1.000 | 0.800 | 0.801 | 0.683 | 0.582 |
| Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Metabolic Syndrome at age 35 (NCEP) | Yes | 35 | 10 | 7 | 1 | 6 | 0.000 | 0.143 | 1.000 | 0.500 | 0.434 | 0.417 | 0.231 |
| Hypertension and Obesity (age 35) | Yes | 35 | 10 | 7 | 1 | 6 | 0.000 | 0.000 | 0.000 | 0.500 | 0.999 | 0.553 | 0.309 |
| Hypertension and Severe Obesity (age 35) | Yes | 35 | 10 | 7 | 2 | 6 | 0.000 | 0.000 | 0.500 | 0.333 | 0.999 | 0.741 | 0.688 |
| Hypertension and Dyslipidemia (age 35) | Yes | 35 | 9 | 7 | 2 | 5 | 0.000 | 0.000 | 0.000 | 0.400 | 0.999 | 0.773 | 0.307 |
| Framingham |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Framingham Probability | Yes | 35 | 10 | 7 | 2 | 6 | 4.730 | 5.211 | 6.694 | 6.941 | 0.757 | 0.835 | 0.960 |

Notes: This table examines the effect of the second-stage randomization (school-age component) of the Abecedarian intervention. We present descriptive statistics and $p$-values from three hypothesis testing for selected outcomes. We list here the information of each column. Col.1: variable of interest; Col.2: if the variable was reversed or not. By reversed we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4-Col.7: sample sizes of each group. Col.8-Col.11: group means of the variable of interest. Col.12-Col. 14 : two-sided $p$-values for three hypotheses described in the text. Col. 12: H1: $\mu_{T T}=\mu_{T C} \quad$ (i.e. No program effect between TT and TC). Col.13: H2 : $\mu_{C T}=\mu_{C C}$ (i.e. No Program effect between CT and CC), and Col.14: H3: $\mu_{T T}=\mu_{T C}$ and $\mu_{C T}=\mu_{C C}$. The testing was conducted by a conditional permutation procedure using cohort, mother's IQ, High Risk Index (HRI) at birth, and the number of siblings as conditioning variables. For each testing, 5,000 permutations were drawn to construct the distribution of test statistics.

Table S18: Tests of H1, H2 and H3: (Females)

| Variable | Reversed | Age | Sample Sizes |  |  |  | Means |  |  |  | Conditional Permutation p-values |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | TT | TC | CT | CC | TT | TC | CT | CC | TT $=$ TC | $\mathrm{CT}=\mathrm{CC}$ | TT-TC=CT-CC |
| Blood Pressure |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Systolic Blood Pressure at age 35 | Yes | 35 | 10 | 7 | 10 | 9 | 83.300 | 88.571 | 94.300 | 89.111 | 0.530 | 0.630 | 0.536 |
| Diastolic Blood Pressure at age 35 | Yes | 35 | 10 | 7 | 10 | 9 | 125.700 | 138.571 | 142.6001 | 134.778 | 0.270 | 0.474 | 0.278 |
| Pre-Hypertension |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Pre-Hypertension at age 35 (Sys. 120 and Dias. 80 ) | Yes | 35 | 10 | 7 | 10 | 9 | 0.500 | 0.571 | 0.800 | 0.889 | 0.738 | 0.682 | 0.942 |
| Pre-Hypertension at age 35 (Sys. 120 or Dias. 80) | Yes | 35 | 10 | 7 | 10 | 9 | 0.500 | 0.857 | 1.000 | 1.000 | 0.295 | 0.999 | 0.333 |
| Hypertension |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Hypertension at age 35 (Sys. 140 and Dias. 90) | Yes | 35 | 10 | 7 | 10 | 9 | 0.100 | 0.429 | 0.400 | 0.333 | 0.087 | 0.881 | 0.396 |
| Hypertension at age 35 (Sys. 140 or <br> Dias. 90) | Yes | 35 | 10 | 7 | 10 | 9 | 0.500 | 0.571 | 0.400 | 0.556 | 0.998 | 0.376 | 0.760 |
| Lab Tests (Dyslipidemia) |  |  |  |  |  |  |  |  |  |  |  |  |  |
| HDL Cholesterol at age 35 | No | 35 | 10 | 7 | 10 | 9 | 55.900 | 67.857 | 55.900 | 57.889 | 0.262 | 0.746 | 0.335 |
| Dyslipidemia at age 35 (HDL 40 or HDL 50) | Yes | 35 | 10 | 7 | 10 | 9 | 0.400 | 0.143 | 0.400 | 0.333 | 0.366 | 0.720 | 0.558 |
| Lab Tests (Pre-Diabetes) |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Pre-Diabetes at age 35 (HbA1C 5.7) | Yes | 35 | 9 | 7 | 10 | 9 | 0.444 | 0.143 | 0.400 | 0.222 | 0.483 | 0.922 | 0.344 |
| Nutrition at 35 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Vit. D Deficiency (age 35) | Yes | 35 | 10 | 7 | 10 | 9 | 0.600 | 1.000 | 0.800 | 0.667 | 0.087 | 0.644 | 0.111 |
| Obesity |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Overweight at age 35 (BMI>25) | Yes | 35 | 10 | 7 | 10 | 9 | 1.000 | 0.714 | 0.900 | 1.000 | 0.210 | 0.436 | 0.264 |
| Obese at age 35 (BMI >30) | Yes | 35 | 10 | 7 | 10 | 9 | 0.800 | 0.571 | 0.800 | 0.667 | 0.641 | 0.909 | 0.552 |
| Severely Obese at age 35 <br> (BMI>35) | Yes | 35 | 10 | 7 | 10 | 9 | 0.100 | 0.429 | 0.500 | 0.333 | 0.161 | 0.804 | 0.509 |
| Waist-Hip Ratio |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Waist-Hip Ratio at age 35 | Yes | 35 | 8 | 7 | 10 | 8 | 0.898 | 0.866 | 0.982 | 0.872 | 0.708 | 0.222 | 0.146 |
| Abdominal Obesity at age 35 | Yes | 35 | 8 | 7 | 10 | 8 | 0.750 | 0.429 | 0.800 | 0.625 | 0.606 | 0.979 | 0.336 |
| Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Metabolic Syndrome at age 35 (NCEP) | Yes | 35 | 10 | 7 | 10 | 9 | 0.300 | 0.286 | 0.400 | 0.444 | 0.946 | 0.518 | 0.972 |
| Hypertension and Obesity (age 35) | Yes | 35 | 10 | 7 | 10 | 9 | 0.100 | 0.286 | 0.100 | 0.222 | 0.531 | 0.205 | 0.534 |
| Hypertension and Severe Obesity (age 35) | Yes | 35 | 10 | 7 | 10 | 9 | 0.200 | 0.143 | 0.200 | 0.222 | 0.830 | 0.508 | 0.805 |
| Hypertension and Dyslipidemia (age 35) | Yes | 35 | 8 | 7 | 10 | 8 | 0.000 | 0.143 | 0.200 | 0.250 | 0.349 | 0.436 | 0.704 |
| Framingham |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Framingham Probability | Yes | 35 | 10 | 7 | 10 | 9 | 1.239 | 0.978 | 1.493 | 1.449 | 0.592 | 0.631 | 0.675 |

Notes: This table examines the effect of the second-stage randomization (school-age component) of the Abecedarian intervention. We present descriptive statistics and $p$-values from three hypothesis testing for selected outcomes. We list here the information of each column. Col.1: variable of interest; Col.2: if the variable was reversed or not. By reversed we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4-Col.7: sample sizes of each group. Col.8-Col.11: group means of the variable of interest. Col.12-Col. 14 : two-sided $p$-values for three hypotheses described in the text. Col. 12: H1: $\mu_{T T}=\mu_{T C}$ (i.e. No program effect between TT and TC). Col.13: H2: $\mu_{C T}=\mu_{C C}$ (i.e. No Program effect between CT and CC), and Col.14: H3: $\mu_{T T}=\mu_{T C}$ and $\mu_{C T}=\mu_{C C}$. The testing was conducted by a conditional permutation procedure using cohort, mother's IQ, High Risk Index (HRI) at birth, and the number of siblings as conditioning variables. For each testing, 5,000 permutations were drawn to construct the distribution of test statistics.

## G A Simple Mediation Analysis

Tables S19 and S20 present a simple mediation analysis. As discussed in Section A, the Abecedarian intervention has educational, health care, and nutritional components. Hence, there might be different channels through which the treatment effects arise. In this section we examine an extensive set of potential mediators, which have been shown in previous work to be affected by the intervention: cognitive ability in childhood (61), infant temperament (89), body mass index at one year of age and the availability of health insurance at age 30 (Table 3), attained educational level by age 30, employment status and earnings at age 30 (90). These mediators were chosen because both they were affected by the intervention and because they have been shown in the literature to affect the outcomes of interest: obese children are more likely to display a variety of metabolic conditions in adulthood (91, 92), and in particular obesity at 12 months of age has been shown to be strongly correlated with later obesity (93); lower childhood intelligence test scores have been associated with higher prevalence of obesity, blood pressure and the metabolic syndrome (94-96); child temperament has also been shown to be predictive of precursors of obesity and of the metabolic syndrome (97, 98); and finally, education significantly affects health (99), as do income $(100,101)$ and health insurance, especially in vulnerable populations (102). Additionally, we examine as mediators indicators for the presence of frequent health problems and hospitalizations in the last 3 years at age 15, since it has been shown that health in adolescence is affected by early life health (103). Adolescence is considered by some to be a window of opportunity for treating emerging health problems and for preventing adolescent ill-health (104). On the other hand, behavioral risk factors such as smoking, drinking, physical activity and diet, which are usually targeted to reduce Non-Communicable Diseases (105), were not significantly affected by the intervention (Table S13), hence they are not considered plausible mediators.

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We present two tables of results. Table S19 is based on a model where the coefficients of the effects of the mediating variables are restricted to be the same across treatment and controls. Table S20 is based on a model where the coefficients are not so restricted. We test and fail to reject the equality of coefficients across treatment and control group for almost all the mediators considered (Table S20).

Our mediation analysis is based on a Blinder-Oaxaca decomposition $(106,107)$ which is an application of a Laspeyres index. Consider the following model:

$$
Y_{d}=\alpha_{d} X_{d}+\tau_{d}+\varepsilon_{d}
$$

where $Y$ is the outcome, $X$ is the mediator, $\tau$ is a constant and $d \in\{0,1\}$, where 1 denotes the treatment group, and 0 denotes the control group. The difference in mean outcomes across treatment and control groups $E(\Delta Y)=E\left(Y_{1}-Y_{0}\right)$ can be decomposed into a part which is explained by group differences in the mediating variables $\tilde{\alpha} E(\Delta X)=\tilde{\alpha} E\left(X_{1}-X_{0}\right)$ (where $\tilde{\alpha}$ is defined below), and into an unexplained component. Hence, the share of the treatment effect explained by each mediator is $\frac{\widetilde{\alpha} E(\Delta X)}{E(\Delta Y)}$.

We report two sets of results. In a first set (Table S19), we restrict the effect of the coefficients on the mediating variables to be the same for the treatment and control groups: $\tilde{\alpha}=\alpha_{1}=\alpha_{0}=\alpha$. In this case, we choose $\alpha$ based on the following pooled model:

$$
Y=\alpha X+\gamma D+\tau+\varepsilon
$$

where $D$ is a dummy for treatment status (108).
In a second set (Table S20), we do not restrict the effect of the coefficients on the mediating variables to be the same for the treatment and control groups. In this case, we choose $\tilde{\alpha}$ as the average of the coefficients estimated for each group: $\tilde{\alpha}=0.5 \alpha_{1}+0.5 \alpha_{0}$, following reference (109). When we restrict the coefficients of the effects on the mediating variables to be the same

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across treatment and control groups, the results reported in Table S19 show that the effect of the treatment on hypertension and obesity is significantly mediated by the body mass index of the child at around one year of age. The estimated shares range from 0.49 to 0.67 . Instead, the shares of the treatment effect mediated by cognition and temperament in childhood, and by education and labor market outcomes and the availability of health care in adulthood are much smaller and in general not statistically significant. We also test (Table S20) and in very few cases we reject equality of the coefficients of the effects of the mediating variables across treatment and control groups. When we do not restrict the regression coefficients for the treatment and control group to be the same, the estimated shares lose statistical significance (Table S20). The only notable exception appears the occurrence of hospitalizations in the last 3 years at age 15, which appears to explain a large share of the effect of the treatment on multiple risk factors. Given the small sample size, the numerous possible channels of intervention and the imprecision of the estimates, these findings are necessarily speculative at this point.

## Table S19: Decompositions of Treatment Effects on Health Outcomes (Biomedical Sweep), Males

| Outcome | Statistic | $\begin{aligned} & \text { BMI } \\ & \text { 12m } \end{aligned}$ | $\begin{aligned} & \text { IBR } \\ & \text { Task } \\ & \text { 12m } \\ & \hline \end{aligned}$ | $\begin{gathered} \text { MDI } \\ \text { 12m } \end{gathered}$ | $\begin{gathered} \text { SB IQ } \\ 48 \mathrm{~m} \end{gathered}$ | $\begin{gathered} \text { WPPSI } \\ 60 \mathrm{~m} \end{gathered}$ | Health Probl 15y | Hospital 15y | Educatio n 30y | Employ ment 30y | $\begin{array}{\|c\|} \hline \text { Earnings } \\ 30 y \end{array}$ | Health Insuranc e 30y |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Blood Pressure |  |  |  |  |  |  |  |  |  |  |  |  |
| Systolic Blood Pressure | effect | 0.473 | 0.025 | 0.000 | -0.344 | 0.063 | 0.068 | -0.061 | -0.076 | -0.013 | 0.139 | 0.023 |
|  | $p$-value | 0.125 | 0.414 | 0.499 | 0.098 | 0.322 | 0.444 | 0.458 | 0.365 | 0.487 | 0.199 | 0.457 |
| Diastolic Blood Pressure | effect | 0.564 | 0.025 | -0.002 | -0.307 | 0.061 | -0.068 | -0.040 | -0.043 | 0.123 | 0.080 | 0.229 |
|  | $p$-value | 0.099 | 0.407 | 0.494 | 0.098 | 0.363 | 0.437 | 0.470 | 0.409 | 0.367 | 0.272 | 0.175 |
| Hypertension |  |  |  |  |  |  |  |  |  |  |  |  |
| Hypertension (Sys. $>^{140}$ and Dias. $>^{\text {a }}$ 90) | effect | 0.491 | 0.018 | -0.005 | -0.301 | 0.028 | 0.040 | 0.245 | 0.075 | -0.056 | 0.139 | 0.062 |
|  | $p$-value | 0.099 | 0.422 | 0.486 | 0.173 | 0.462 | 0.461 | 0.295 | 0.356 | 0.439 | 0.174 | 0.413 |
| Hypertension (Sys. $>_{140 \text { or Dias. }>^{\prime} 90 \text { ) }}$ | effect | 0.534 | 0.040 | 0.000 | 0.010 | 0.142 | 0.198 | 0.193 | 0.070 | 0.462 | 0.178 | 0.201 |
|  | $p$-value | 0.094 | 0.393 | 0.499 | 0.484 | 0.265 | 0.306 | 0.332 | 0.367 | 0.107 | 0.207 | 0.279 |
| Nutrition |  |  |  |  |  |  |  |  |  |  |  |  |
| Vit. D Deficiency | effect | 0.465 | 0.021 | -0.022 | 0.106 | 0.212 | -0.262 | -0.164 | 0.072 | 0.144 | -0.022 | 0.107 |
|  | $p$-value | 0.150 | 0.417 | 0.430 | 0.410 | 0.277 | 0.187 | 0.258 | 0.330 | 0.226 | 0.465 | 0.315 |
| Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |
| Hypertension and Obesity | effect | 0.587 | 0.000 | 0.013 | 0.094 | 0.171 | 0.110 | 0.209 | 0.114 | 0.113 | 0.013 | -0.130 |
|  | $p$-value | 0.069 | - | 0.464 | 0.305 | 0.128 | 0.360 | 0.298 | 0.318 | 0.357 | 0.469 | 0.238 |
| Hypertension and Severe Obesity | effect | 0.315 | 0.000 | 0.015 | 0.344 | 0.208 | 0.262 | 0.421 | 0.267 | 0.264 | 0.016 | -0.051 |
|  | $p$-value | 0.124 | - | 0.444 | 0.041 | 0.101 | 0.229 | 0.140 | 0.098 | 0.222 | 0.365 | 0.359 |
| Hypertension and Dyslipidemia | effect | 0.144 | 0.002 | 0.000 | 0.070 | 0.152 | 0.244 | 0.473 | 0.084 | 0.117 | 0.015 | -0.081 |
|  | $p$-value | 0.355 | 0.481 | 0.498 | 0.385 | 0.146 | 0.257 | 0.142 | 0.304 | 0.356 | 0.384 | 0.317 |
| Metabolic Syndrome (NCEP) | effect | 0.070 | 0.000 | 0.002 | 0.236 | 0.241 | 0.111 | 0.627 | 0.228 | 0.072 | -0.008 | -0.328 |
|  | $p$-value | 0.459 | 0.497 | 0.490 | 0.189 | 0.117 | 0.398 | 0.171 | 0.134 | 0.450 | 0.443 | 0.112 |
| Framingham |  |  |  |  |  |  |  |  |  |  |  |  |
| Framingham Probability | effect | -0.149 | 0.010 | 0.001 | 0.249 | 0.221 | 0.449 | 1.233 | 0.017 | 0.135 | 0.164 | -0.037 |
|  | $p$-value | 0.326 | 0.473 | 0.495 | 0.262 | 0.194 | 0.219 | 0.044 | 0.470 | 0.375 | 0.205 | 0.456 |

Note: This table presents an analysis of linear decomposition of health effects in the mid-30s based on a set of mediators affected by the intervention: body mass index (BMI) at 12 months, the Task Orientation scale of the Infant Behavior Record (IBR) at 12 months, the Bailey Mental Development Index (MDI) at 12 months, the Stanford-Binet IQ score at 48 months, the Weschler Preschool and Primary Scale of Intelligence (WPPSI) Block Design Subtest scale at 60 months, the presence of frequent health problems and hospitalizations in the last 3 years at age 15, educational attainment, employment status, earnings and health insurance at age 30 . Unconditional shares of the treatment effect explained by each mediator (models using one mediator at a time) are shown, based on Blinder-Oaxaca decomposition (106, 107): $\alpha E(\Delta X) / E(\Delta Y)$, where $\Delta X=X_{1}-X_{0}, \Delta Y=Y_{1}-Y_{0}, X$ is the mediator, $Y$ is the outcome, 0 is control and 1 is treatment group. Regression coefficients for the treatment and control group are restricted to be the same $(\alpha)$, and are based on the following pooled model: $Y=\alpha X+\gamma D+\tau+\varepsilon$, where $D$ is a dummy for treatment status and $\tau$ is a constant (108). One sided $p$-values are associated with the inference that tests if the estimated explained share is statistically different from zero and are based on 1000 bootstrap draws. $p$-values below $10 \%$ are in bold. BMI = Body Mass Index. M=months.

Table S20: Unrestricted Decompositions of Treatment Effects on Health Outcomes (Biomedical Sweep), Males

| Outcome | Statistic | $\begin{aligned} & \text { BMI } \\ & \text { 12m } \end{aligned}$ | IBR <br> Task <br> 12 m | $\begin{aligned} & \text { MDI } \\ & \text { 12m } \end{aligned}$ | $\begin{gathered} \text { SB IQ } \\ 48 \mathrm{~m} \end{gathered}$ | WPPSI 60m | Health Probl 15y | Hospital 15y | Educatio <br> n 30y | Employ ment 30y | Earnings 30y | Health Insuranc e 30y |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Blood Pressure |  |  |  |  |  |  |  |  |  |  |  |  |
| Systolic Blood Pressure | effect | 0.397 | 0.060 | -0.003 | -0.346 | 0.078 | 0.130 | -0.159 | -0.086 | 0.026 | 0.863 | 0.009 |
|  | $p$-value | 0.402 | 0.422 | 0.496 | 0.147 | 0.442 | 0.326 | 0.333 | 0.363 | 0.456 | 0.442 | 0.483 |
|  | $\begin{aligned} & H_{0}: \alpha_{1} \\ & =\alpha_{0} \end{aligned}$ | 0.482 | 0.435 | 0.481 | 0.650 | 0.130 | 0.466 | 0.164 | 0.631 | 0.540 | 0.383 | 0.878 |
| Diastolic Blood Pressure | effect | 0.349 | 0.036 | -0.007 | -0.310 | 0.084 | -0.035 | -0.058 | -0.037 | 0.174 | 1.786 | 0.206 |
|  | $p$-value | 0.432 | 0.444 | 0.490 | 0.171 | 0.435 | 0.445 | 0.429 | 0.435 | 0.238 | 0.348 | 0.233 |
|  | $\begin{aligned} & H_{0}: \alpha_{1} \\ & =\alpha_{0} \end{aligned}$ | 0.032 | 0.791 | 0.120 | 0.524 | 0.029 | 0.672 | 0.792 | 0.727 | 0.368 | 0.021 | 0.837 |
| Hypertension |  |  |  |  |  |  |  |  |  |  |  |  |
| Hypertension (Sys. $>140$ and Dias. $>^{\text {a }} 90$ ) | effect | 0.494 | 0.058 | -0.003 | -0.301 | 0.065 | -0.010 | 0.159 | 0.068 | -0.070 | 1.168 | 0.012 |
|  | $p$-value | 0.374 | 0.413 | 0.494 | 0.268 | 0.453 | 0.483 | 0.285 | 0.400 | 0.402 | 0.325 | 0.485 |
|  | $\begin{aligned} & H_{0}: \alpha_{1} \\ & =\alpha_{0} \end{aligned}$ | 0.976 | 0.185 | 0.795 | 0.988 | 0.009 | 0.532 | 0.138 | 0.727 | 0.824 | 0.229 | 0.716 |
| Hypertension (Sys. $>^{\text {a }} 140$ or Dias. $>90$ ) | effect | 0.419 | 0.029 | -0.008 | 0.012 | 0.178 | 0.065 | 0.089 | 0.090 | 0.549 | 1.859 | 0.168 |
|  | $p$-value | 0.381 | 0.455 | 0.487 | 0.487 | 0.166 | 0.395 | 0.373 | 0.354 | 0.044 | 0.251 | 0.318 |
|  | $\begin{aligned} & H_{0}: \alpha_{1} \\ & =\alpha_{0} \end{aligned}$ | 0.284 | 0.724 | 0.011 | 0.571 | 0.000 | 0.077 | 0.073 | 0.310 | 0.143 | 0.031 | 0.816 |
| Nutrition |  |  |  |  |  |  |  |  |  |  |  |  |
| Vit. D Deficiency | effect | 0.591 | 0.012 | -0.037 | 0.113 | 0.171 | -0.337 | -0.233 | 0.071 | 0.138 | 0.425 | 0.149 |
|  | $p$-value | 0.132 | 0.462 | 0.382 | 0.430 | 0.301 | 0.064 | 0.114 | 0.341 | 0.251 | 0.380 | 0.256 |
|  | $\begin{aligned} & H_{0}: \alpha_{1} \\ & =\alpha_{0} \end{aligned}$ | 0.362 | 0.593 | 0.338 | 0.708 | 0.000 | 0.377 | 0.234 | 0.823 | 0.819 | 0.078 | 0.247 |
| Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |
| Hypertension and Obesity | effect | 0.534 | 0.000 | 0.026 | 0.098 | 0.199 | 0.058 | 0.133 | 0.155 | 0.061 | 1.288 | -0.089 |
|  | $p$-value | 0.391 | - | 0.459 | 0.420 | 0.112 | 0.383 | 0.284 | 0.281 | 0.378 | 0.338 | 0.362 |
|  | $\begin{aligned} & H_{0}: \alpha_{1} \\ & =\alpha_{0} \end{aligned}$ | 0.541 | 0.769 | 0.029 | 0.576 | 0.000 | 0.285 | 0.134 | 0.147 | 0.293 | 0.076 | 0.699 |
| Hypertension and Severe Obesity | effect | 0.229 | 0.000 | 0.028 | 0.361 | 0.235 | 0.197 | 0.325 | 0.321 | 0.199 | 0.951 | -0.093 |
|  | $p$-value | 0.457 | - | 0.460 | 0.244 | 0.357 | 0.174 | 0.050 | 0.111 | 0.151 | 0.413 | 0.367 |
| Hypertension and Dyslipidemia | effect | 0.105 | 0.006 | 0.000 | 0.071 | 0.172 | 0.174 | 0.366 | 0.095 | 0.088 | 0.776 | -0.143 |
|  | $p$-value | 0.483 | 0.489 | 0.499 | 0.429 | 0.371 | 0.235 | 0.053 | 0.325 | 0.344 | 0.407 | 0.318 |
| Metabolic Syndrome (NCEP) | effect | 0.073 | 0.001 | 0.004 | 0.246 | 0.280 | 0.083 | 0.533 | 0.273 | 0.055 | -0.869 | -0.895 |
|  | $p$-value | 0.495 | 0.499 | 0.496 | 0.363 | 0.411 | 0.389 | 0.076 | 0.262 | 0.439 | 0.443 | 0.002 |
| Framingham |  |  |  |  |  |  |  |  |  |  |  |  |
| Framingham Probability | effect | -0.018 | 0.010 | 0.002 | 0.257 | 0.236 | 0.190 | 1.265 | 0.019 | 0.094 | -0.988 | -0.225 |
|  | $p$-value | 0.496 | 0.483 | 0.495 | 0.294 | 0.345 | 0.276 | 0.024 | 0.478 | 0.372 | 0.440 | 0.206 |
|  | $\begin{aligned} & H_{0}: \alpha_{1} \\ & =\alpha_{0} \end{aligned}$ | 0.105 | 0.956 | 0.581 | 0.105 | 0.329 | 0.001 | 0.465 | 0.929 | 0.586 | 0.213 | 0.062 |

Note: This table presents an analysis of linear decomposition of health effects in the mid-30s based on a set of mediators affected by the intervention: body mass index (BMI) at 12 months, the Task Orientation scale of the Infant Behavior Record (IBR) at 12 months, the Bailey Mental Development Index (MDI) at 12 months, the Stanford-Binet IQ score at 48 months, the Weschler Preschool and Primary Scale of Intelligence (WPPSI) Block Design Subtest scale at 60 months, the presence of frequent health problems and hospitalizations in the last 3 years at age 15, educational attainment, employment status, earnings and health insurance at age 30 . Unconditional shares of the treatment effect explained by each mediator (models using one mediator at a time) are shown, based on Blinder-Oaxaca decomposition (106, 107): $\tilde{\alpha} E(\Delta X) / E(\Delta Y)$, where $\Delta X=X_{1}-X_{0}, \Delta Y=Y_{1}-Y_{0}, X$ is the mediator, $Y$ is the outcome, 0 is control and 1 is treatment group. Regression coefficients for the treatment and control groups are not restricted to be the same $(\tilde{\alpha})$, and are the average of the coefficients estimated for each group: $\tilde{\alpha}=0.5 \alpha_{1}+0.5 \alpha_{0}$ (109), based on the following models: $Y_{d}=\alpha_{d} X_{d}+\tau_{d}+\varepsilon_{d}$, where $\tau$ is a constant and $d \in\{0,1\}$. One sided $p$-values are associated with the inference that tests if the estimated explained share is statistically different from zero and are based on 1000 bootstrap draws. For each outcome, the third row reports two-sided $p$-values associated with the inference that the coefficients of the effects of the mediating variables are statistically significantly different across treatment and control groups, i.e. $H_{0}: \alpha_{1}=\alpha_{0}$. For the outcomes "Hypertension and Severe Obesity", "Hypertension and Dyslipidemia" and "Metabolic Syndrome", these cannot be computed since the prevalence of these conditions is 0 in the treatment group. $p$-values below $10 \%$ are in bold. $\mathrm{M}=$ months.
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## H Methodology for Permutation-based Inference

The standard model of program evaluation describes the observed outcome $Y_{i}$ of participant $i \in J$ by

$$
\begin{equation*}
Y_{i}=D_{i} Y_{i}(1)+\left(1-D_{i}\right) Y_{i}(0), \tag{1}
\end{equation*}
$$

where $J=\{1, \ldots, N\}$ denotes the sample space indexing set, $D_{i}$ denotes the treatment assignment for participant $i \in J, \quad\left(D_{i}=1\right.$ if treatment occurs, $D_{i}=0$ otherwise) and $\left(Y_{i}(0), Y_{i}(1)\right)$ are potential outcomes for participant $i$ when treatment is fixed at control and treatment status respectively.

Randomized experiments solve possible problems of selection bias by inducing independence between counterfactual outcomes $\left(Y_{i}(0), Y_{i}(1)\right)$ and treatment status $D_{i}$ when conditioned on the pre-program variables $X$ used in the randomization protocol. All variables are defined in the common probability space $(\Omega, \mathcal{F}, P)$. In our notation, a randomized experiment satisfies

Assumption $1 Y(d) \Perp D \mid X ; d \in \operatorname{supp}(D)$,
where variables $X=\left(X_{i} ; i \in J\right), D=\left(D_{i} ; i \in J\right)$ are $N$-dimensional vectors of treatment assignments and pre-program variables, and $Y(d)=\left(Y_{i}\left(d_{i}\right) ; i \in J, d_{i} \in\{0,1\}\right)$ and $d \in \operatorname{supp}(D))=\{0,1\}^{|J|}$ denotes the vector of counterfactual outcomes. In the same fashion, we represent the vector of observed outcomes of Equation (1) by $Y=\left(Y_{i} ; i \in J\right)$. The hypothesis of no treatment effect is equivalent to the statement that the conditional counterfactual outcome vectors have the same distribution:

Hypothesis $1 \quad Y(d) \stackrel{d}{=} Y\left(d^{\prime}\right) \mid X ; d, d^{\prime} \in \operatorname{supp}(D)$,

Hypothesis 1 can be restated in a more tractable form:

## Hypothesis 1 Under Assumption 1 and Hypothesis 1, we have that $Y \Perp D \mid X$.

Testing Hypothesis 1 poses some statistical challenges for the study of the ABC experiment. First, small sample sizes cast doubt on inferences that rely on the asymptotic behavior of test statistics. We address the problem of small sample size by generating exact test statistics conditioned on data. Second, the presence of multiple outcomes allows for the arbitrary selection of statistically significant outcomes. The selective reporting of "statistically significant" outcomes is often termed cherry picking and generates a downward biased inference with distorted, undersized $p$-values. We solve the problem of cherry picking by implementing a multiple-hypothesis testing based on the stepdown procedure of Romano and Wolf(23). They explain that the stepdown procedure strongly controls for family-wise error rate (FWER), while traditional tests do not. Also, Romano and Wolf (23) shows that the strong FWER control can be obtained by ensuring a certain monotonicity condition on the test statistics. This requirement is weaker than the assumption of subset pivotality, used in the various methods of resampling outcomes presented in Westfall and Young(110).

Our method is based on three steps. First, we seek to characterise the exact conditional distribution of $D \mid X$. Specifically, we characterize a multiset $D_{x}(d)$, defined by:

$$
D_{x}(d)=\left\{d^{\prime} \in\{0,1\}^{|J|} ; P(D=d \mid X=x)=P\left(D=d^{\prime} \mid X=x\right)\right\},
$$

such that the distribution of $D$ conditioned on the realised data is uniform among elements of $D_{x}(d)$. Next we use the assumption of null hypothesis of no treatment effects, i.e. $H_{0}: Y \Perp D \mid X$, to generate the exact conditional distribution of a test statistic $T(Y, D) \mid X$. Under it, we can construct inferences that control for the probability of falsely rejecting the null
hypothesis. We control for this probability in two ways: (1) in the case of single (joint) null hypothesis, we control for the standard Type-I error; (2) in the case of multiple hypothesis inference, we control for the family-wise error rate (FWER).

More notation is necessary to describe the method. Let $K$ represent the indexing set for all available outcomes $Y_{k} ; k \in K$. We represent the single (joint) null hypothesis that a set $L \subset K$ of outcomes $Y_{k} ; k \in L$ are jointly independent of treatment status $D$ conditional on pre-program variables $X$ by

$$
\begin{equation*}
H_{L}: Y_{L} \Perp D \mid X \text {, where } Y_{L}=\left(Y_{k}: k \in L\right) \text {. } \tag{2}
\end{equation*}
$$

When $L$ is a singleton, say $L=\{k\}$, then the null hypothesis is given by $H_{\{k\}}: Y_{k} \Perp D \mid X$. In this notation, we can write the joint Hypothesis $H_{L}$ as $H_{L}=\cap_{k \in L} H_{\{k\}}$.

Our goal is to tests a single (joint) null hypothesis controlling for the probability of a Type I error at level $\alpha$, that is, $P$ (reject $H_{L} \mid H_{L}$ is true) $\leq \alpha$. To do so, we rely on the fact that, under Hypothesis (2),

$$
\begin{equation*}
\left(Y_{L}, D\right)\left|X \stackrel{d}{=}\left(Y_{L}, g D\right)\right| X \forall g \in \mathbf{G}_{X}, \tag{3}
\end{equation*}
$$

where $\mathbf{G}_{X}$ consists of all of the permutations within strata of $X$, that is,

$$
\mathbf{G}_{X}=\left\{g ; g: J \rightarrow J \text { is a bijection and } g(j)=j^{\prime} \Rightarrow\left(X_{j}\right)=\left(X_{j^{\prime}}\right)\right\},
$$

and $g D$ is a vector defined by:

$$
g D=\left(\tilde{D}_{i} \in \operatorname{supp}(D) ; i \in J \text { and } \tilde{D}_{i}=D_{g(i)}\right) .
$$

We use relationship (3) to generate a statistical test. The exact distribution of the test statistic $T_{L}\left(Y_{L}, g D\right)$ is obtained by re-evaluating $T_{L}\left(Y_{L}, g D\right)$ as $g$ varies in $\mathbf{G}_{X}$. Note that the inference
on Hypothesis $\underline{2}$ is depend on the choice of statistics. That is to say that even though any statistics $T_{L}\left(Y_{L}, D\right)$ whose values provide evidence against the null hypothesis can be used, the inference depends on this choice of statistic. An example of such statistics is the maximum of the $t$-statistic associated with the difference in means between treated and control groups over outcomes $Y_{k}$ such that $k \in L$. Formally,

$$
\begin{equation*}
T_{L}\left(Y_{L}, D\right)=\max _{k \in L} T_{k}\left(Y_{k}, D\right), \tag{4}
\end{equation*}
$$

where $T_{k}\left(Y_{k}, D\right)$ is the $t$-statistics for outcome $Y_{k}$. Relationship (ㄹ) implies that $T_{L}\left(Y_{L}, D\right)\left|X \stackrel{d}{=} T_{L}\left(Y_{L}, g D\right)\right| X$ for any $g \in \mathbf{G}_{X}$. Let $d \in\{0,1\}^{J}$ satisfy $P(D=d \mid X=x)>0$. The distribution of $D$ conditioned on $X=x$ is uniform across elements of $\mathbf{D}_{x}(d)$ (see Lehmann and Romano (111)). Thus a critical value $c_{L, x}\left(Y_{L}, d, \alpha\right)$ such that $P\left(T_{L}\left(Y_{L}, d^{\prime}\right)>c_{L, x}\left(Y_{L}, d, \alpha\right) \mid X=x, H_{L}\right.$ is true $) \leq \alpha$ can be computed as:

$$
c_{L, x}\left(Y_{L}, d, \alpha\right)=\inf _{t \in \mathbf{R}}\left\{\sum_{d^{\prime} \in \mathbf{D}_{\chi}(d)} 1\left\{T_{L}\left(Y_{L}, d^{\prime}\right) \leq t\right\} \geq(1-\alpha)\left|\mathbf{D}_{x}\right|\right\},
$$

where $1\{\cdot\}$ is the indicator function and $\left|\mathbf{D}_{x}\right|$ denotes the cardinality of the set $\mathbf{D}_{x}$. The following notation is useful to further characterize $c_{L, x}\left(Y_{L}, d, \alpha\right)$. Let $T_{L, x}^{(1)}, \ldots, T_{L, x}^{\left(\mathbf{D}_{x}(d)\right)}$ be the sequence of increasing ordered statistics $T_{L}\left(Y_{L}, d^{\prime}\right)$ for $d \in \mathbf{D}_{x}(d)$. In this notation we can write the critical value as

$$
\begin{equation*}
c_{L, x}\left(Y_{L}, d, \alpha\right)=T_{L, x}^{\left(\left\ulcorner(1-\alpha) \mid \mathbf{D}_{x}\right\rceil\right)} \tag{5}
\end{equation*}
$$

where $\lceil a\rceil$ stands for the smallest integer bigger or equal than $a$.

Under the null hypothesis $H_{L}$, the probability that a test statistic is bigger or equal than the statistic $T_{L}\left(Y_{L}, d\right)$ actually observed, (i.e. the $p$-value), is given by:

$$
\begin{equation*}
p_{L, x}(d)=\inf _{\alpha \in[0,1]}\left\{c_{L, x}\left(Y_{L}, d, \alpha\right) \leq T_{L}\left(Y_{L}, d\right)\right\} \tag{6}
\end{equation*}
$$

Now let $r_{L, x} \in\left\{1, \ldots,\left|\mathbf{D}_{x}(d)\right|\right\}$ be the lowest rank that the value of the observed test statistic $T_{L}\left(Y_{L}, d\right)$ takes in the sequence $T_{L, x}^{(1)}, \ldots, T_{L, x}^{\left(\mathbf{D}_{\chi}(d)\right)}$, that is to say:

$$
r_{L, x}=1+\sum_{d^{\prime} \in \mathbf{D}_{X}(d)} 1\left\{T_{L}\left(Y_{L}, d^{\prime}\right)<T_{L}\left(Y_{L}, d\right)\right\} .
$$

Thus:

$$
\begin{equation*}
T_{L, x}^{\left(r_{L, x}\right)}=T_{L}\left(Y_{L}, d\right) \tag{7}
\end{equation*}
$$

By the ordered property of $T_{L, x}^{(r)} ; r \in\left\{1, \ldots,\left|\mathbf{D}_{x}(d)\right|\right\}$ and the definition of $r_{L, x}$, it follows that:

$$
\begin{equation*}
p_{L, x}(d)=1-\frac{r_{L, x}}{\left|\mathbf{D}_{\chi}(d)\right|} \tag{8}
\end{equation*}
$$

Moreover, $p$-value $p_{L, x}(d)$ has the following property:

$$
P\left(p_{L, x}(d) \leq \phi \mid X=x\right) \leq \phi \forall \phi \in[0,1] .
$$

We implement an inference method that tests for the multiple null hypothesis that each outcome $Y_{k} ; k \in L$ is independent of treatment status $D$ conditional on pre-program variables $X$. The representation of these multiple hypotheses in the same fashion as the single (joint) null hypothesis, is:

$$
H_{L}=\cap_{k \in L} H_{\{k\}} ; H_{\{k\}}: Y_{k} \Perp D \mid(Z, U) .
$$

The multiple hypothesis testing differs from the single (joint) hypothesis testing in the way it
controls for the probability of false rejection. Specifically, let the subset $L_{0}$ be the set of true Hypothesis $H_{\{k\}}$ such that $k \in L_{0} \subset L$. Our multiple hypothesis testing controls for the familywise error rate (FWER), that is, the probability of even one false rejection among the set of true hypothesis $L_{0}$. Formally, we control for:

$$
P\left(\text { reject at least one } H_{\{k\}} ; k \in L_{0} \mid H_{L_{0}} \text { is true) } \leq \alpha,\right.
$$

while single (joint) hypothesis testing controls for $P$ (reject $H_{L} \mid H_{L}$ is true) $\leq \alpha$.
Bonferroni or Holm procedures are examples of inference methods that test multiple hypothesis controlling for FWER. These methods rely upon a "least favorable" dependence structure among the $p$-values. The stepdown procedure of Romano and Wolf (23) is less conservative as it accounts for the information about the dependence structure of $p$-values. The method is based on a monotonicity assumption, which, in our case, can be stated as:

$$
\begin{equation*}
c_{K, x}\left(Y_{K}, d, \alpha\right) \geq c_{L_{0}, x}\left(Y_{L_{0}}, d, \alpha\right) \text { for any subset } K \text { of } L \text { containing } L_{0} \text { i.e. } L_{0} \subset K \subset L \text {. } \tag{9}
\end{equation*}
$$

Inequality (9) is satisfied by our choice of test statistic (4) and the fact that $L_{0} \subset K$.
The stepdown procedure given in Romano and Wolf (23) is a stepwise method summarized in the following algorithm:

## Algorithm 1.

Step 1: Set $L_{1}=L$. If

$$
\begin{equation*}
\max _{k \in L_{1}} T_{k}\left(Y_{k}, d\right) \leq c_{L, x}\left(Y_{L_{1}}, d, \alpha\right), \tag{10}
\end{equation*}
$$

then stop and reject no null hypotheses; otherwise, reject any $H_{\{k\}}$ with

$$
T_{k}\left(Y_{k}, d\right)>c_{L, x}\left(Y_{L_{1}}, d, \alpha\right)
$$

and go to Step 2.
$\vdots$
Step $j$ : Let $L_{j}$ denote the indices of remaining null hypotheses. If

$$
\begin{equation*}
\max _{k \in L_{j}} T_{k}\left(Y_{k}, d\right) \leq c_{L, x}\left(Y_{L_{j}}, d, \alpha\right), \tag{11}
\end{equation*}
$$

then stop and reject no further null hypotheses; otherwise, reject any $H_{\{k\}}$ with

$$
T_{k}\left(Y_{k}, d\right)>c_{L, x}\left(Y_{L_{j}}, d, \alpha\right)
$$

and go to Step $j+1$.
$\vdots$

We can compute the multiplicity-adjusted $p$-values of Equations(10)-(11) in the same fashion described by Equations (즈)-(주).

## I Bootstrap Analysis of Test Statistics and an Analysis of Confidence Intervals

This section presents the details of the estimation and inference of the Abecedarian treatment effects using the bootstrap method. Our analysis is based on Romano and Wolf (23). We also refer to Romano (112) for a theoretical background.

Some notation is necessary to define our inference problem. We use $J=\{1, \ldots, N\}$ for the sample space indexing where $D_{i}$ denotes the treatment assignment for participant $i \in J,\left(D_{i}=1\right.$ if treatment occurs, $D_{i}=0$ otherwise). We use $Y_{k, i} ; i \in J, k \in L$ for the $k$-th outcome of participant $i$. We use $X_{i} ; i \in J$ for the pre-program variables $X$ and of participant $i$ that were used in the randomization protocol. Likewise, we use $Z_{i}$ for the pre-program variables not used in the randomization protocol that we wish to control for. We use $Y_{k}=\left(Y_{k, i} ; i \in J\right)$ for the outcome vector comprising all participants in $J$ and $D=\left(D_{i} ; i \in J\right)$ for the vector of treatment status. In the same fashion, we use $X=\left(X_{i} ; i \in J\right)$ and $Z=\left(Z_{i} ; i \in J\right)$ for the vector of pre-program variables $X_{i}$ and $Z_{i}$ across participants in $J$. All variables are defined in the common probability space $(\Omega, F, P)$.

We model outcome $Y_{k} ; k \in L$ through the following linear regression:

$$
\begin{equation*}
Y_{k, i}=\kappa_{k}+\Delta_{k} D_{i}+X_{i} \beta_{k}+Z_{i} \zeta_{k}+\varepsilon_{i} . \tag{12}
\end{equation*}
$$

Let $\hat{\Delta}_{k, N}\left(Y_{k}, D, X, Z\right)$, or simply $\hat{\Delta}_{k, N}$, be the conditional average treatment effect estimate of the Abecedarian intervention for outcome $Y_{k}$. For the case of the least squares estimator,

$$
\hat{\Delta}_{k, N}=\left(D^{\prime} M_{B} D\right)^{-1} D^{\prime} M_{B} Y,
$$

where $B=[\imath X Z]$ is the matrix that comprises a vector of ones $(t)$ and the matrices of the realized variables $X, Z$ and $M_{B}$ is the linear operator of the orthogonal projection on the sample space generate by the columns of $B$, that is,

$$
M_{B}=I-B\left(B^{\prime} B\right)^{-1} B^{\prime}
$$

where $I$ is the identity matrix. This is our estimator for the parameter $\Delta_{k}$ of Equation (12). Our analysis does not apply exclusively to this choice of estimated parameter and holds for any other estimated parameter of interest. In particular, we also investigate the following objects: (1) the $t$ -statistic associated with the treatment effect estimate $\hat{\Delta}_{k, N}$ cited above; (2) the weighted average treatment effect estimate whose weights are given by inverse probability weighting (IPW); or (3) the $t$-statistic associated with this IPW estimate.

Our goal is to test the single (joint) null hypothesis $H_{L}: \cap_{k \in L} H_{k}$ such that $H_{k}: \Delta_{k}=0$ against the alternative hypothesis that $\Delta_{k}>0 ; k \in L$. To to so, we will use the bootstrap method described in Romano and $\operatorname{Wolf}(23)$. Bootstrap relies on approximating the distribution of $\hat{T}_{L, N}=\max _{k \in L}\left(\hat{T}_{k, N}\right)$, where $\hat{T}_{k, N}=\tau_{N}\left(\hat{\Delta}_{k, N}-\Delta_{k}\right)$. Parameter $\tau_{N}$ is introduced for purposes of asymptotic analysis so that a limiting distribution for $\tau_{N} \hat{\Delta}_{k, N}(Y, X, Z)$ is not degenerate. Typically, $\tau_{N}=N^{1 / 2}$. Moreover, when $L$ is a singleton, say $L=\{k\}$, then the null hypothesis is the standard single-hypothesis testing of $H_{k}: \Delta_{k}=0$.

We denote the distribution of $\hat{T}_{k, N}$ by $F_{N, k}(t)=P\left(\hat{T}_{k, N}<t\right)$ which we assume converges to a non-degenerate limiting law $F_{k}(t)$ when $N$ tends to infinity. Formally, we write:

Assumption $2 \quad F_{N, k}(t) \xrightarrow{L} F_{k}(t) \forall k \in L$ such that $H_{k}$ is true and $t \in \operatorname{supp}\left(\hat{T}_{k, N}\right)$.

AlAAAS
Let the distribution of $\hat{T}_{L, N}$ be $F_{N, L}(t)=P\left(\hat{T}_{L, N}<t\right)$. Assumption 2 implies that the limiting distribution of $F_{N, L}(t)$, i.e. $F_{L}(t)$, exists. Also let the critical value for the $\alpha$-quantile of variable $\hat{T}_{k, N}$ be given by:

$$
\begin{equation*}
c_{N, L}\left(\alpha, F_{N, L}\right)=\inf _{t \in \mathbf{R}}\left\{F_{N, L}(t) \geq(1-\alpha)\right\} . \tag{13}
\end{equation*}
$$

If we assume the regularity condition that $F_{L}(P)$ is continuous and strictly increasing in its support, then $c_{N, L}\left(\alpha, F_{N, L}\right) \rightarrow c_{L}\left(\alpha, F_{L}\right)$.

The bootstrap approximation of the distribution $F_{N, k}(t) ; k \in L$ is denoted by $\hat{F}_{N, k}(t) ; k \in L$ and is obtained by re-sampling the data with replacement. Formally let the re-sampling function $h \in \mathbf{H}=\{h ; h: J \rightarrow J\}$ be the group action that transform the data in the following manner:

$$
h X=\left(\tilde{X}_{i} ; i \in J ; \tilde{X}_{i}=X_{h(i)}\right) .
$$

Then the distribution of $\quad \hat{\Delta}_{k, N}\left(Y_{k}, X, Z\right) ; k \in L \quad$ is given by the values $\hat{\Delta}_{k, N}^{h}=\hat{\Delta}_{k, N}\left(h Y_{k}, h X, h Z\right) ; k \in L$ takes as $h$ varies in $\mathbf{H}$. We can then use the bootstrap method to approximate of the distribution of $\hat{T}_{k, N}$ by the values that $\hat{T}_{k, N}^{h}=\tau_{N}\left(\hat{\Delta}_{k, N}-\hat{\Delta}_{k, N}^{h}\right) ; h \in \mathbf{H}$ takes. Then the bootstrap approximation of $\hat{F}_{N, L}(t)$ is given by:

$$
\begin{equation*}
\hat{F}_{N, L}(t)=\sum_{i=1}^{|\mathbf{H}|} I\left\{\hat{T}_{L, N}^{h}<t\right\}, \tag{14}
\end{equation*}
$$

where $\hat{T}_{L, N}^{h}=\max _{k \in L}\left\{\hat{T}_{k, N}^{h}\right\}$ and $I\{\cdot\}$ is the indicator function. Equation (14) alow us to compute
the bootstrap critical value $c_{N, L}\left(\alpha, \hat{F}_{N, L}(t)\right)$ according to the definition (13). Finally, if we define $\hat{T}_{L, N}^{(1)}, \ldots, \hat{T}_{L, N}^{(\mathbf{( H )})}$ to be the sequence of increasing ordered statistics $\hat{T}_{L, N}^{h}$ for $h \in \mathbf{H}$, then the critical value $c_{N, L}\left(\alpha, \hat{F}_{N, L}(t)\right)$ is given by:

$$
\begin{equation*}
c_{N, L}\left(\alpha, \hat{F}_{N, L}\right)=\hat{T}_{L, N}^{[(1-\alpha) \mathbf{H}\rceil)}, \tag{15}
\end{equation*}
$$

where $\lceil a\rceil$ stands for the smallest integer bigger or equal than $a$. In this notation, the bootstrap $p$-value associated with the null hypothesis $H_{L}$ is given by:

$$
\begin{equation*}
p_{N, L}\left(\hat{F}_{N, L}\right)=\inf _{\alpha \in[0,1]}\left\{c_{N, L}\left(\alpha, \hat{F}_{N, L}\right) \leq \hat{T}_{L, N}^{h}\right\}=1-\frac{\hat{r}_{L}}{|\mathbf{H}|} \tag{16}
\end{equation*}
$$

where

$$
\hat{r}_{L}=1+\sum_{h \in \mathbf{H}} I\left\{\hat{T}_{L, N}^{h}<\hat{T}_{L, N}\right\} .
$$

We use these parameters to perform the stepdown procedure in the same fashion discussed in Supplemental Appendix H. Romano and Wolf (23) also suggest the following ( $1-\alpha$ )-level bootstrap confidence region:

$$
\begin{equation*}
\left(\hat{\Delta}_{L, N}-\tau_{N}^{-1} \hat{T}_{L, N}^{([(1-\alpha) \mathbf{H}])}, \hat{\Delta}_{L, N}-\tau_{N}^{-1} \hat{T}_{L, N}^{(\lceil(\alpha) \mathbf{H}\rceil)}\right) . \tag{17}
\end{equation*}
$$

We present the inference from the bootstrap procedure in Tables S21—S24 for males (S21 and S22) and females (S23 and S24). We compare the analyses of treatment effects obtained from the bootstrap and the permutation methods in Tables S25—S26. Bootstrap confidence intervals are
also presented in the same tables. $p$-values are corrected for attrition and imbalance of pre-program variables in both methods. $p$-values from multiple hypothesis testing are also displayed for each of methods.

Each of Tables S25-S26 consists of 13 columns. Column 1 names the variable of interest. Column 2 shows if the variable was reversed or not. By "reversed", we mean that the value from raw variable is multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome. Column 3 indicates the age of the participant when the data was collected. Column 4 and Column 5 displays the sample sizes for the control and the treatment groups. Column 6 and Column 7 displays the control group mean and the difference in means. Column 8 and Column 9 are the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level. Column 10 presents the one-sided single hypothesis block permutation where p-values are corrected for attrition bias via the method of Inverse Probability Weighting (IPW). Column 11 presents its corresponding multiple hypothesis testing (step-down) $p$-values. Column 12 and Column 13 present the $p$-values obtained from the bootstrap inference method corresponding to Column 10 and Column 11, respectively. Table S25 is for males and Table S26 is for females.

As shown in those tables, the inferences from the bootstrap are essentially the same as that from the permutation approach. And, the bootstrap confidence intervals are in agreement with this finding. Based on these findings, we conclude that although the bootstrap and the permutation approaches are based on different statistical ideas, they produce the same inference in the case of the health effects of ABC intervention.

Table S21(a): Unconditional Bootstrap Inference for the Abecedarian Intervention, Main Health Results, Biomedical Sweep (Males)


Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. This table examines selected outcomes for males. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . Col.3: unconditional outcome control mean; Col.4: unconditional treatment effect, i.e. the outcome difference in means between treatment and control groups; Col. 7 and Col. 8 present the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the $t$-statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.13: one-sided single hypothesis bootstrap $\quad p$-value; Col.14: stepdown one-sided multiple-hypothesis bootstrap $\quad p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S21(b): Unconditional Bootstrap Inference for the Abecedarian Intervention, Main Health Results, Biomedical Sweep (Males)

|  |  |  | Treatment Effect Estimates |  |  | Treat. Effect (t-statistics) |  |  | Max. of Treat. Eff. t-statistics |  |  | Bootstrap Inference |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Ctr. | Treat. | Conf. Inter. |  | test | Conf. Inter. |  | Max | Conf. Inter. |  | $P$-values |  |
| Variable | Rev. | Mean | Effect | Low | High | t-stat. | Low | High | t-stat. | Low | High | Single | S.D. |
| Obesity |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Overweight at age 35 | Yes | -0.750 | 0.028 | -0.222 | 0.285 | 0.142 | -1.140 | 1.454 | 0.142 | -1.141 | 1.454 | 0.424 | 0.424 |
| $(\mathrm{BMI} \geq 25)$ <br> Obese at age 35 | Yes | -0.625 | 0.069 | -0.206 | 0.349 | 0.318 | -0.949 | 1.633 | 0.318 | -1.235 | 1.282 | 0.368 | 0.481 |
| $\begin{array}{r} (\text { BMI } \geq 30) \\ \text { Severely Obese at } \\ \text { age } 35(\mathrm{BMI} \geq 35) \end{array}$ | Yes | -0.375 | 0.264 | 0.000 | 0.526 | 1.592 | 0.049 | 3.452 | 1.592 | -0.368 | 2.240 | 0.093 | 0.160 |
| Waist-Hip Ratio at age 35 | Yes | -0.962 | 0.025 | -0.017 | 0.067 | 0.784 | -0.524 | 2.387 | 0.784 | -0.524 | 2.387 | 0.227 | 0.227 |
| Abdominal Obesity at age 35 | Yes | -0.875 | 0.228 | 0.000 | 0.438 | 1.169 | 0.000 | 2.340 | 1.169 | -0.305 | 2.069 | 0.098 | 0.163 |
| Multiple Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Hypertension and Obesity (age 35) | Yes | -0.500 | 0.389 | 0.123 | 0.655 | 2.307 | 0.712 | 4.451 | 2.307 | 0.706 | 3.198 | 0.032 | 0.032 |
| Hypertension and | Yes | -0.375 | 0.375 | 0.143 | 0.600 | 3.157 | 1.857 | 5.226 | 3.157 | 1.400 | 3.728 | 0.001 | 0.007 |
| Severe Obesity (age |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Hypertension and | Yes | -0.333 | 0.333 | 0.125 | 0.545 | 2.887 | 1.724 | 4.559 | 2.887 | 1.215 | 3.566 | 0.000 | 0.013 |
| Dyslipidemia (age 35) Metabolic Syndrome at age 35 (NCEP) | Yes | -0.250 | 0.250 | 0.000 | 0.500 | 2.283 | 1.447 | 3.843 | 2.283 | 1.447 | 3.843 | 0.001 | 0.001 |
| Framingham Probability | Yes | -7.043 | 2.154 | 0.276 | 4.033 | 1.671 | 0.198 | 3.717 | 1.671 | 0.197 | 3.717 | 0.071 | 0.071 |

Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. This table examines selected outcomes for males. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . Col.3: unconditional outcome control mean; Col.4: unconditional treatment effect, i.e. the outcome difference in means between treatment and control groups; Col. 7 and Col. 8 present the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the t-statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.13: one-sided single hypothesis bootstrap $\quad p$-value; Col.14: stepdown one-sided multiple-hypothesis bootstrap $\quad p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S21(c): Unconditional Bootstrap Inference for the Abecedarian Intervention
(Males)


| Health Care Coverage at age 30 |  | - | - | - | - | - | - | - | - | - | - | - | S. |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Health Insurance | No | 0.476 | 0.228 | 0.048 | 0.407 | 1.609 | 0.328 | 3.051 | 1.609 | 0.328 | 3.051 | 0.056 | 0.056 |
| Coverage at age 30 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Buys Health | No | 0.333 | 0.296 | 0.119 | 0.474 | 2.086 | 0.809 | 3.591 | 2.086 | 0.581 | 3.187 | 0.018 | 0.033 |
| Insurance (age 30) Hospital or doctor office care when sick | No | 0.524 | 0.291 | 0.122 | 0.466 | 2.223 | 0.915 | 3.847 | 2.223 | 0.485 | 2.864 | 0.014 | 0.034 |
| Smoking |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Never a regular smoker by age 35 | No | 0.391 | -0.070 | -0.249 | 0.108 | -0.511 | -1.894 | $0.807$ | -0.511 | -1.894 | 0.807 | 0.691 | 0.691 |
| Age Subject Began | No | 16.893 | 2.829 | 1.235 | 4.467 | 2.171 | 0.992 | 3.491 | 2.171 | 0.272 | 2.386 | 0.014 | 0.056 |
| Smoking Regularly <br> (Never=.) |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Cigarettes per Day in <br> Past 30 Days at 21 and 30 | Yes | -11.167 | 2.482 | -1.542 | 6.800 | 0.798 | -0.551 | 2.163 | 0.798 | -0.939 | 1.377 | 0.219 | 0.379 |


| Alcohol Use | Yes |  |  |  |  |  | -0.769 | 1.807 | 0.487 | -1.436 | 0.612 | 0.318 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Did you begin |  | -0.609 | 0.070 | -0.109 | 0.252 | 0.487 |  |  |  |  |  |  | 0.690 |
| drinking before 17 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Do you drink and drive? | Yes | -0.391 | -0.147 | -0.338 | 0.042 | -1.020 | -2.464 | 0.293 | -1.020 | -2.464 | 0.293 | 0.844 | 0.844 |
| Age Subject Began | No | 17.045 | -1.135 | -2.626 | 0.302 | -0.989 | -2.202 | 0.292 | -0.989 | -2.681 | -0.394 | 0.840 | 0.965 |
| Drinking (Never=.) |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Days Subject Drank | Yes | -9.348 | -2.634 | -7.008 | 1.348 | -0.770 | -1.958 | 0.442 | -0.770 | -2.558 | -0.406 | 0.798 | 0.963 |
| in Past 30 Days at 21 $-30$ |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Days Subject Drank | Yes | -2.457 | -0.972 | -2.828 | 0.820 | -0.657 | -1.870 | 0.629 | -0.657 | -2.508 | -0.401 | 0.755 | 0.964 |
| $\begin{array}{r} 5+\text { Drinks in Past } 30 \\ \text { Days at } 21-30 \end{array}$ |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Marijuana Use |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Never Used Marijuana by age 30 | No | 0.130 | -0.023 | -0.142 | 0.093 | -0.252 | -1.571 | 1.046 | -0.252 | -1.571 | 1.046 | 0.607 | 0.607 |
| Age of Onset of | No | 15.475 | 2.025 | 0.837 | 3.262 | 2.133 | 0.907 | 3.495 | 2.133 | 0.351 | 2.460 | 0.013 | 0.048 |
| Times Subject Used Marijuana Past 30 Days (21-30 years old) | Yes | -49.565 | 1.030 | -14.539 | 16.917 | 0.083 | -1.190 | 1.390 | 0.083 | -1.547 | 0.821 | 0.467 | 0.657 |

Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. This table examines selected outcomes for males. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . Col.3: unconditional outcome control mean; Col.4: unconditional treatment effect, i.e. the outcome difference in means between treatment and control groups; Col. 7 and Col. 8 present the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the $t$-statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.13: one-sided single hypothesis bootstrap $\quad p$-value; Col.14: stepdown one-sided multiple-hypothesis bootstrap $\quad p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S21(d): Unconditional Bootstrap Inference for the Abecedarian Intervention
(Males)

|  <br>  <br> Variable | Rev. |  | Treatment Effect Estimates |  |  | Treat. Effect (t-statistics) |  |  | Max. of Treat. Eff. t-statistics |  |  | Bootstrap Inference $P$-values |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Ctr. | Treat. | Conf. Inter. |  | test | Conf. Inter. |  | Max | Conf. Inter. |  |  |  |
|  |  | Mean | Effect | Low | High | t-stat. | Low | High | t-stat. | Low | High | Single | S.D. |
| Physical Activity and Diet |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Exercise 4 or more <br> Days per Week (age <br> $21)$ <br> No. of Fruit Servings <br> per Day (age 21) | No | $\begin{aligned} & 0.391 \\ & 0.826 \end{aligned}$ | $\begin{aligned} & -0.084 \\ & 0.020 \end{aligned}$ | $\begin{aligned} & \hline-0.259 \\ & -0.312 \end{aligned}$ | $\begin{aligned} & 0.101 \\ & 0.369 \end{aligned}$ | -0.603 0.075 | $\begin{aligned} & \hline-1.924 \\ & -1.191 \end{aligned}$ | 0.737 1.418 | -0.603 0.075 | -1.925 -1.583 | 0.737 0.723 | 0.718 0.462 | 0.718 0.675 |
| Physical Develop |  |  |  |  |  |  |  |  |  |  |  |  |  |
| At Risk Overweight (CDC) at 3 mo | Yes | -0.227 | 0.190 | 0.063 | 0.316 | 2.067 | 0.814 | 3.297 | 2.067 | 0.068 | 2.173 | 0.022 | 0.087 |
| At Risk Overweight (CDC) at 6 mo . | Yes | -0.250 | 0.170 | 0.033 | 0.316 | 1.572 | 0.304 | 2.899 | 1.572 | -0.359 | 1.748 | 0.056 | 0.193 |
| At Risk Overweight (CDC) at 9 mo . | Yes | -0.412 | 0.412 | 0.263 | 0.565 | 3.244 | 2.205 | 4.538 | 3.244 | 1.164 | 3.128 | 0.000 | 0.004 |
| At Risk Overweight (CDC) at 12 mo . | Yes | -0.429 | 0.429 | 0.292 | 0.571 | 4.405 | 3.206 | 5.914 | 4.405 | 2.254 | 4.110 | 0.000 | 0.000 |
| At Risk Overweight (CDC) at 18 mo . | Yes | -0.389 | 0.389 | 0.235 | 0.533 | 3.974 | 2.742 | 5.422 | 3.974 | 1.836 | 3.719 | 0.000 | 0.001 |
| At Risk Overweight (CDC) at 24 mo . | Yes | -0.333 | 0.333 | 0.171 | 0.500 | 3.586 | 2.310 | 5.036 | 3.586 | 1.478 | 3.365 | 0.000 | 0.002 |
| At Risk Overweight (CDC) at 36 mo . | Yes | -0.158 | 0.078 | -0.050 | 0.209 | 0.794 | -0.597 | 2.116 | 0.794 | -0.597 | 2.116 | 0.218 | 0.218 |
| At Risk Overweight (CDC) at 48 mo . | Yes | -0.300 | 0.133 | -0.034 | 0.298 | 1.040 | -0.276 | 2.425 | 1.040 | -0.606 | 1.882 | 0.150 | 0.246 |
| At Risk Overweight (CDC) at 60 mo . | Yes | -0.300 | 0.175 | 0.011 | 0.333 | 1.434 | 0.093 | 2.845 | 1.434 | -0.365 | 2.010 | 0.084 | 0.194 |
| At Risk Overweight (CDC) at 96 mo . | Yes | -0.421 | 0.301 | 0.132 | 0.471 | 2.377 | 1.040 | 3.989 | 2.377 | 0.298 | 2.377 | 0.010 | 0.053 |
| Weight-for-Length Change (CDC) at 24 | Yes | -0.858 | 0.963 | 0.210 | 1.717 | 1.609 | 0.364 | 2.909 | 1.609 | 0.364 | 2.909 | 0.051 | 0.051 |
| Weight-for-Length Change (WHO) at 24 m. | Yes | -1.265 | 1.100 | 0.275 | 1.912 | 1.714 | 0.442 | 3.044 | 1.714 | 0.365 | 2.936 | 0.041 | 0.049 |

Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. This table examines selected outcomes for males. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . Col.3: unconditional outcome control mean; Col.4: unconditional treatment effect, i.e. the outcome difference in means between treatment and control groups; Col. 7 and Col. 8 present the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the t-statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.13: one-sided single hypothesis bootstrap $p$-value; Col.14: stepdown one-sided multiple-hypothesis bootstrap $p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

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Table S22(a): Conditional IPW Bootstrap Inference for the Abecedarian Intervention (Males)


Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. This table examines selected outcomes for males. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . The estimates of the remaining columns are based on a weighted linear regression the uses inverse probability of attrition as weighting. Covariates of the linear regression are the treatment effect indicator in addition to:(1) number of siblings, (2) high risk index birth, (3) mother wais full scale iq score, (4) Other special circumstances? (yes $=1$, no $=0$ ). The selection of covariates for IPW is age and gender specific. We select the most predictive model examining all combinations of covariates that present statistically significance imbalance between attrited and non-attrited groups. Models selection in based of the Akaike information criterion. Variables selected for males at 35 years old are: (1) Mother wais digit symbol, (2) Gestational age indicatoe (less than 37 weeks), (3) Substance abuse score at age 30, (4) Rule breaking score at age 30. Col.3: conditional outcome control mean; Col.4: conditional treatment effect; Col. 7 and Col. 8 present the bootstrap confidence interval of the conditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the t-statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.14: one-sided single hypothesis bootstrap $p$-value; Col.15: stepdown one-sided multiple-hypothesis bootstrap $p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

## Table S22(b): Conditional IPW Bootstrap Inference for the Abecedarian Intervention (Males)

| Variable | Rev. | $\begin{gathered} \text { Ctr. } \\ \hline \text { Mean } \end{gathered}$ | Treatment Effect Estimates |  |  | Treat. Effect (t-statistics) |  |  | Max. of Treat. Eff. t-statistics |  |  | Bootstrap <br> Inference <br> $P$-values |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Treat. | Conf. Inter. |  | $\begin{gathered} \text { test } \\ \hline \text { t-stat. } \\ \hline \end{gathered}$ | Conf. Inter. |  | $\frac{\text { Max }}{\text { t-stat. }}$ | Conf. Inter. |  |  |  |
|  |  |  | Effect | Low | High |  | Low | High |  | Low | High | Single | S.D. |
| Obesity |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Overweight at age 35 | $\begin{aligned} & \text { Yes } \\ & \text { Yes } \\ & \text { Yes } \end{aligned}$ | $-0.924$ | 0.151 | -0.110 | 0.348 | 0.895 | -0.627 | 2.209 | 0.895 | -0.627 | 2.210 | 0.226 | 0.226 |
| $(\mathrm{BMI} \geq 25)$ <br> Obese at age 35 |  | 1.303 | 0.210 | -0.112 | 0.462 | 1.017 | -0.498 | 2.357 | 1.017 | -0.776 | 1.990 | 0.197 | 0.269 |
| $\begin{array}{r} (\mathrm{BMI} \geq 30) \\ \text { Severely Obese at } \\ \text { age } 35 \text { (BMI } \geq 35) \\ \hline \end{array}$ |  | 0.553 | 0.352 | -0.026 | 0.597 | 1.957 | -0.137 | 4.746 | 1.957 | -0.388 | 2.628 | 0.114 | 0.159 |
| Waist-Hip Ratio at age 35 | $\begin{aligned} & \text { Yes } \\ & \text { Yes } \end{aligned}$ | $\begin{aligned} & -1.060 \\ & -2.784 \end{aligned}$ | 0.038 <br> 0.297 | $\begin{aligned} & \hline-0.029 \\ & 0.040 \end{aligned}$ | $\begin{aligned} & 0.089 \\ & 0.540 \end{aligned}$ | $\begin{aligned} & 1.070 \\ & 1.624 \end{aligned}$ | $\begin{aligned} & \hline-0.767 \\ & 0.206 \end{aligned}$ | $\begin{aligned} & \hline 2.893 \\ & 2.958 \end{aligned}$ | $\begin{aligned} & 1.070 \\ & 1.624 \end{aligned}$ | $\begin{aligned} & \hline-0.767 \\ & -0.398 \end{aligned}$ | $\begin{aligned} & 2.893 \\ & 2.654 \end{aligned}$ | $\begin{aligned} & 0.217 \\ & \mathbf{0 . 0 7 6} \end{aligned}$ | $\begin{aligned} & 0.217 \\ & 0.154 \end{aligned}$ |
| Abdominal Obesity at age 35 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Multiple Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Hypertension and | $\begin{aligned} & \text { Yes } \\ & \text { Yes } \end{aligned}$ | $\begin{aligned} & 1.320 \\ & 0.002 \end{aligned}$ | $\begin{aligned} & 0.501 \\ & 0.484 \end{aligned}$ | $\begin{aligned} & 0.247 \\ & 0.229 \end{aligned}$ | $\begin{aligned} & 0.702 \\ & 0.688 \end{aligned}$ | $3.371$ <br> 4.270 | $\begin{aligned} & 1.474 \\ & 2.352 \end{aligned}$ | $\begin{aligned} & \hline 5.443 \\ & 6.963 \end{aligned}$ | 3.371 <br> 4.270 | $\begin{aligned} & 1.135 \\ & 1.752 \end{aligned}$ | 4.298 <br> 4.985 | $\begin{aligned} & 0.010 \\ & 0.001 \end{aligned}$ | $\begin{aligned} & 0.013 \\ & 0.003 \end{aligned}$ |
| Obesity (age 35) Hypertension and |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Severe Obesity (age 35) |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Hypertension and | Yes | -0.475 | 0.409 | 0.144 | 0.608 | 3.742 | 1.932 | 5.940 | 3.742 | 1.342 | 4.540 | 0.000 | 0.006 |
| Dyslipidemia (age 35) Metabolic Syndrome at age 35 (NCEP) | Yes | -0.677 | 0.406 | 0.000 | 0.606 | 3.370 | 1.720 | 5.592 | 3.370 | 1.720 | 5.592 | 0.004 | 0.004 |
| Framingham Probability | Yes | -10.062 | 3.080 | $0.605$ | $4.883$ | $2.424$ | $0.448$ | 4.632 | 2.424 | 0.448 | 4.632 | 0.055 | 0.055 |

Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. This table examines selected outcomes for males. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . The estimates of the remaining columns are based on a weighted linear regression the uses inverse probability of attrition as weighting. Covariates of the linear regression are the treatment effect indicator in addition to:(1) number of siblings, (2) high risk index birth, (3) mother wais full scale iq score, (4) Other special circumstances? (yes $=1$, no $=0$ ). The selection of covariates for IPW is age and gender specific. We select the most predictive model examining all combinations of covariates that present statistically significance imbalance between attrited and non-attrited groups. Models selection in based of the Akaike information criterion. Variables selected for males at 35 years old are: (1) Mother wais digit symbol, (2) Gestational age indicatoe (less than 37 weeks), (3) Substance abuse score at age 30, (4) Rule breaking score at age 30. Col.3: conditional outcome control mean; Col.4: conditional treatment effect; Col. 7 and Col. 8 present the bootstrap confidence interval of the conditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the t-statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.14: one-sided single hypothesis bootstrap $p$-value; Col.15: stepdown one-sided multiple-hypothesis bootstrap $p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

## Table S22(c): Conditional IPW Bootstrap Inference for the Abecedarian Intervention (Males)



Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. This table examines selected outcomes for males. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . The estimates of the remaining columns are based on a weighted linear regression the uses inverse probability of attrition as weighting. Covariates of the linear regression are the treatment effect indicator in addition to:(1) number of siblings, (2) high risk index birth, (3) mother wais full scale iq score, (4) Other special circumstances? (yes $=1$, no $=0$ ). The selection of covariates for IPW is age and gender specific. We select the most predictive model examining all combinations of covariates that present statistically significance imbalance between attrited and non-attrited groups. Models selection in based of the Akaike information criterion. Variables selected for males at 30 years old are: (1) Siblings IQ is below 85 ? (yes = 1, no $=0$ ), (2) Mother wais full scale iq score, (3) Subject is a firstborn, (4) Father last grade completed. Col.3: conditional outcome control mean; Col.4: conditional treatment effect; Col. 7 and Col. 8 present the bootstrap confidence interval of the conditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the $t$-statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.14: one-sided single hypothesis bootstrap $p$-value; Col.15: stepdown one-sided multiple-hypothesis bootstrap $p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S22(d): Conditional IPW Bootstrap Inference for the Abecedarian
Intervention (Males) Intervention (Males)


Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. This table examines selected outcomes for males. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . The estimates of the remaining columns are based on a weighted linear regression the uses inverse probability of attrition as weighting. Covariates of the linear regression are the treatment effect indicator in addition to:(1) number of siblings, (2) high risk index birth, (3) mother wais full scale iq score, (4) Other special circumstances? (yes $=1$, no $=0$ ). The selection of covariates for IPW is age and gender specific. We select the most predictive model examining all combinations of covariates that present statistically significance imbalance between attrited and non-attrited groups. Models selection in based of the Akaike information criterion. Variables selected for males at 2 years old are: (1) Father Absent (yes $=1$, no $=0$ ), ( 2 ) Other special circumstances? (yes $=1$, no $=0$ ), ( 3 ) Gestational age indicatoe (less than 37 weeks), (4) Siblings IQ is below 85 ? (yes $=1$, no $=0$ ). Col.3: conditional outcome control mean; Col.4: conditional treatment effect; Col. 7 and Col. 8 present the bootstrap confidence interval of the conditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the t-statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.14: one-sided single hypothesis bootstrap $p$-value; Col.15: stepdown one-sided multiple-hypothesis bootstrap $p$ -value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S23(a): Unconditional Bootstrap Inference for the Abecedarian Intervention (Females)


Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. We examine selected outcomes for females. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . Col.3: unconditional outcome control mean; Col.4: unconditional treatment effect, i.e. the outcome difference in means between treatment and control groups; Col. 7 and Col. 8 present the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the t-statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.13: one-sided single hypothesis bootstrap $\quad p$-value; Col.14: stepdown one-sided multiple-hypothesis bootstrap $\quad p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S23(b): Unconditional Bootstrap Inference for the Abecedarian Intervention (Females)


Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. We examine selected outcomes for females. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . Col.3: unconditional outcome control mean; Col.4: unconditional treatment effect, i.e. the outcome difference in means between treatment and control groups; Col. 7 and Col. 8 present the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the t-statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.13: one-sided single hypothesis bootstrap $p$-value; Col.14: stepdown one-sided multiple-hypothesis bootstrap $\quad p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S23(c): Unconditional Bootstrap Inference for the Abecedarian Intervention
(Females)


Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. We examine selected outcomes for females. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . Col.3: unconditional outcome control mean; Col.4: unconditional treatment effect, i.e. the outcome difference in means between treatment and control groups; Col. 7 and Col. 8 present the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the $t$-statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.13: one-sided single hypothesis bootstrap $\quad p$-value; Col.14: stepdown one-sided multiple-hypothesis bootstrap $\quad p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S23(d): Unconditional Bootstrap Inference for the Abecedarian Intervention (Females)

| Variable | Rev. | $\begin{gathered} \hline \text { Ctr. } \\ \hline \text { Mean } \\ \hline \end{gathered}$ | Treatment Effect Estimates |  |  | Treat. Effect (t-statistics) |  |  | Max. of Treat. Eff. t-statistics |  |  | Bootstrap Inference $P$-values |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Treat. | Conf. Inter. |  | test | Conf. Inter. |  | Max | Conf. Inter. |  |  |  |
|  |  |  | Effect | Low | High | t-stat. | Low | High | t-stat. | Low | High | Single | S.D. |
| Physical Activity and Diet |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Exercise 4 or more | No | 0.071 | 0.249 | 0.113 | 0.384 | 2.388 | 1.146 | 3.735 | 2.388 | 1.146 | 3.735 | 0.010 | 0.010 |
| Days per Week (age 21 ) No. of Fruit Servings per Day (age 21) | No | $0.286$ | 0.514 | 0.250 | 0.771 | 2.632 | 1.282 | 4.152 | 2.632 | 0.973 | 3.169 | 0.004 | 0.009 |
| Physical Develop. |  |  |  |  |  |  |  |  |  |  |  |  |  |
| At Risk Overweight (CDC) | Yes <br> Yes | -0.192 | 0.002 | -0.155 | 0.155 | 0.016 | -1.312 | 1.357 | 0.016 | -1.981 -0.313 | 0.388 | 0.490 | 0.794 |
| at 3 mo. At Risk Overweight (CDC) |  | -0.423 | 0.256 | 0.085 | 0.412 | 2.017 | 0.649 | 3.407 | 2.017 | -0.313 | 1.805 | 0.025 | 0.170 |
| at 6 mo . <br> At Risk | Yes | -0.360 | 0.217 | 0.039 | 0.388 | 1.447 | 0.257 | 2.711 | 1.447 | -0.763 | 1.432 | 0.065 | 0.320 |
| $\begin{array}{r} \text { Overweight (CDC) } \\ \text { at } 9 \mathrm{mo} \\ \text { At Risk } \end{array}$ |  | -0.478 | 0.270 | 0.093 | 0.444 | 1.993 | 0.667 | 3.514 | 1.993 | -0.298 | 1.875 | 0.027 | 0.165 |
| Overweight (CDC) | Yes |  |  |  |  |  |  |  |  |  |  |  |  |
| at 12 mo . <br> At Risk | Yes | -0.440 | 0.122 | -0.067 | 0.306 | 0.845 | -0.455 | 2.189 | 0.845 | -1.226 | 1.101 | 0.199 | 0.501 |
| Overweight (CDC) <br> at 18 mo |  |  |  |  |  |  |  |  |  |  |  |  |  |
| At Risk | Yes | -0.412 | 0.238 | 0.050 | 0.423 | 1.683 | 0.342 | 3.213 | 1.683 | -0.577 | 1.608 | 0.054 | 0.249 |
| Overweight (CDC) <br> at 24 mo |  |  |  |  |  |  |  |  |  |  |  |  |  |
| At Risk | Yes | -0.261 | 0.118 | -0.042 | 0.275 | 0.957 | -0.340 | 2.290 | 0.957 | -1.201 | 1.111 | 0.171 | 0.492 |
| Overweight (CDC) |  |  |  |  |  |  |  |  |  |  |  |  |  |
| at 36 mo . At Risk | Yes | -0.192 | -0.217 | -0.391 | -0.049 | -1.659 | -3.168 | -0.364 | -1.659 | -3.168 | -0.364 | 0.952 | 0.952 |
| Overweight (CDC) |  |  |  |  |  |  |  |  |  |  |  |  |  |
| At Risk | Yes | -0.261 | -0.012 | -0.185 | 0.153 | -0.088 | $-1.407$ | 1.147 | -0.088 | -1.931 | 0.623 | 0.542 | 0.725 |
| Overweight (CDC) |  |  |  |  |  |  |  |  |  |  |  |  |  |
| At Risk <br> Overweight (CDC) <br> at 96 mo . | Yes | -0.174 | -0.176 | -0.349 | -0.004 | -1.316 | -2.733 | -0.029 | -1.316 | -3.088 | -0.400 | 0.905 | 0.954 |
| Weight-for-Length Change (CDC) at | Yes <br> Yes | -0.857 | -0.062 | -0.751 | 0.626 | -0.112 | -1.450 | 1.146 | -0.112 | -1.527 | 1.049 | 0.562 | 0.593 |
| $\begin{array}{r} 24 \mathrm{mo} \\ \text { Weight-for-Length } \\ \text { Change (WHO) at } \\ 24 \mathrm{~m} . \end{array}$ |  | -1.129 | -0.085 | -0.811 | 0.617 | -0.150 | -1.492 | 1.081 | -0.150 | -1.492 | 1.081 | 0.573 | 0.573 |

Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. We examine selected outcomes for females. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . Col.3: unconditional outcome control mean; Col.4: unconditional treatment effect, i.e. the outcome difference in means between treatment and control groups; Col. 7 and Col. 8 present the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the t-statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the unconditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.13: one-sided single hypothesis bootstrap $\quad p$-value; Col.14: stepdown one-sided multiple-hypothesis bootstrap $\quad p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

## Table S24(a): Conditional IPW Bootstrap Inference for the Abecedarian Intervention (Females)



Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. We examine selected outcomes for females. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . The estimates of the remaining columns are based on a weighted linear regression the uses inverse probability of attrition as weighting. Covariates of the linear regression are the treatment effect indicator in addition to:(1) number of siblings, (2) high risk index birth, (3) mother wais full scale iq score, (4) Other special circumstances? (yes $=1$, no $=0$ ). The selection of covariates for IPW is age and gender specific. We select the most predictive model examining all combinations of covariates that present statistically significance imbalance between attrited and non-attrited groups. Models selection in based of the Akaike information criterion. Variables selected for females at 35 years old are: (1) Mother wais digit symbol, (2) Gestational age indicatoe (less than 37 weeks), (3) Substance abuse score at age 30, (4) Rule breaking score at age 30. Col.3: conditional outcome control mean; Col.4: conditional treatment effect; Col. 7 and Col. 8 present the bootstrap confidence interval of the conditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the $t$-statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.14: one-sided single hypothesis bootstrap $p$-value; Col.15: stepdown one-sided multiple-hypothesis bootstrap $p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

## Table S24(b): Conditional IPW Bootstrap Inference for the Abecedarian Daycare Intervention (Females)

| Variable Rev. |  | $\begin{gathered} \text { Ctr. } \\ \hline \text { Mean } \end{gathered}$ | Treatment Effect Estimates  <br> Treat. Conf. Inter. |  |  | Treat. Effect (t-statistics) |  |  | Max. of Treat. Eff. t-statistics |  |  | Bootstrap Inference $P$-values |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\frac{\text { Max }}{\text { t-stat. }}$ |  |  |  | Conf. Inter. |  |  |
|  |  | Effect | Low | High | t-stat. |  |  |  | Low | High | Low | High | Single | S.D. |
| Obesity |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Overweight at age 35 | Yes | -0.287 | 0.039 | -0.064 | 0.141 | 0.460 | -0.855 | 1.689 | 0.460 | -1.251 | 1.230 | 0.310 | 0.469 |
| (BMI $\geq 25$ ) <br> Obese at age 35 | Yes | -0.849 | -0.120 | -0.319 | 0.107 | -0.794 | -2.234 | 0.706 | -0.794 | -2.234 | 0.706 | 0.749 | 0.749 |
| $(\mathrm{BMI} \geq 30)$ <br> Severely Obese at $\text { age } 35 \text { (BMI } \geq 35 \text { ) }$ | Yes | -1.207 | 0.155 | -0.095 | 0.375 | 0.905 | -0.563 | 2.337 | 0.905 | -1.054 | 1.336 | 0.217 | 0.417 |
| Waist-Hip Ratio at age 35 | Yes | -1.105 | 0.048 | -0.000 | 0.093 | 1.363 | -0.002 | 3.025 | 1.363 | -0.327 | 2.348 | 0.101 | 0.160 |
| Abdominal Obesity at age 35 | Yes | -2.484 | 0.178 | -0.020 | 0.390 | 1.190 | -0.132 | 2.723 | 1.190 | -0.132 | 2.723 | 0.124 | 0.124 |



Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. We examine selected outcomes for females. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . The estimates of the remaining columns are based on a weighted linear regression the uses inverse probability of attrition as weighting. Covariates of the linear regression are the treatment effect indicator in addition to:(1) number of siblings, (2) high risk index birth, (3) mother wais full scale iq score, (4) Other special circumstances? (yes $=1$, no $=0$ ). The selection of covariates for IPW is age and gender specific. We select the most predictive model examining all combinations of covariates that present statistically significance imbalance between attrited and non-attrited groups. Models selection in based of the Akaike information criterion. Variables selected for females at 35 years old are: (1) Mother wais digit symbol, (2) Gestational age indicatoe (less than 37 weeks), (3) Substance abuse score at age 30, (4) Rule breaking score at age 30. Col.3: conditional outcome control mean; Col.4: conditional treatment effect; Col. 7 and Col. 8 present the bootstrap confidence interval of the conditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the t-statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.14: one-sided single hypothesis bootstrap $p$-value; Col.15: stepdown one-sided multiple-hypothesis bootstrap $p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S24(c): Conditional IPW Bootstrap Inference for the Abecedarian Daycare Intervention (Females)


Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. We examine selected outcomes for females. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . The estimates of the remaining columns are based on a weighted linear regression the uses inverse probability of attrition as weighting. Covariates of the linear regression are the treatment effect indicator in addition to:(1) number of siblings, (2) high risk index birth, (3) mother wais full scale iq score, (4) Other special circumstances? (yes $=1$, no $=0$ ). The selection of covariates for IPW is age and gender specific. We select the most predictive model examining all combinations of covariates that present statistically significance imbalance between attrited and non-attrited groups. Models selection in based of the Akaike information criterion. Variables selected for females at 30 years old are: (1) Siblings IQ is below 85 ? (yes = 1, no = 0), (2) Mother wais full scale iq score, (3) Subject is a firstborn, (4) Father last grade completed. Col.3: conditional outcome control mean; Col.4: conditional treatment effect; Col. 7 and Col. 8 present the bootstrap confidence interval of the conditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the t-statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.14: one-sided single hypothesis bootstrap $p$-value; Col.15: stepdown one-sided multiple-hypothesis bootstrap $p$-value. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

Table S24(d): Conditional IPW Bootstrap Inference for the Abecedarian Daycare Intervention (Females)


Notes: This table presente the Abecedarian Treatment Effects estimates of the Day-care treatment center. We examine selected outcomes for females. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable were reversed or not. By reversed we mean multiplied by -1 . The estimates of the remaining columns are based on a weighted linear regression the uses inverse probability of attrition as weighting. Covariates of the linear regression are the treatment effect indicator in addition to:(1) number of siblings, (2) high risk index birth, (3) mother wais full scale iq score, (4) Other special circumstances? (yes = 1 , no $=0$ ). The selection of covariates for IPW is age and gender specific. We select the most predictive model examining all combinations of covariates that present statistically significance imbalance between attrited and non-attrited groups. Models selection in based of the Akaike information criterion. Variables selected for females at 2 years old are: (1) Father Absent (yes = 1, no = 0), (2) Other special circumstances? (yes =1, no = 0), (3) Gestational age indicatoe (less than 37 weeks), (4) Siblings IQ is below 85 ? $($ yes $=1$, no $=0)$. Col.3: conditional outcome control mean; Col.4: conditional treatment effect; Col. 7 and Col. 8 present the bootstrap confidence interval of the conditional treatment effect estimate for $80 \%$ confidence level; Col. 9 and Col. 10 and Col. 11 present the $t$-statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region; Col. 12 and Col. 13 and Col. 14 present the stepdown test statistic associated with the conditional treatment effect estimate and the associated bootstrap confidence region adjusted for multiple hypothesis; Col.14: one-sided single hypothesis. The multiple hypothesis testing is applied to blocks of outcomes. Blocks of variables that are tested jointly using the stepdown algorithm are delineated by horizontal lines.

## Table S25(a): Comparison of Bootstrap and Permutation Inferences for the Abecedarian Daycare Intervention (Males)

| Variable | Rev. | Age | Sample Sizes |  | Cont. Mean | Diff. in Means | BootstrapConfidence Interval(at 80\%) |  | Conditional <br> Permutation Inference |  | Conditional Bootstrap Inference |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $\begin{gathered} \# \\ \text { Cont. } \end{gathered}$ | $\begin{gathered} \# \\ \text { Treat. } \end{gathered}$ |  |  | Low | High | Single $p$-value | Step-Down $p$-value | Single p-value | Step-Down $p$-value |
| Blood Pressure |  |  |  |  |  |  |  |  |  |  |  |  |
| Diastolic Blood Pressure (mmHg) | Yes | 35 | 9 | 19 | -92,000 | 13,474 | 3.946 | 23.561 | 0.024 | 0.024 | 0.030 | 0.030 |
| Systolic Blood Pressure (mmHg) | Yes | 35 | 9 | 19 | $\begin{gathered} \hline-143,33 \\ 3 \\ \hline \end{gathered}$ | 17,544 | 4.200 | 31.847 | 0.018 | 0.029 | 0.038 | 0.050 |
| Pre-Hypertension (systolic bp $\geq 120$ \& diastolic $\mathrm{bp} \geq 80$ ) | Yes | 35 | 9 | 19 | -0.667 | 0.246 | -0.013 | 0.504 | 0.119 | 0.172 | 0.096 | 0.159 |
| Pre-Hypertension (systolic bp $\geq 120$ or diastolic bp $\geq 80$ | Yes | 35 | 9 | 19 | -0.778 | 0.094 | -0.143 | 0.320 | 0.235 | 0.235 | 0.254 | 0.254 |
| Hypertension (systolic bp $\geq 140$ \& diastolic $\mathrm{bp} \geq 90$ ) | Yes | 35 | 9 | 19 | -0.444 | 0.339 | 0.097 | 0.580 | 0.010 | 0.018 | 0.021 | 0.022 |
| Hypertension (systolic bp $\geq 140$ or diastolic $\mathrm{bp} \geq 90$ | Yes | 35 | 9 | 19 | -0.556 | 0.345 | 0.083 | 0.590 | 0.038 | 0.038 | 0.039 | 0.039 |
| Lab Tests |  |  |  |  |  |  |  |  |  |  |  |  |
| High-Density Lipoprotein (HDL) Cholesterol (mg/dL) | No | 35 | 12 | 19 | 42,000 | 11,211 | 5.698 | 16.733 | 0.066 | 0.110 | 0.004 | 0.025 |
| Dyslipidemia (HDL < $40 \mathrm{mg} / \mathrm{dL}$ for males, $\mathrm{HDL}<50 \mathrm{mg} / \mathrm{dL}$ for females) | Yes | 35 | 12 | 19 | -0.417 | 0.311 | 0.098 | 0.533 | 0.179 | 0.179 | 0.111 | 0.111 |
| Pre-Diabetes ( $\mathrm{HbA1C} \geq 5.7 \%$ ) | Yes | 35 | 12 | 19 | -0.583 | 0.110 | -0.142 | 0.353 | 0.426 | 0.426 | 0.370 | 0.370 |
| Vitamin D Deficiency (<20 ng/mL) | Yes | 35 | 12 | 19 | -0.750 | 0.382 | 0.166 | 0.592 | 0.021 | 0.021 | 0.017 | 0.017 |
| Obesity |  |  |  |  |  |  |  |  |  |  |  |  |
| Overweight ( $\mathrm{BMI} \geq 25$ ) | Yes | 35 | 8 | 18 | -0.750 | 0.028 | -0.222 | 0.285 | 0.239 | 0.239 | 0.226 | 0.226 |
| Obese ( $\mathrm{BMI} \geq 30$ ) | Yes | 35 | 8 | 18 | -0.625 | 0.069 | -0.206 | 0.349 | 0.233 | 0.345 | 0.197 | 0.269 |
| Severely Obese (BMI $\geq 35$ ) | Yes | 35 | 8 | 18 | -0.375 | 0.264 | 0.000 | 0.526 | 0.115 | 0.232 | 0.114 | 0.159 |
| Waist-Hip Ratio (WHR) | Yes | 35 | 8 | 17 | -0.962 | 0.025 | -0.017 | 0.067 | 0.293 | 0.293 | 0.217 | 0.217 |
| Abdominal Obesity (WHR > 0.9 for males, WHR $>0.85$ for females) | Yes | 35 | 8 | 17 | -0.875 | 0.228 | -0.017 | 0.067 | 0.137 | 0.218 | 0.076 | 0.154 |
| Multiple Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |
| Obesity \& Hypertension | Yes | 35 | 8 | 18 | -0.500 | 0.389 | 0.000 | 0.438 | 0.016 | 0.016 | 0.010 | 0.013 |
| Severe Obesity \& Hypertension | Yes | 35 | 8 | 18 | -0.375 | 0.375 | 0.123 | 0.655 | 0.005 | 0.012 | 0.001 | 0.003 |
| Hypertension \& Dyslipidemia | Yes | 35 | 9 | 18 | -0.333 | 0.333 | 0.143 | 0.600 | 0.006 | 0.012 | 0.000 | 0.006 |
| Metabolic Syndrome (NCEP Definition) | Yes | 35 | 8 | 17 | -0.250 | 0.250 | 0.123 | 0.655 | 0.007 | 0.014 | 0.004 | 0.004 |
| Framingham Risk Score (35) | Yes | 35 | 9 | 18 | -7,043 | 2,154 | 0.143 | 0.600 | 0.038 | 0.038 | 0.055 | 0.055 |

Notes: This table shows the full results of the small-sample inference for Abecedarian Treatment Effects of Day-care treatment using the permutation and bootstrap inference methods. This table examines selected outcomes. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable was reversed or not. By "reversed", we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4: control sample size; Col.5: treatment sample size; Col.6: control arithmetic mean; Col.7: unconditional difference in means across treatment and control groups; Col. 8 and Col.9: the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col.10: presents the one-sided single hypothesis block permutation -value associated with the IPW treatment effect estimate Col.11: presents the the multiple hypothesis testing (step-down) -values associated with the IPW inference; Col. 12 and Col. 13 : the p-values obtained from the bootstrap inference method corresponding to Col. 10 and Col.11, respectively.

## Table S25(b): Comparison of Bootstrap and Permutation Inferences for the Abecedarian Daycare Intervention (Males, cont'd)

| Variable | Rev. | Age | Sample Sizes |  | Cont. Mean | Diff. in Means | BootstrapConfidenceInterval (at 80\%) |  | Conditional <br> Permutation Inference |  | Conditional Bootstrap Inference |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $\begin{gathered} \# \\ \text { Cont. } \end{gathered}$ | $\begin{gathered} \# \\ \text { Treat } \end{gathered}$ |  |  | Low | High | Single $p$-value | Step-Down p-value | Single <br> $p$-value | Step-Down p-value |
| Health Care |  |  |  |  |  |  |  |  |  |  |  |  |
| Health Insurance Coverage at age 30 | No | 30 | 21 | 27 | 0.476 | 0.228 | 0.048 | 0.407 | 0.039 | 0.039 | 0.021 | 0.033 |
| Buys Health Insurance at age 30 | No | 30 | 21 | 27 | 0.333 | 0.296 | 0.119 | 0.474 | 0.035 | 0.080 | 0.028 | 0.028 |
| Hospital or Doctor Office Care When Sick at age 30 | No | 30 | 21 | 27 | 0.524 | 0.291 | 0.122 | 0.466 | 0.037 | 0.068 | 0.033 | 0.052 |
| Behavioral Risk Factors: Smoking |  |  |  |  |  |  |  |  |  |  |  |  |
| Never a Regular Smoker by age 30 | No | 21-30 | 23 | 28 | 0.391 | -0.034 | -0.249 | 0.108 | 0.571 | 0.571 | 0.685 | 0.685 |
| Age of Onset of Regular Smoking | No | 21-30 | 14 | 18 | 16,893 | 2,829 | 1.235 | 4.467 | 0.051 | 0.143 | 0.027 | 0.103 |
| Cigarettes Smoked per Day Past 30 Days at ages 21\&30 | Yes | 21-30 | 12 | 19 | -11,167 | 2,482 | -1.542 | 6.800 | 0.199 | 0.344 | 0.154 | 0.237 |
| Behavioral Risk Factors: Alcohol Use |  |  |  |  |  |  |  |  |  |  |  |  |
| Early Onset Drinker (before age 17) | Yes | 21 | 23 | 26 | -0.609 | 0.070 | -0.109 | 0.252 | 0.336 | 0.762 | 0.296 | 0.622 |
| Drank Driving | Yes | 21 | 23 | 26 | -0.391 | -0.147 | -0.338 | 0.042 | 0.663 | 0.877 | 0.728 | 0.921 |
| Age of Onset of Alcohol Use | No | 21-30 | 22 | 28 | 17,045 | -1,135 | -2.626 | 0.302 | 0.840 | 0.840 | 0.889 | 0.889 |
| Days At Least 1 Drink Past 30 Days at ages 21\&30 | Yes | 21-30 | 23 | 28 | -9,348 | -2,634 | -7.008 | 1.348 | 0.498 | 0.860 | 0.634 | 0.919 |
| Days 5+ Drinks Past 30 Days at ages $21 \& 30$ | Yes | 21-30 | 23 | 28 | -2,457 | -0.972 | -2.828 | 0.820 | 0.585 | 0.900 | 0.678 | 0.925 |
| Behavioral Risk Factors: MarijuanaUse |  |  |  |  |  |  |  |  |  |  |  |  |
| Never Used Marijuana by age 30 | No | 21-30 | 23 | 28 | 0.130 | -0.023 | -0.142 | 0.093 | 0.476 | 0.476 | 0.556 | 0.556 |
| Age of Onset of Marijuana Use | No | 21-30 | 20 | 25 | 15,475 | 2,025 | 0.837 | 3.262 | 0.052 | 0.136 | 0.039 | 0.096 |
| Times Used Marijuana Past 30 Days at ages 21\&30 | Yes | 21-30 | 23 | 28 | -49,565 | 1,030 | -14.539 | 16.917 | 0.357 | 0.527 | 0.366 | 0.537 |
| Behavioral Risk Factors: Physical Activity and Diet |  |  |  |  |  |  |  |  |  |  |  |  |
| Exercise 4 or more Days per Week at age <br> 21 | No | 21 | 23 | 26 | 0.391 | -0.084 | -0.259 | 0.101 | 0.858 | 0.858 | 0.744 | 0.744 |
| No. of Fruit Servings per Day at age 21 | No | 21 | 23 | 26 | 0.826 | 0.020 | -0.312 | 0.369 | 0.524 | 0.745 | 0.496 | 0.693 |
| Physical Development |  |  |  |  |  |  |  |  |  |  |  |  |
| At Risk Overweight (CDC) at 3 months | Yes | 0 | 22 | 27 | -0.227 | 0.190 | 0.063 | 0.316 | 0.026 | 0.121 | 0.019 | 0.072 |
| At Risk Overweight (CDC) at 6 months | Yes | 1 | 20 | 25 | -0.250 | 0.170 | 0.033 | 0.316 | 0.074 | 0.182 | 0.018 | 0.075 |
| At Risk Overweight (CDC) at 9 months | Yes | 1 | 17 | 16 | -0.412 | 0.412 | 0.263 | 0.565 | 0.004 | 0.023 | 0.000 | 0.006 |
| At Risk Overweight (CDC) at 12 months | Yes | 1 | 21 | 27 | -0.429 | 0.429 | 0.292 | 0.571 | 0.001 | 0.009 | 0.000 | 0.001 |
| At Risk Overweight (CDC) at 18 months | Yes | 2 | 18 | 26 | -0.389 | 0.389 | 0.235 | 0.533 | 0.000 | 0.004 | 0.000 | 0.004 |
| Overweight (CDC) at 24 months | Yes | 2 | 15 | 27 | -0.333 | 0.333 | 0.171 | 0.500 | 0.001 | 0.011 | 0.000 | 0.006 |
| Overweight (CDC) at 36 months | Yes | 3 | 19 | 25 | -0.158 | 0.078 | -0.050 | 0.209 | 0.194 | 0.194 | 0.248 | 0.330 |
| Overweight (CDC) at 48 months | Yes | 4 | 20 | 24 | -0.300 | 0.133 | -0.034 | 0.298 | 0.150 | 0.235 | 0.203 | 0.203 |
| Overweight (CDC) at 60 months | Yes | 5 | 20 | 24 | -0.300 | 0.175 | 0.011 | 0.333 | 0.058 | 0.179 | 0.080 | 0.209 |
| Overweight (CDC) at 96 months | Yes | 8 | 19 | 25 | -0.421 | 0.301 | 0.132 | 0.471 | 0.030 | 0.117 | 0.014 | 0.071 |
| Weight-for-Length Change 0-24 months (CDC) | Yes | 2 | 15 | 24 | -0.858 | 0.963 | 0.210 | 1.717 | 0.058 | 0.058 | 0.075 | 0.075 |
| Weight-for-Length Change 0-24 months (WHO) | Yes | 2 | 15 | 24 | -1,265 | 1,100 | 0.000 | 2.000 | 0.049 | 0.057 | 0.054 | 0.063 |

Notes: This table shows the full results of the small-sample inference for Abecedarian Treatment Effects of Day-care treatment using the permutation and bootstrap inference methods. This table examines selected outcomes. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable was reversed or not. By "reversed", we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4: control sample size; Col.5: treatment sample size; Col.6: control arithmetic mean; Col.7: unconditional difference in means across treatment and control groups; Col. 8 and Col.9: the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col.10: presents the one-sided single hypothesis block permutation -value associated with the IPW treatment effect estimate Col.11: presents the the multiple hypothesis testing (step-down) -values associated with the IPW inference; Col. 12 and Col. 13 : the p-values obtained from the bootstrap inference method corresponding to Col. 10 and Col.11, respectively

## Table S26(a): Comparison of Bootstrap and Permutation Inferences for the Abecedarian Daycare Intervention (Females)

| Variable | Rev. | Age | Sample Sizes |  | Cont. <br> Mean | Diff. in Means | BootstrapConfidence Interval(at 80\%) |  | Conditional <br> Permutation Inference |  | Conditional Bootstrap Inference |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $\begin{gathered} \# \\ \text { Cont. } \end{gathered}$ | $\begin{gathered} \# \\ \text { Treat. } \end{gathered}$ |  |  | Low | High | $\underset{p-\text {-value }}{\text { Single }}$ | Step-Dow n $p$-value | $\begin{gathered} \text { Single } \\ p \text {-value } \end{gathered}$ | Step-Dow n $p$-value |
| Blood Pressure |  |  |  |  |  |  |  |  |  |  |  |  |
| Diastolic Blood Pressure (mmHg) | Yes | 35 | 22 | 18 | -89,227 | 3,894 | -2.820 | 10.683 | 0.446 | 0.446 | 0.436 | 0.436 |
| Systolic Blood Pressure (mmHg) | Yes | 35 | 22 | 18 | $\begin{gathered} -135,63 \\ 6 \\ \hline \end{gathered}$ | 5,970 | -1.922 | 14.103 | 0.300 | 0.380 | 0.418 | 0.490 |
| Pre-Hypertension (systolic bp $\geq 120$ \& diastolic bp $\geq 80$ ) | Yes | 35 | 22 | 18 | -0.727 | 0.227 | 0.033 | 0.428 | 0.222 | 0.222 | 0.416 | 0.416 |
| Pre-Hypertension (systolic bp $\geq 120$ or diastolic bp $\geq 80$ | Yes | 35 | 22 | 18 | -0.909 | 0.242 | 0.077 | 0.410 | 0.042 | 0.069 | 0.114 | 0.157 |
| Hypertension (systolic bp $\geq 140$ \& diastolic bp $\geq 90$ ) | Yes | 35 | 22 | 18 | -0.318 | 0.096 | -0.083 | 0.275 | 0.375 | 0.499 | 0.526 | 0.625 |
| Hypertension (systolic bp $\geq 140$ or diastolic bp $\geq 90$ | Yes | 35 | 22 | 18 | -0.409 | -0.091 | -0.289 | 0.121 | 0.721 | 0.721 | 0.829 | 0.829 |
| Lab Tests |  |  |  |  |  |  |  |  |  |  |  |  |
| $\begin{gathered} \text { High-Density Lipoprotein (HDL) } \\ \text { Cholesterol (mg/dL) } \\ \hline \end{gathered}$ | No | 35 | 22 | 18 | 55,318 | 5,126 | -0.745 | 11.008 | 0.143 | 0.143 | 0.097 | 0.162 |
| Dyslipidemia (HDL $<40 \mathrm{mg} / \mathrm{dL}$ for males, $\mathrm{HDL}<50 \mathrm{mg} / \mathrm{dL}$ for females) | Yes | 35 | 22 | 18 | -0.455 | 0.177 | -0.020 | 0.368 | 0.099 | 0.147 | 0.154 | 0.154 |
| Pre-Diabetes ( $\mathrm{HbA1C} \geq 5.7 \%$ ) | Yes | 35 | 22 | 17 | -0.364 | 0.011 | -0.193 | 0.209 | 0.580 | 0.580 | 0.399 | 0.399 |
| Vitamin D Deficiency (<20 ng/mL) | Yes | 35 | 22 | 18 | -0.727 | 0.005 | -0.178 | 0.195 | 0.303 | 0.303 | 0.388 | 0.388 |
| Obesity |  |  |  |  |  |  |  |  |  |  |  |  |
| Overweight (BMI $\geq 25$ ) | Yes | 35 | 22 | 18 | -0.955 | 0.066 | -0.043 | 0.176 | 0.482 | 0.690 | 0.310 | 0.469 |
| Obese ( $\mathrm{BMI} \geq 30$ ) | Yes | 35 | 22 | 18 | -0.727 | 0.061 | -0.131 | 0.250 | 0.790 | 0.790 | 0.749 | 0.749 |
| Severely Obese (BMI $\geq 35$ ) | Yes | 35 | 22 | 18 | -0.364 | 0.141 | -0.040 | 0.324 | 0.354 | 0.653 | 0.217 | 0.417 |
| Waist-Hip Ratio (WHR) | Yes | 35 | 21 | 16 | -0.933 | 0.057 | 0.012 | 0.100 | 0.063 | 0.101 | 0.101 | 0.160 |
| Abdominal Obesity (WHR > 0.9 for males, WHR $>0.85$ for females) | Yes | 35 | 21 | 16 | -0.762 | 0.199 | 0.000 | 0.401 | 0.080 | 0.080 | 0.124 | 0.124 |
| Multiple Risk Factors |  |  |  |  |  |  |  |  |  |  |  |  |
| Obesity \& Hypertension | Yes | 35 | 35 | 22 | 18 | -0.364 | 0.086 | -0.105 | 0.275 | 0.501 | 0.641 | 0.580 |
| Severe Obesity \& Hypertension | Yes | 35 | 35 | 22 | 18 | -0.136 | -0.030 | -0.179 | 0.118 | 0.696 | 0.696 | 0.632 |
| Hypertension \& Dyslipidemia | Yes | 35 | 35 | 22 | 18 | -0.182 | 0.015 | -0.142 | 0.168 | 0.486 | 0.725 | 0.592 |
| Metabolic Syndrome (NCEP Definition) | Yes | 35 | 35 | 21 | 16 | -0.190 | 0.128 | -0.003 | 0.261 | 0.184 | 0.393 | 0.310 |
| Framingham Risk Score (35) | Yes | 35 | 35 | 22 | 18 | -1,482 | 0.339 | -0.015 | 0.684 | 0.070 | 0.070 | 0.190 |

Notes: This table shows the full results of the small-sample inference for Abecedarian Treatment Effects of Day-care treatment using the permutation and bootstrap inference methods. This table examines selected outcomes. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable was reversed or not. By "reversed", we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4: control sample size; Col.5: treatment sample size; Col.6: control arithmetic mean; Col.7: unconditional difference in means across treatment and control groups; Col. 8 and Col.9: the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col.10: presents the one-sided single hypothesis block permutation -value associated with the IPW treatment effect estimate Col.11: presents the the multiple hypothesis testing (step-down) -values associated with the IPW inference; Col. 12 and Col. 13 : the p-values obtained from the bootstrap inference method corresponding to Col. 10 and Col.11, respectively.

## Table S26(b): Comparison of Bootstrap and Permutation Inferences for the Abecedarian Daycare Intervention (Females, cont’d)

| Variable | Rev. | Age | Sample Sizes |  | Cont. Mean | Diff. in Means | BootstrapConfidenceInterval (at 80\%) |  | Conditional Permutation Inference |  | Conditional Bootstrap Inference |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $\begin{gathered} \# \\ \text { Cont. } \end{gathered}$ | $\begin{gathered} \# \\ \text { Treat } \end{gathered}$ |  |  | Low | High | Single $p$-value | Step-Dow n $p$-value | Single $p$-value | Step-Dow n $p$-value |
| Health Care |  |  |  |  |  |  |  |  |  |  |  |  |
| Health Insurance Coverage at age 30 | No | 30 | 28 | 25 | 0.857 | -0.097 | -0.237 | 0.043 | 0.943 | 0.943 | 0.811 | 0.910 |
| Buys Health Insurance at age 30 | No | 30 | 28 | 25 | 0.357 | 0.043 | -0.128 | 0.218 | 0.511 | 0.810 | 0.519 | 0.790 |
| Hospital or Doctor Office Care When Sick at age 30 | No | 30 | 28 | 25 | 0.929 | -0.129 | -0.253 | -0.009 | 0.875 | 0.964 | 0.900 | 0.900 |
| Behavioral Risk Factors: Smoking |  |  |  |  |  |  |  |  |  |  |  |  |
| Never a Regular Smoker by age 30 | No | 21-30 | 28 | 25 | 0.357 | 0.243 | 0.034 | 0.377 | 0.071 | 0.195 | 0.131 | 0.332 |
| Age of Onset of Regular Smoking | No | 21-30 | 18 | 10 | 17,861 | -0.811 | -2.200 | 0.509 | 0.848 | 0.848 | 0.857 | 0.857 |
| Cigarettes Smoked per Day Past 30 Days at ages $21 \& 30$ | Yes | 21-30 | 17 | 10 | -10,294 | -0.156 | -3.980 | 3.490 | 0.567 | 0.807 | 0.380 | 0.656 |
| Behavioral Risk Factors: Alcohol Use |  |  |  |  |  |  |  |  |  |  |  |  |
| Early Onset Drinker (before age 17) | Yes | 21 | 28 | 25 | -0.571 | 0.291 | 0.121 | 0.465 | 0.011 | 0.046 | 0.026 | 0.097 |
| Drank Driving | Yes | 21 | 27 | 25 | -0.222 | 0.102 | -0.031 | 0.235 | 0.172 | 0.358 | 0.303 | 0.535 |
| Age of Onset of Alcohol Use | No | 21-30 | 27 | 22 | 16,685 | 1,042 | -0.097 | 2.173 | 0.099 | 0.292 | 0.216 | 0.516 |
| Days At Least 1 Drink Past 30 Days at ages 21\&30 | Yes | 21-30 | 28 | 25 | -8,732 | 2,772 | -0.704 | 6.352 | 0.211 | 0.292 | 0.335 | 0.441 |
| Days 5+ Drinks Past 30 Days at ages 21\&30 | Yes | 21-30 | 28 | 25 | -2,321 | 1,061 | -0.414 | 2.549 | 0.366 | 0.366 | 0.454 | 0.454 |
| Behavioral Risk Factors: MarijuanaUse |  |  |  |  |  |  |  |  |  |  |  |  |
| Never Used Marijuana by age 30 | No | 21-30 | 28 | 25 | 0.250 | 0.150 | -0.015 | 0.314 | 0.169 | 0.402 | 0.192 | 0.460 |
| Age of Onset of Marijuana Use | No | 21-30 | 21 | 15 | 17,190 | 0.676 | -0.494 | 1.775 | 0.274 | 0.471 | 0.273 | 0.421 |
| Times Used Marijuana Past 30 Days at ages 21\&30 | Yes | 21-30 | 28 | 25 | -19,982 | -1,598 | -15.318 | 12.145 | 0.417 | 0.417 | 0.512 | 0.512 |
| Behavioral Risk Factors: Physical Activity and Diet |  |  |  |  |  |  |  |  |  |  |  |  |
| Exercise 4 or more Days per Week at age 21 | No | 21 | 28 | 25 | 0.071 | 0.249 | 0.113 | 0.384 | 0.004 | 0.008 | 0.007 | 0.023 |
| No. of Fruit Servings per Day at age 21 | No | 21 | 28 | 25 | 0.286 | 0.514 | 0.250 | 0.771 | 0.005 | 0.005 | 0.017 | 0.017 |
| Physical Development |  |  |  |  |  |  |  |  |  |  |  |  |
| At Risk Overweight (CDC) at 3 months | Yes | 0 | 26 | 21 | -0.192 | 0.002 | -0.155 | 0.155 | 0.418 | 0.757 | 0.636 | 0.887 |
| At Risk Overweight (CDC) at 6 months | Yes | 1 | 26 | 24 | -0.423 | 0.256 | 0.085 | 0.412 | 0.040 | 0.237 | 0.041 | 0.240 |
| At Risk Overweight (CDC) at 9 months | Yes | 1 | 25 | 14 | -0.360 | 0.217 | 0.039 | 0.388 | 0.169 | 0.548 | 0.070 | 0.375 |
| At Risk Overweight (CDC) at 12 months | Yes | 1 | 23 | 24 | -0.478 | 0.270 | 0.093 | 0.444 | 0.055 | 0.276 | 0.183 | 0.590 |
| At Risk Overweight (CDC) at 18 months | Yes | 2 | 25 | 22 | -0.440 | 0.122 | -0.067 | 0.306 | 0.311 | 0.669 | 0.343 | 0.785 |
| Overweight (CDC) at 24 months | Yes | 2 | 17 | 23 | -0.412 | 0.238 | 0.050 | 0.423 | 0.143 | 0.517 | 0.080 | 0.385 |
| Overweight (CDC) at 36 months | Yes | 3 | 23 | 21 | -0.261 | 0.118 | -0.042 | 0.275 | 0.202 | 0.556 | 0.394 | 0.819 |
| Overweight (CDC) at 48 months | Yes | 4 | 26 | 22 | -0.192 | -0.217 | -0.391 | -0.049 | 0.944 | 0.944 | 0.922 | 0.962 |
| Overweight (CDC) at 60 months | Yes | 5 | 23 | 22 | -0.261 | -0.012 | -0.185 | 0.153 | 0.554 | 0.781 | 0.450 | 0.823 |
| Overweight (CDC) at 96 months | Yes | 8 | 23 | 20 | -0.174 | -0.176 | -0.349 | -0.004 | 0.943 | 0.985 | 0.939 | 0.939 |
| Weight-for-Length Change 0-24 months (CDC) | Yes | 2 | 15 | 21 | -0.857 | -0.062 | -0.751 | 0.626 | 0.658 | 0.688 | 0.639 | 0.639 |
| Weight-for-Length Change 0-24 months (WHO) | Yes | 2 | 15 | 21 | -1,129 | -0.085 | -0.811 | 0.617 | 0.660 | 0.660 | 0.636 | 0.661 |

Notes: This table shows the full results of the small-sample inference for Abecedarian Treatment Effects of Day-care treatment using the permutation and bootstrap inference methods. This table examines selected outcomes. We list here the information of each column. Col.1: variable of interest; Col.2: shows if the variable was reversed or not. By "reversed", we mean multiplied by -1 in order to scale the effect so that a higher score is associated with a favorable outcome; Col.3: age of the participant when the data was collected; Col.4: control sample size; Col.5: treatment sample size; Col.6: control arithmetic mean; Col.7: unconditional difference in means across treatment and control groups; Col. 8 and Col.9: the bootstrap confidence interval of the unconditional treatment effect estimate for $80 \%$ confidence level; Col.10: presents the one-sided single hypothesis block permutation -value associated with the IPW treatment effect estimate Col.11: presents the the multiple hypothesis testing (step-down) -values associated with the IPW inference; Col. 12 and Col. 13 : the p-values obtained from the bootstrap inference method corresponding to Col. 10 and Col.11, respectively.

## References

1. A. Alwan, T. Armstrong, D. Bettcher, F. Branca, D. Chisholm, M. Ezzati, R. Garfield, D. MacLean, C. Mathers, S. Mendis, V. Poznyak, L. Riley, K. C. Tang, C. Wild, Global Status Report On Noncommunicable Diseases 2010: Description of the Global Burden of NCDs, Their Risk Factors and Determinants. (World Health Organization, Geneva, Switzerland, 2011).
2. E. Emanuel, Prevention and cost control. Science 337, 1433-1433 (2012). doi:10.1126/science. 1229493 Medline
3. D. M. Cutler, N. R. Sahni, If slow rate of health care spending growth persists, projections may be off by $\$ 770$ billion. Health Aff. 32, 841-850 (2013). doi:10.1377/hlthaff.2012.0289 Medline
4. J. R. Antos, M. V. Pauly, G. R. Wilensky, Bending the cost curve through market-based incentives. N. Engl. J. Med. 367, 954-958 (2012). doi:10.1056/NEJMsb1207996 Medline
5. P. B. Ginsburg, H. Ichiseki, N. Punwani, Bending the health care cost curve. N. Engl. J. Med. 367, 2454-2456 (2012). doi:10.1056/NEJMc1212355 Medline
6. A. Danese, C. M. Pariante, A. Caspi, A. Taylor, R. Poulton, Childhood maltreatment predicts adult inflammation in a life-course study. Proc. Natl. Acad. Sci. U.S.A. 104, 1319-1324 (2007). doi:10.1073/pnas. 0610362104 Medline
7. B. Galobardes, J. W. Lynch, G. D. Smith, Is the association between childhood socioeconomic circumstances and cause-specific mortality established? Update of a systematic review. J. Epidemiol. Community Health 62, 387-390 (2008). doi:10.1136/jech.2007.065508 Medline
8. C. Hertzman, The biological embedding of early experience and its effects on health in adulthood. Ann. N. Y. Acad. Sci. 896, 85-95 (1999). doi:10.1111/j.17496632.1999.tb08107.x Medline
9. S. Entringer, C. Buss, P. D. Wadhwa, Prenatal stress, telomere biology, and fetal programming of health and disease risk. Sci. Signal. 5, pt12 (2012). doi:10.1126/scisignal. 2003580 Medline
10. J. J. Heckman, Schools, skills, and synapses. Econ. Inq. 46, 289-324 (2008). doi:10.1111/j.1465-7295.2008.00163.x Medline
11. P. Hines, M. McCartney, J. Mervis, B. Wible, Laying the foundation for lifetime learning. Science 333, 951 (2011). doi:10.1126/science.333.6045.951 Medline
12. M. Nores, W. S. Barnett, Benefits of early childhood interventions across the world: (Under)Investing in the very young. Econ. Educ. Rev. 29, 271-282 (2010). doi:10.1016/j.econedurev.2009.09.001
13. K. D’Onise, J. W. Lynch, M. G. Sawyer, R. A. McDermott, Can preschool improve child health outcomes? A systematic review. Soc. Sci. Med. 70, 1423-1440 (2010). doi:10.1016/j.socscimed.2009.12.037 Medline
14. J. Sparling, I. Lewis, LearningGames for the First Three Years: A Guide to Parent/Child Play (Berkley Books, New York, NY, 1979).
15. J. Sparling, I. Lewis, LearningGames for Threes and Fours (Walker and Company, New York, NY, 1984).
16. F. A. Campbell, C. T. Ramey, Effects of early intervention on intellectual and academic achievement: A follow-up study of children from low-income families. Child Dev. 65, 684-698 (1994). doi:10.2307/1131410 Medline
17. F. A. Campbell, C. T. Ramey, Cognitive and school outcomes for high-risk AfricanAmerican students at middle adolescence: Positive effects of early intervention. Am. Educ. Res. J. 32, 743-772 (1995). doi:10.3102/00028312032004743
18. F. A. Campbell, B. H. Wasik, E. Pungello, M. Burchinal, O. Barbarin, K. Kainz, J. J. Sparling, C. T. Ramey, Young adult outcomes of the Abecedarian and CARE early childhood educational interventions. Early Child. Res. Q. 23, 452-466 (2008). doi:10.1016/j.ecresq.2008.03.003
19. A. J. Reynolds, J. A. Temple, S. R. Ou, I. A. Arteaga, B. A. White, School-based early childhood education and age-28 well-being: Effects by timing, dosage, and subgroups. Science 333, 360-364 (2011). doi:10.1126/science. 1203618 Medline
20. K. Davis, K. K. Christoffel, Obesity in preschool and school-age children: Treatment early and often may be best. Arch. Pediatr. Adolesc. Med. 148, 1257-1261 (1994). doi:10.1001/archpedi.1994.02170120019003 Medline
21. M. A. T. Flynn, D. A. McNeil, B. Maloff, D. Mutasingwa, M. Wu, C. Ford, S. C. Tough, Reducing obesity and related chronic disease risk in children and youth: a synthesis of evidence with 'best practice' recommendations. Obes. Rev. 7, (Suppl 1), 7-66 (2006). doi:10.1111/j.1467-789X.2006.00242.x Medline
22. E. Waters, A. de Silva-Sanigorski, B. J. Hall, T. Brown, K. J. Campbell, Y. Gao, R. Armstrong, L. Prosser, C. D. Summerbell, Interventions for preventing obesity in children. Cochrane Database Syst. Rev. 12, CD001871 (2011) Review. Medline
23. J. P. Romano, M. Wolf, Exact and approximate stepdown methods for multiple hypothesis testing. J. Am. Stat. Assoc. 100, 94-108 (2005). doi:10.1198/016214504000000539
24. J. Johnston, J. E. DiNardo, Econometric Methods. (McGraw-Hill, New York, NY, ed. 4, 1997).
25. D. G. Horvitz, D. J. Thompson, A generalization of sampling without replacement from a finite universe. J. Am. Stat. Assoc. 47, 663-685 (1952). doi:10.1080/01621459.1952.10483446
26. A. V. Chobanian, G. L. Bakris, H. R. Black, W. C. Cushman, L. A. Green, J. L. Izzo, Jr., D. W. Jones, B. J. Materson, S. Oparil, J. T. Wright, Jr., E. J. RoccellaJoint National Committee on Prevention, Detection, Evaluation, and Treatment of High Blood Pressure. National Heart, Lung, and Blood InstituteNational High Blood Pressure Education Program Coordinating Committee, Seventh report of the joint national committee on prevention, detection, evaluation, and treatment of high blood pressure. Hypertension 42, 1206-1252 (2003). doi:10.1161/01.HYP.0000107251.49515.c2 Medline
27. K. Strong, R. Bonita, Surveillance of Risk Factors Related To Noncommunicable Diseases: Current Status of Global Data (World Health Organization, Geneva, 2003).
28. Treated males also report a lower bp in the age 30 interview ( 0.190 versus 0.408 ) and in the history section of the mid-30s medical visit ( 0.158 versus 0.444 ); in neither of these cases are the differences statistically significant, although the rates are remarkably similar to those obtained for hypertension in the physical exam.
29. National Cholesterol Education Program (NCEP) Expert Panel on Detection, Evaluation, and Treatment of High Blood Cholesterol in Adults (Adult Treatment Panel III), Third Report of the National Cholesterol Education Program (NCEP) Expert Panel on Detection, Evaluation, and Treatment of High Blood Cholesterol in Adults (Adult Treatment Panel III) final report. Circulation 106, 3143-3421 (2002). Medline
30. American Diabetes Association, Standards of medical care in diabetes-2013. Diabetes Care 36, (Suppl 1), S11-S66 (2013). Medline
31. M. F. Holick, T. C. Chen, Vitamin D deficiency: A worldwide problem with health consequences. Am. J. Clin. Nutr. 87, 1080S-1086S (2008). Medline
32. WHO Consultation, Definition, Diagnosis and Classification of Diabetes Mellitus and its Complications (World Health Organization, Geneva, 1999).
33. S. M. Grundy, J. I. Cleeman, S. R. Daniels, K. A. Donato, R. H. Eckel, B. A. Franklin, D. J. Gordon, R. M. Krauss, P. J. Savage, S. C. Smith, Jr., J. A. Spertus, F. Costa, American Heart Association, National Heart, Lung, and Blood Institute, Diagnosis and management of the metabolic syndrome. Circulation 112, 2735-2752 (2005). doi:10.1161/CIRCULATIONAHA.105.169404 Medline
34. P. W. F. Wilson, R. B. D’Agostino, D. Levy, A. M. Belanger, H. Silbershatz, W. B. Kannel, Prediction of coronary heart disease using risk factor categories. Circulation 97, 18371847 (1998). doi:10.1161/01.CIR.97.18.1837 Medline
35. J. Cawley, The Economics of Obesity (Oxford University Press, Oxford, 2011).
36. J. Tsevat, M. C. Weinstein, L. W. Williams, A. N. Tosteson, L. Goldman, Expected gains in life expectancy from various coronary heart disease risk factor modifications. Circulation 83, 1194-1201 (1991). doi:10.1161/01.CIR.83.4.1194 Medline
37. A. Peeters, J. J. Barendregt, F. Willekens, J. P. Mackenbach, A. Al Mamun, L. Bonneux; NEDCOM, the Netherlands Epidemiology and Demography Compression of Morbidity Research Group, Obesity in adulthood and its consequences for life expectancy: A lifetable analysis. Ann. Intern. Med. 138, 24-32 (2003). doi:10.7326/0003-4819-138-1-200301070-00008 Medline
38. J. M. Fletcher, M. R. Richards, Diabetes's 'health shock' to schooling and earnings: increased dropout rates and lower wages and employment in young adults. Health Aff. 31, 27-34 (2012). doi:10.1377/hlthaff.2011.0862 Medline
39. T. Minor, An investigation into the effect of type I and type II diabetes duration on employment and wages. Econ. Hum. Biol. 11, 534-544 (2013). doi:10.1016/j.ehb.2013.04.004 Medline
40. K. J. Hunt, R. G. Resendez, K. Williams, S. M. Haffner, M. P. Stern; San Antonio Heart Study, National Cholesterol Education Program versus World Health Organization metabolic syndrome in relation to all-cause and cardiovascular mortality in the San Antonio Heart Study. Circulation 110, 1251-1257 (2004). doi:10.1161/01.CIR.0000140762.04598.F9 Medline
41. H. Levy, D. Meltzer, in Health Policy and the Uninsured, C. G. MacLaughlin, Ed. (Urban Institute Press, Washington, DC, 2004), pp. 179-204.
42. T. J. Cole, The LMS method for constructing normalized growth standards. Eur. J. Clin. Nutr. 44, 45-60 (1990). Medline
43. T. J. Cole, P. J. Green, Smoothing reference centile curves: The LMS method and penalized likelihood. Stat. Med. 11, 1305-1319 (1992). doi:10.1002/sim. 4780111005 Medline
44. The LMS method is an age- and gender-dependent transformation that translates BMI measures into $z$ scores. The transformation is applied to two widely used populationbased reference data: (i) the 2000 CDC standards; and (ii) the 2006 WHO child growth standards scale. The LMS method transforms the information on the median (M), coefficient of variation (S), and skewness (L) of the BMI distribution of these populationbased reference data into a Box-Cox power function. This information is then used to transform BMI measures into $z$ scores.
45. S. E. Barlow; Expert Committee, Expert committee recommendations regarding the prevention, assessment, and treatment of child and adolescent overweight and obesity: summary report. Pediatrics 120, (Suppl. 4), S164-S192 (2007). doi:10.1542/peds.20072329C Medline
46. E. M. Taveras, S. L. Rifas-Shiman, M. B. Belfort, K. P. Kleinman, E. Oken, M. W. Gillman, Weight status in the first 6 months of life and obesity at 3 years of age. Pediatrics 123, 1177-1183 (2009). doi:10.1542/peds.2008-1149 Medline
47. D. E. Frisvold, J. C. Lumeng, Expanding exposure: Can increasing the daily duration of Head Start reduce childhood obesity? J. Hum. Resour. 46, 373-402 (2011). doi:10.1353/jhr.2011.0026
48. P. Carneiro, R. Ginja, Long Term Impacts of Compensatory Preschool on Health and Behavior: Evidence from Head Start (Institute for the Study of Labor, Bonn, 2012).
49. A reduction in BMI can be caused by either better nutrition and/or more physical exercise. Physical environment is certainly important: the Frank Porter Graham (FPG) Child Development Institute included a large open space, and outside play was a part of the daily routine (11:30 am and 3:00 pm); however, this is likely to have played an important role only after the toddlers had started walking. Of course, better nutrition does not necessarily come only in the daycare center: The treated children could have enjoyed more nutritious food at home as well, both because their preferences for food might have been affected and because their parents were counseled by the pediatricians on site during the physical exams. Finally, (47) provides evidence-based on the What We Eat in America 2003-2004, combined with the National Health and Nutrition Examination Survey (NHANES) 2003-2004-that Head Start participants consume similar level of calories as non-Head Start participants during evenings and weekends but fewer calories in the morning and in the afternoon during the week.
50. J. J. Heckman, R. Pinto, P. A. Savelyev, Understanding the mechanisms through which an influential early childhood program boosted adult outcomes. Am. Econ. Rev. 103, 20522086 (2013). doi:10.1257/aer.103.6.2052
51. S. W. Barnett, L. N. Masse, Comparative benefit-cost analysis of the Abecedarian program and its policy implications. Econ. Educ. Rev. 26, 113-125 (2007). doi:10.1016/j.econedurev.2005.10.007
52. C. T. Ramey, F. A. Campbell, M. Burchinal, M. L. Skinner, D. M. Gardner, S. L. Ramey, Persistent effects of early childhood education on high-risk children and their mothers. Appl. Dev. Sci. 4, 2-14 (2000). doi:10.1207/S1532480XADS0401_1
53. B. J. Breitmayer, C. T. Ramey, Biological nonoptimality and quality of postnatal environment as codeterminants of intellectual development. Child Dev. 57, 1151-1165 (1986). doi:10.2307/1130439 Medline
54. C. T. Ramey, F. A. Campbell, Preventive education for high-risk children: Cognitive consequences of the Carolina Abecedarian Project. Am. J. Ment. Defic. 88, 515-523 (1984). Medline
55. C. T. Ramey, B. J. Smith, Assessing the intellectural consequences of early intervention with high-risk infants. Am. J. Ment. Defic. 81, 318-324 (1977). Medline
56. C. T. Ramey, K. O. Yeates, E. J. Short, The plasticity of intellectual development: insights from preventive intervention. Child Dev. 55, 1913-1925 (1984). doi:10.2307/1129938 Medline
57. Here, we refer to the first randomization, which took place before the preschool intervention; a second randomization took place before the school-age intervention (5-8).
58. (19) explains the higher rate of study rejection in the treatment group by noting "mothers wanting to care for their infants at home."
59. The two interventions each targeted at-risk children, employed similar teacher-child ratios in their preschool-aged classrooms, and shared a common perspective on child development and learning, such that: First, each drew their conceptual frameworks from theorists Piaget and Vygotsky, wherein the role of the teacher is to design the environment to create learning experiences at the appropriate developmental level of the child, and the role of each individual child is to direct their own learning within this structured environment. Further, teachers work with each child at their unique level until new skills are internalized and the child can extend their learning at higher levels of complexity. Second, both emphasized early language development, literacy skills, and healthy socialemotional development by integrating caregiving experiences with structured verbal interactions, including adult narration of child's activities, adult repetition of child's sounds and words, frequent joint reading of shared books, and the adult use of openended questions to extend a child's conversation. Third, both emphasized individualized instruction and the use of formative assessment, with teachers maintaining detailed records of their observations of each individual child's activities and growth and using these assessments to guide subsequent teaching experiences.
60. F. A. Campbell, C. T. Ramey, E. Pungello, J. Sparling, S. Miller-Johnson, Early childhood education: Young adult outcomes from the Abecedarian Project. Appl. Dev. Sci. 6, 42-57 (2002). doi:10.1207/S1532480XADS0601_05
61. F. A. Campbell, E. P. Pungello, S. Miller-Johnson, M. Burchinal, C. T. Ramey, The development of cognitive and academic abilities: Growth curves from an early childhood educational experiment. Dev. Psychol. 37, 231-242 (2001). doi:10.1037/00121649.37.2.231 Medline
62. W. S. Barnett, L. N. Masse, A Benefit-Cost Analysis of the Abecedarian Early Childhood Intervention (National Institute for Early Education Research NIEER, New Brunswick, NJ, 2002).
63. The medical care was at no cost to the families, but they were responsible for buying medicines. The original plan was also to provide medical care at the FPG center to the control families, but after the first year that proved to be impractical.
64. C. T. Ramey, G. D. McGinness, L. Cross, A. M. Collier, S. Barrie-Blackley, in The Social Life of Children in a Changing Society, K. M. Borman, Ed. (Lawrence Erlbaum Associates, Hillsdale, NJ, 1982), pp. 145-174.
65. J. E. Roberts, M. A. Sanyal, M. R. Burchinal, A. M. Collier, C. T. Ramey, F. W. Henderson, Otitis media in early childhood and its relationship to later verbal and academic performance. Pediatrics 78, 423-430 (1986). Medline
66. M. A. Sanyal, F. W. Henderson, E. C. Stempel, A. M. Collier, F. W. Denny, Effect of upper respiratory tract infection on eustachian tube ventilatory function in the preschool child. J. Pediatr. 97, 11-15 (1980). doi:10.1016/S0022-3476(80)80121-1 Medline
67. The licensed practical nurse visited the classroom daily to review the health status of the children and receive reports from the parents (64).
68. HDL-C is high-density lipoprotein cholesterol.
69. WHR is waist-hip ratio.
70. Individuals who reported to have smoked in the past 12 months were coded as smokers. Diabetes status was defined as having HbA1C 6.5 or use of diabetes medication reported by the doctor.
71. Responses of A ("I have never smoked cigarettes regularly") were coded as missing; nobody replied B ("Less than 9 years old") or C (" 9 or 10 years old") at age 21.
72. The alcohol section is preceded by the following prompt: "The next questions ask about drinking alcohol. This includes drinking beer, wine, wine coolers, and liquor such as rum, gin, vodka, or whiskey. For these questions, drinking alcohol does not include drinking a few sips of wine for religious purposes."
73. Nobody replied B ("Less than 9 years old").
74. The alcohol section is preceded by the following prompt: "The next questions ask about drinking alcohol. This includes drinking beer, wine, wine coolers, and liquor such as rum, gin, vodka, or whiskey. For these questions, drinking alcohol does not include drinking a few sips of wine for religious purposes."
75. The alcohol section is preceded by the following prompt: "Questions about drinking alcohol. This includes beer, wine, liquor. Sips of wine for religious purposes excluded.
76. "Other than a few sips" is in parentheses at the age 30 survey.
77. Responses of A ("I have never had a drink of alcohol other than a few sips") were coded as missing; nobody replied B ("Less than 9 years old") at age 21.
78. Responses of A ("I have never tried marijuana") were coded as missing; nobody replied B ("Less than 9 years old") at age 21.
79. A. Miller, Subset Selection in Regression (CRC Press, xxLocationxx, 2002).
80. J. M. Robins, A. Rotnitzky, L. P. Zhao, Analysis of semiparametric regression models for repeated outcomes in the presence of missing data. J. Am. Stat. Assoc. 90, 106-121 (1995). doi:10.1080/01621459.1995.10476493
81. J. Fitzgerald, P. Gottschalk, R. Moffitt, An analysis of sample attrition in panel data: The Michigan Panel Study of Income Dynamics. J. Hum. Resour. 33, 251 (1998). doi:10.2307/146433
82. H. Akaike, A new look at the statistical model identification. IEEE Trans. Automat. Contr. 19, 716-723 (1974). doi:10.1109/TAC.1974.1100705
83. One child was diagnosed as biologically retarded, two died at very early ages (3 and 4 months), and two other children died later (at 12 and 50 months). One child was withdrawn from the sample before 6 months of age. In addition, another 10 children dropped out of the sample before 54 months.
84. For males, we compared attriters versus nonattriters both in the laboratory tests and the physical exam sample, because participation varied between the two, as seen in table S3.
85. However, in this case there are likely to be other special circumstances.
86. Control females who took part in the biomedical sweep were also more likely to report having any illness or headache at age 30 (table S5).
87. The only exception is the males in the control group who took part in the blood tests, for whom no significant difference emerges between attrited and nonattrited (table S9).
88. The variables in tables S4 to S9 are not normalized in the "favorable" direction. In these tables, the difference in means reported is simply the difference between the mean of the nonattrited and the mean of the attrited. The test is based on a two-sided $P$ value. Namely, we do not test for the health effects of the intervention but for statistically significant differences between attrited and nonattrited within each treatment group (and gender), with respect to both baseline and age 30 characteristics. This is in sharp contrast to the tables that test for the health effects of the intervention: Tables 1 and 2 in the paper and tables S10 to S18 in the supplementary materials. For those, we use one-sided $P$ values as we test the hypothesis that the preschool-age intervention had either positive effects or no effects on the health outcomes.
89. M. R. Burchinal, F. A. Campbell, D. M. Bryant, B. H. Wasik, C. T. Ramey, Early intervention and mediating processes in cognitive performance of children of low-income African American families. Child Dev. 68, 935-954 (1997). doi:10.2307/1132043
90. F. A. Campbell, E. P. Pungello, M. Burchinal, K. Kainz, Y. Pan, B. H. Wasik, O. A. Barbarin, J. J. Sparling, C. T. Ramey, Adult outcomes as a function of an early childhood educational program: An Abecedarian Project follow-up. Dev. Psychol. 48, 1033-1043 (2012). doi:10.1037/a0026644 Medline
91. L. J. Lloyd, S. C. Langley-Evans, S. McMullen, Childhood obesity and risk of the adult metabolic syndrome: A systematic review. Int. J. Obes. 36, 1-11 (2012). doi:10.1038/ijo.2011.186 Medline
92. T. Lobstein, L. Baur, R. Uauy; IASO International Obesity TaskForce, Obesity in children and young people: A crisis in public health. Obes. Rev. 5, (Suppl 1), 4-85 (2004). doi:10.1111/j.1467-789X.2004.00133.x Medline
93. F. E. Johnston, R. W. Mack, Obesity in urban black adolescents of high and low relative weight at 1 year of age. Am. J. Dis. Child. 132, 862-864 (1978). Medline
94. Z. B. Yu, S. P. Han, X. G. Cao, X. R. Guo, Intelligence in relation to obesity: A systematic review and meta-analysis. Obes. Rev. 11, 656-670 (2010). doi:10.1111/j.1467789X.2009.00656.x Medline
95. J. M. Starr, M. D. Taylor, C. L. Hart, G. Davey Smith, L. J. Whalley, D. J. Hole, V. Wilson, I. J. Deary, Childhood mental ability and blood pressure at midlife: Linking the Scottish Mental Survey 1932 and the Midspan studies. J. Hypertens. 22, 893-897 (2004). doi:10.1097/00004872-200405000-00009 Medline
96. M. Richards, S. Black, G. Mishra, C. R. Gale, I. J. Deary, D. G. Batty, IQ in childhood and the metabolic syndrome in middle age: Extended follow-up of the 1946 British Birth Cohort Study. Intelligence 37, 567-572 (2009). doi:10.1016/j.intell.2008.09.004 Medline
97. L. Pulkki-Råback, M. Elovainio, M. Kivimäki, O. T. Raitakari, L. Keltikangas-Järvinen, Temperament in childhood predicts body mass in adulthood: The Cardiovascular Risk in Young Finns Study. Health Psychol. 24, 307-315 (2005). doi:10.1037/02786133.24.3.307 Medline
98. N. Ravaja, L. Keltikangas-Järvinen, Temperament and metabolic syndrome precursors in children: a three-year follow-up. Prev. Med. 24, 518-527 (1995). doi:10.1006/pmed.1995.1082 Medline
99. L. Lochner, Nonproduction Benefits of Education: Crime, Health, and Good Citizenship. Handbook of the Economics of Education 4, 183 (2011).
100. J. P. Smith, Healthy bodies and thick wallets: The dual relation between health and economic status. J. Econ. Perspect. 13, 144-166 (1999). doi:10.1257/jep.13.2.145 Medline
101. M. Marmot, The influence of income on health: views of an epidemiologist. Health Aff. 21, 31-46 (2002). doi:10.1377/hlthaff.21.2.31 Medline
102. H. Levy, D. Meltzer, The impact of health insurance on health. Annu. Rev. Public Health 29, 399-409 (2008). doi:10.1146/annurev.publhealth.28.021406.144042 Medline
103. J. Currie, M. Stabile, P. Manivong, L. L. Roos, Child health and young adult outcomes. J. Hum. Resour. 45, 517-548 (2010). doi:10.1353/jhr.2010.0013
104. S. Kleinert, Adolescent health: An opportunity not to be missed. Lancet 369, 1057-1058 (2007). doi:10.1016/S0140-6736(07)60374-2 Medline
105. M. Di Cesare, Y. H. Khang, P. Asaria, T. Blakely, M. J. Cowan, F. Farzadfar, R. Guerrero, N. Ikeda, C. Kyobutungi, K. P. Msyamboza, S. Oum, J. W. Lynch, M. G. Marmot, M. Ezzati; Lancet NCD Action Group, Inequalities in non-communicable diseases and effective responses. Lancet 381, 585-597 (2013). doi:10.1016/S0140-6736(12)61851-0 Medline
106. A. S. Blinder, Wage discrimination: Reduced form and structural estimates. J. Hum. Resour. 8, 436-455 (1973). doi:10.2307/144855
107. R. Oaxaca, Male-female wage differentials in urban labor markets. Int. Econ. Rev. 14, 693709 (1973). doi:10.2307/2525981
108. N. M. Fortin, The gender wage gap among young adults in the United States: The importance of money versus people. J. Hum. Resour. 43, 884-918 (2008). doi:10.1353/jhr.2008.0006
109. C. W. Reimers, Labor market discrimination against Hispanic and black men. Rev. Econ. Stat. 65, 570-579 (1983). doi:10.2307/1935925
110. P. H. Westfall, S. S. Young, Resampling-Based Multiple Testing: Examples and Methods for p-Value Adjustment (Wiley, New York, 1993).
111. E. L. Lehmann, J. P. Romano, Testing Statistical Hypotheses (Springer Science and Business Media, New York, NY, ed. 3, 2005).
112. J. P. Romano, Bootstrap and randomization tests of some nonparametric hypotheses. Ann. Stat. 17, 141-159 (1989). doi:10.1214/aos/1176347007
